

# Wave-particle and wave-wave interactions in the Solar Wind: simulations and observations

Lorenzo Matteini

University of Florence, Italy

In collaboration with Petr Hellinger, Simone Landi, and Marco Velli

*“Ion kinetics in the solar wind:  
coupling global expansion to local microphysics”*

in press at Space Sci. Rev.



# Outline

- Adiabatic expansion of a plasma
- Role of Coulomb collisions
- Wave-particle interactions:  
instabilities and plasma heating
- Wave-wave interactions:  
Non-linear evolution of Alfvén waves
- Evolution at oblique propagation



# Why wave-particle interactions?

- In collisionless plasmas, collisions between particles are not able to maintain the equilibrium (Maxwellian distributions). Wave-particle interactions control the plasma thermodynamics.
- Particle distribution far from equilibrium can excite instabilities and generate fluctuations.
- Wave-wave interactions (3-w couplings, turbulence) can also produce fluctuations that involve particle dynamics.



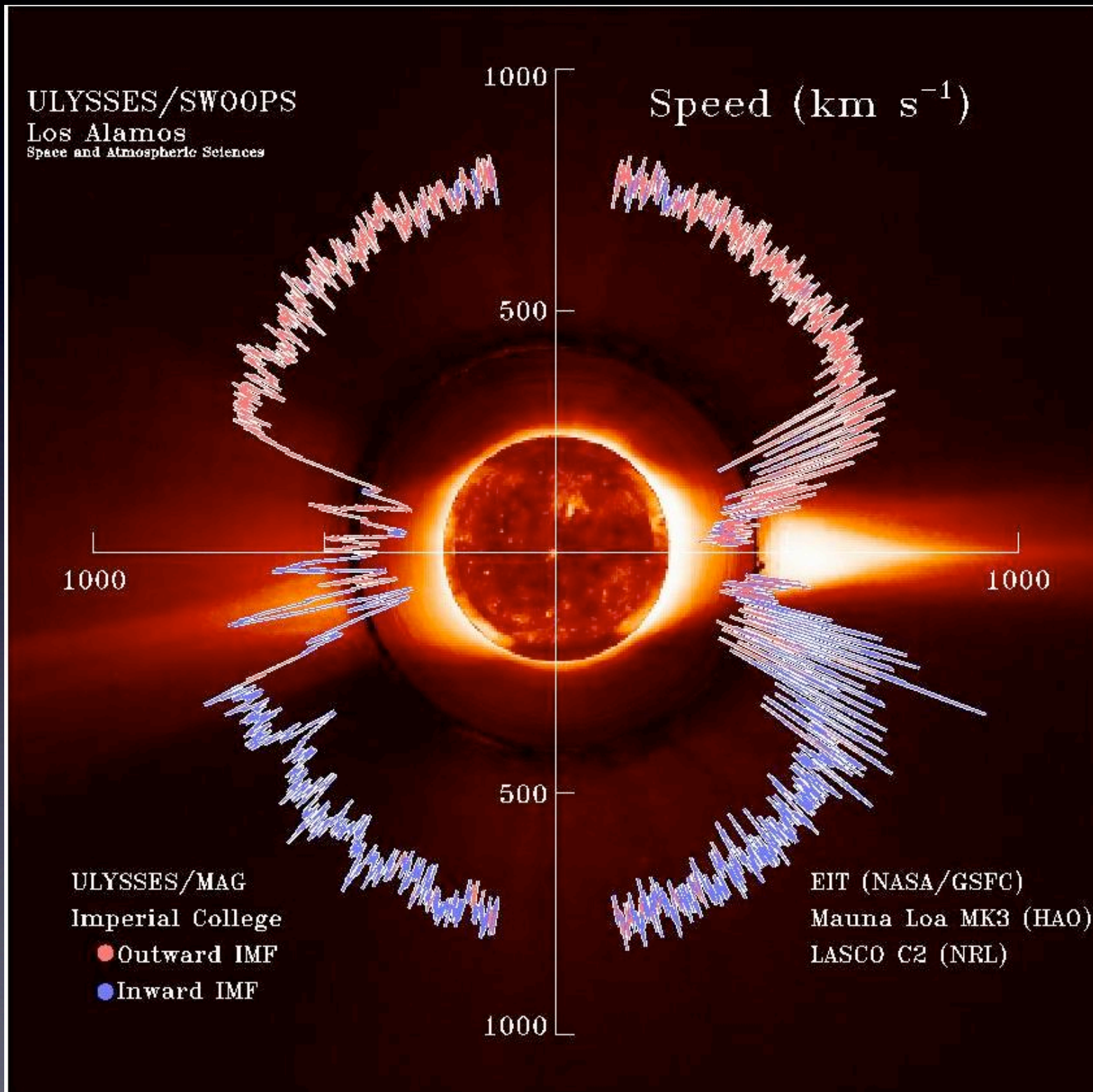
# Why wave-particle interactions?

- In collisionless plasmas, collisions between particles are not able to maintain the equilibrium (Maxwellian distributions). Wave-particle interactions control the plasma thermodynamics.
- Particle distribution far from equilibrium can excite instabilities and generate fluctuations.
- Wave-wave interactions (3-w couplings, turbulence) can also produce fluctuations that involve particle dynamics.

Interesting for many astrophysical plasmas



# The solar wind



- High latitudes

Fast wind: 750 km/s and density of 3 particles/cm<sup>3</sup> at 1 AU; regular.

- Equatorial regions

Slow wind: bulk speed 350 km/s 10 particles/cm<sup>3</sup> at 1 AU; irregular.

Particle distribution functions are not Maxwellian, far from the LTE!



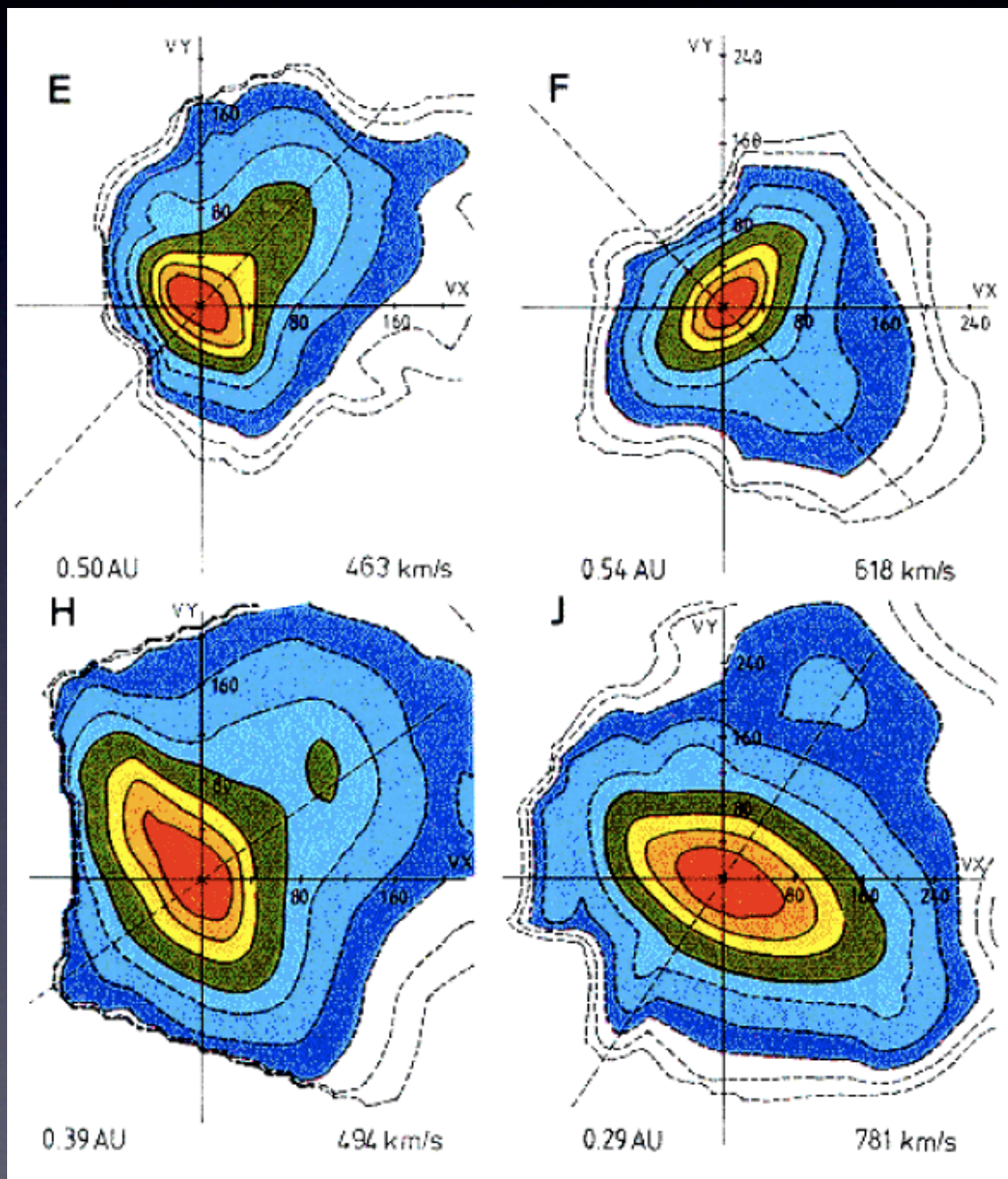
# Solar wind proton distribution functions

Helios observations in the solar wind

- ◆ Temperature anisotropy between parallel and perpendicular directions with respect to the ambient magnetic field

$$T_{\perp} \neq T_{\parallel}$$

- ◆ Velocity beam in the parallel direction



(Marsch et al. 1982)



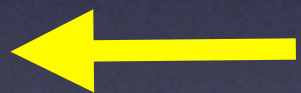
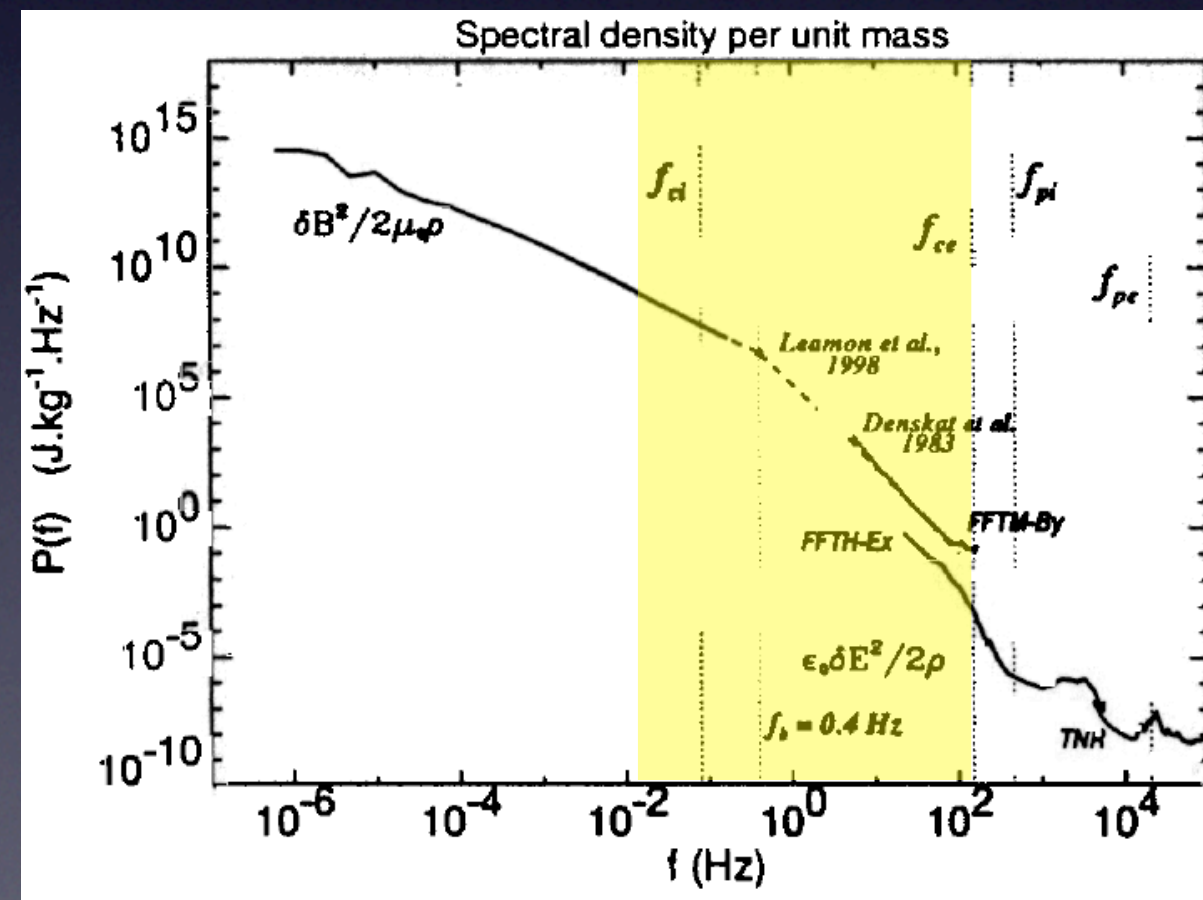
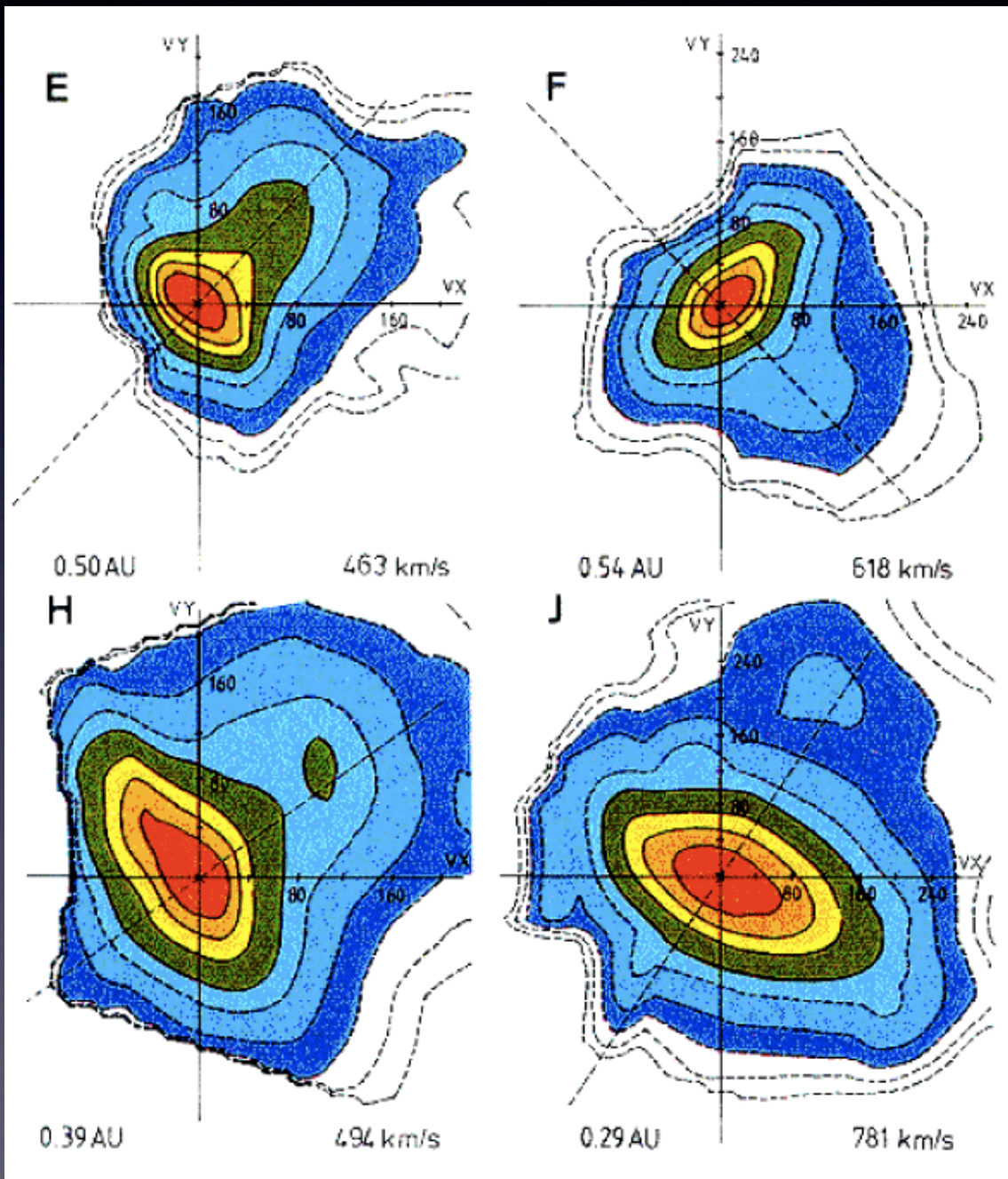
# Solar wind proton distribution functions

Helios observations in the solar wind

- Temperature anisotropy between parallel and perpendicular directions with respect to the ambient magnetic field

$$T_{\perp} \neq T_{\parallel}$$

- Velocity beam in the parallel direction





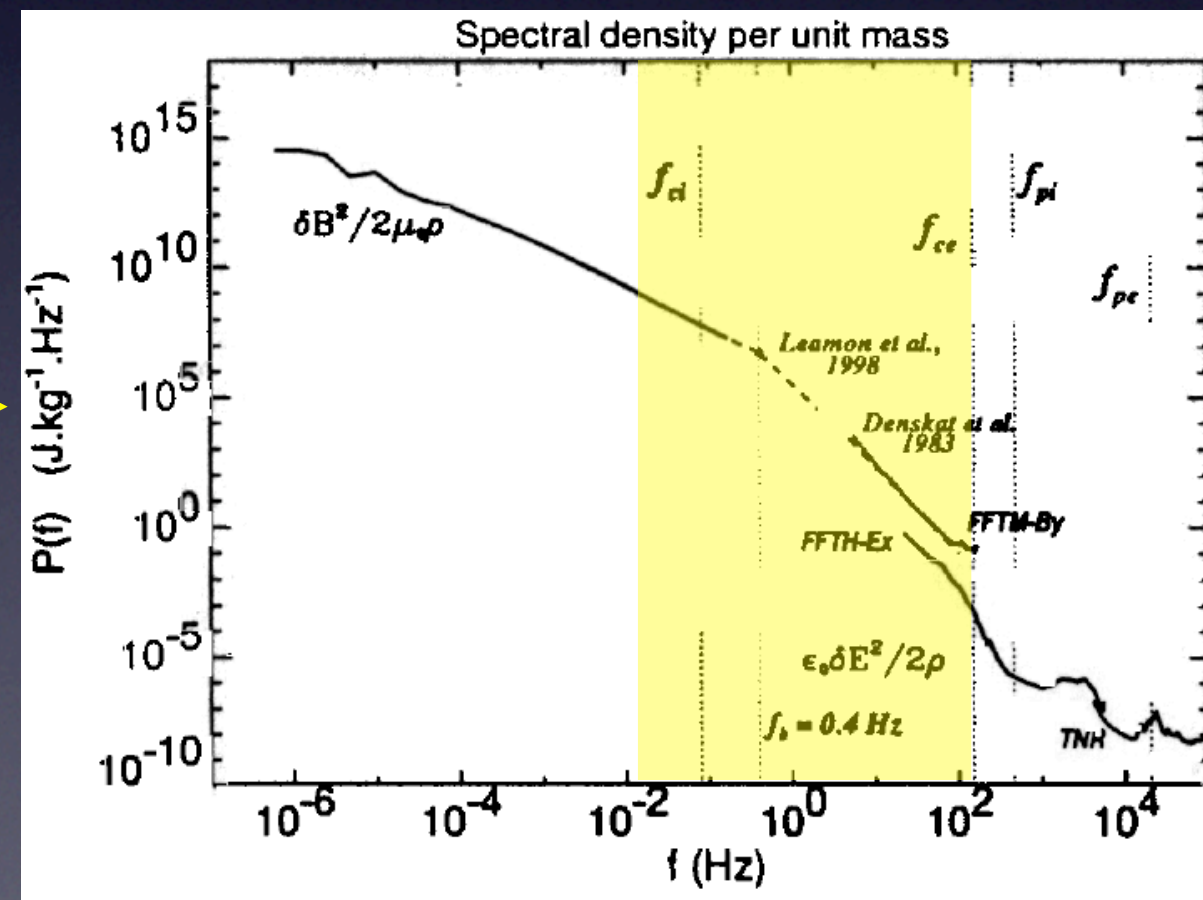
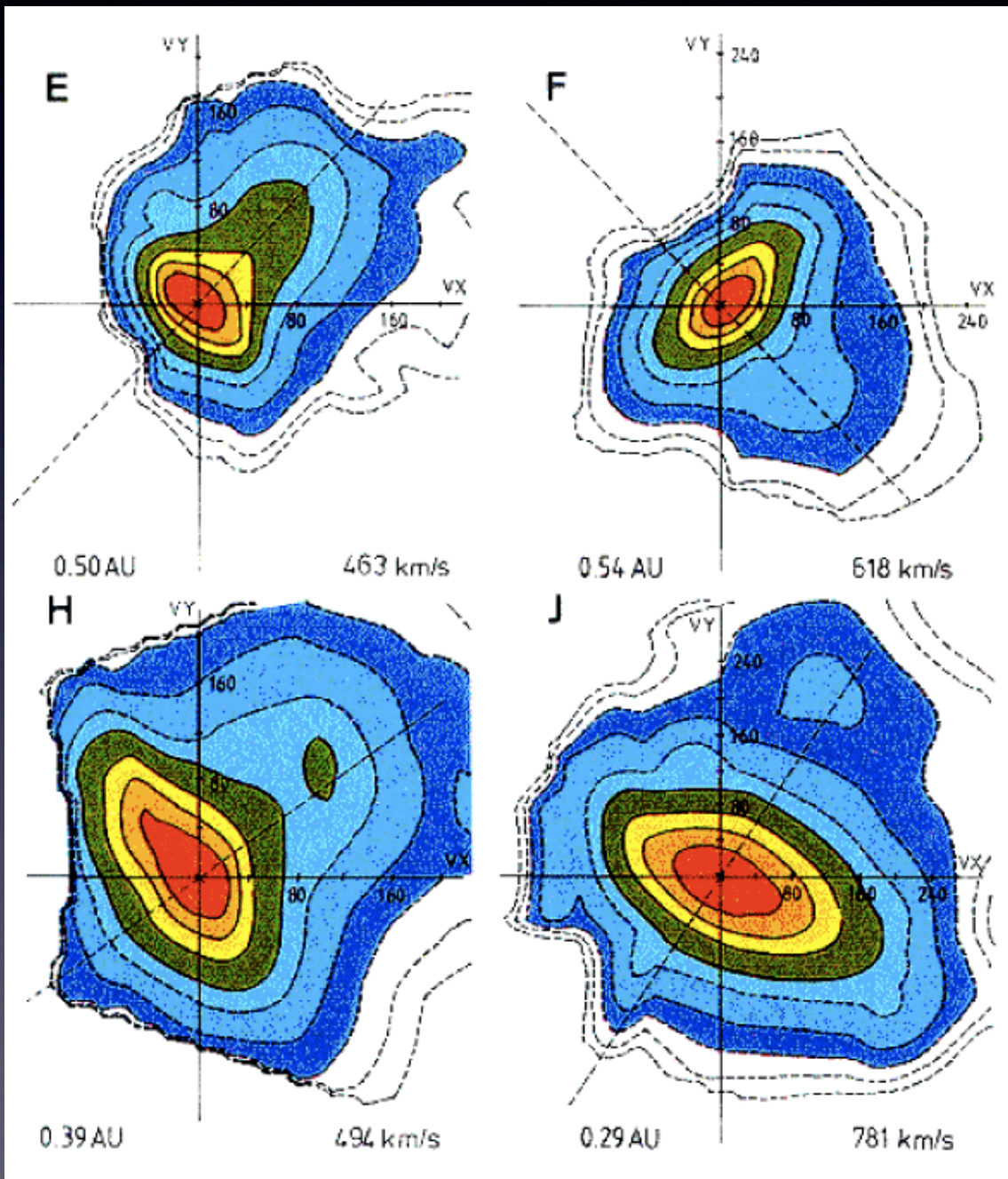
# Solar wind proton distribution functions

Helios observations in the solar wind

- Temperature anisotropy between parallel and perpendicular directions with respect to the ambient magnetic field

$$T_{\perp} \neq T_{\parallel}$$

- Velocity beam in the parallel direction

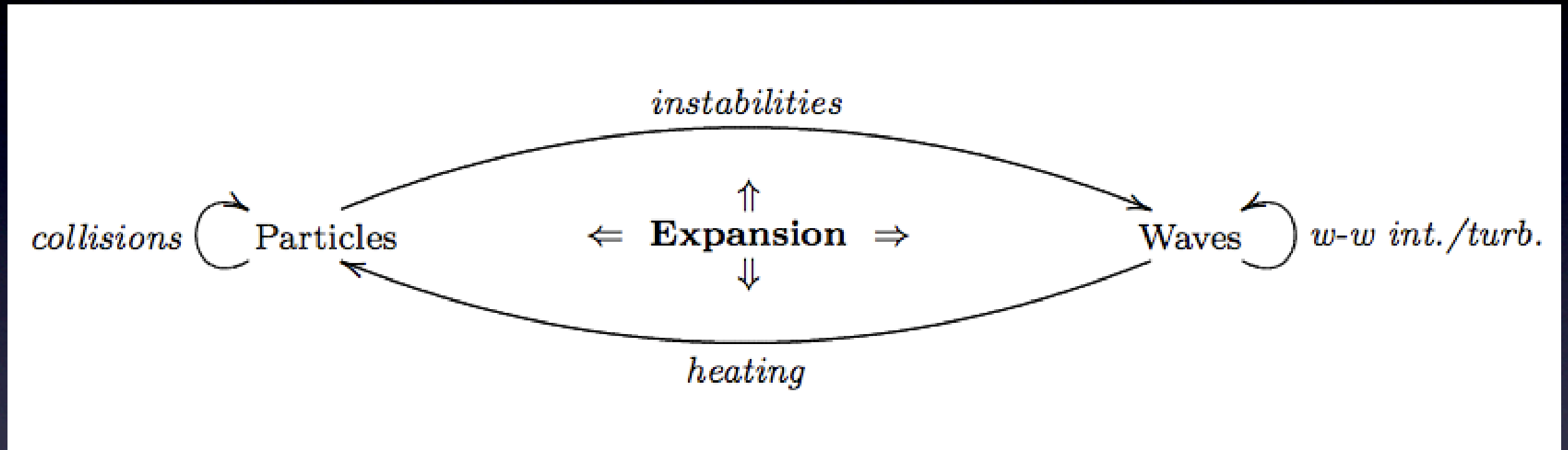


(Marsch et al. 1982)

(Salem 2001)



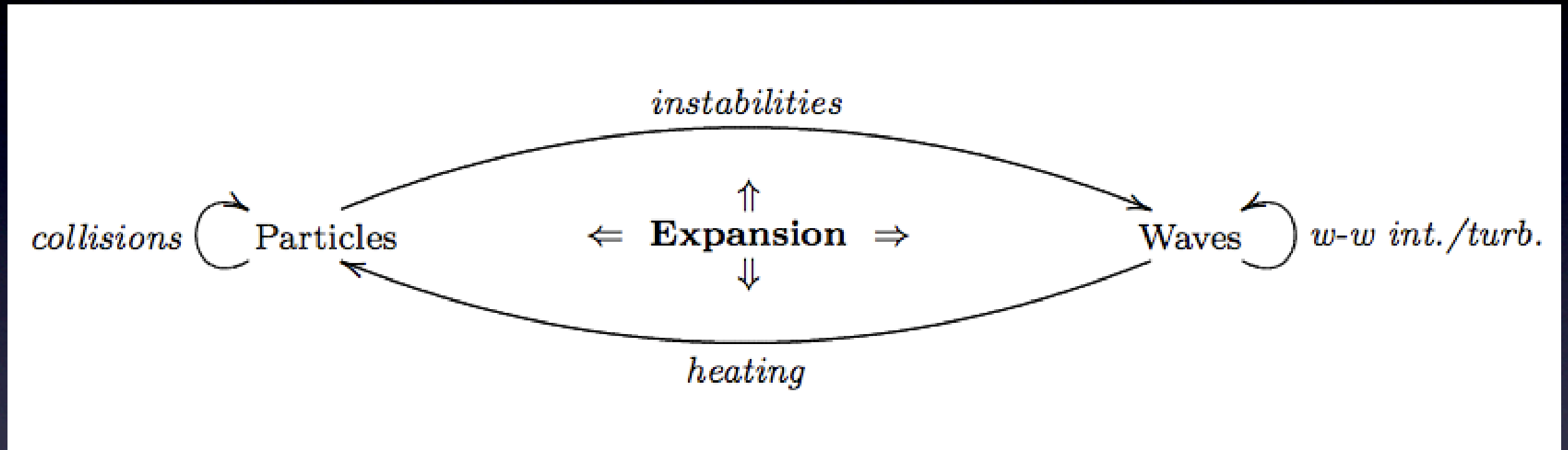
# Interactions in a plasma - Schematic view



(e.g., Alexandrova 2010, Araneda 2008&2009, Bourouaine 2010&2011, Califano 2008, Kunz 2011, Henri 2008, Passot&Sulem 2003&2006, Schekochihin 2009&2010, Valentini 2008&2009...)



# Interactions in a plasma - Schematic view

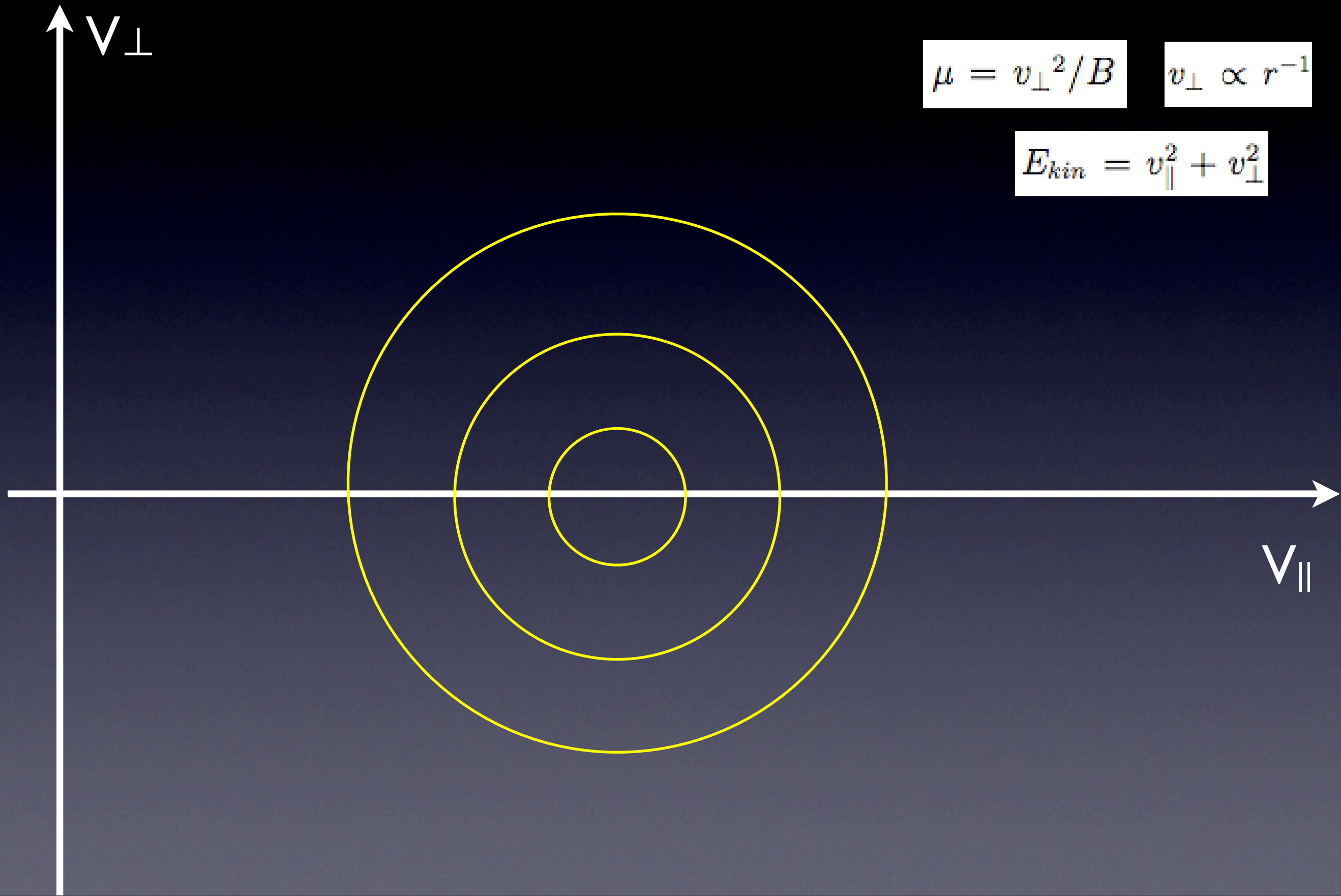


(e.g., Alexandrova 2010, Araneda 2008&2009, Bourouaine 2010&2011, Califano 2008, Kunz 2011, Henri 2008, Passot&Sulem 2003&2006, Schekochihin 2009&2010, Valentini 2008&2009...)

... but spherical expansion!

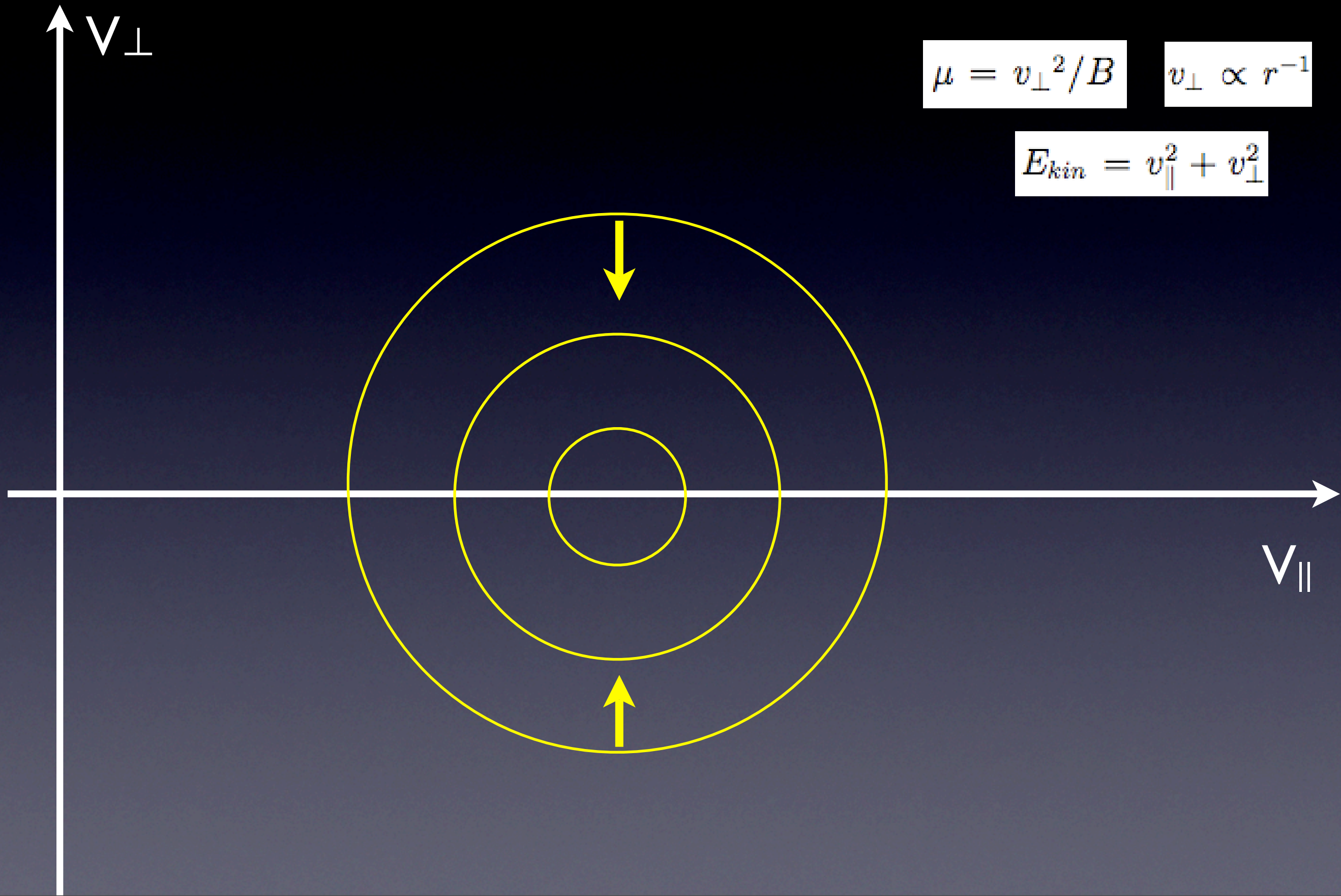


# Adiabatic expansion



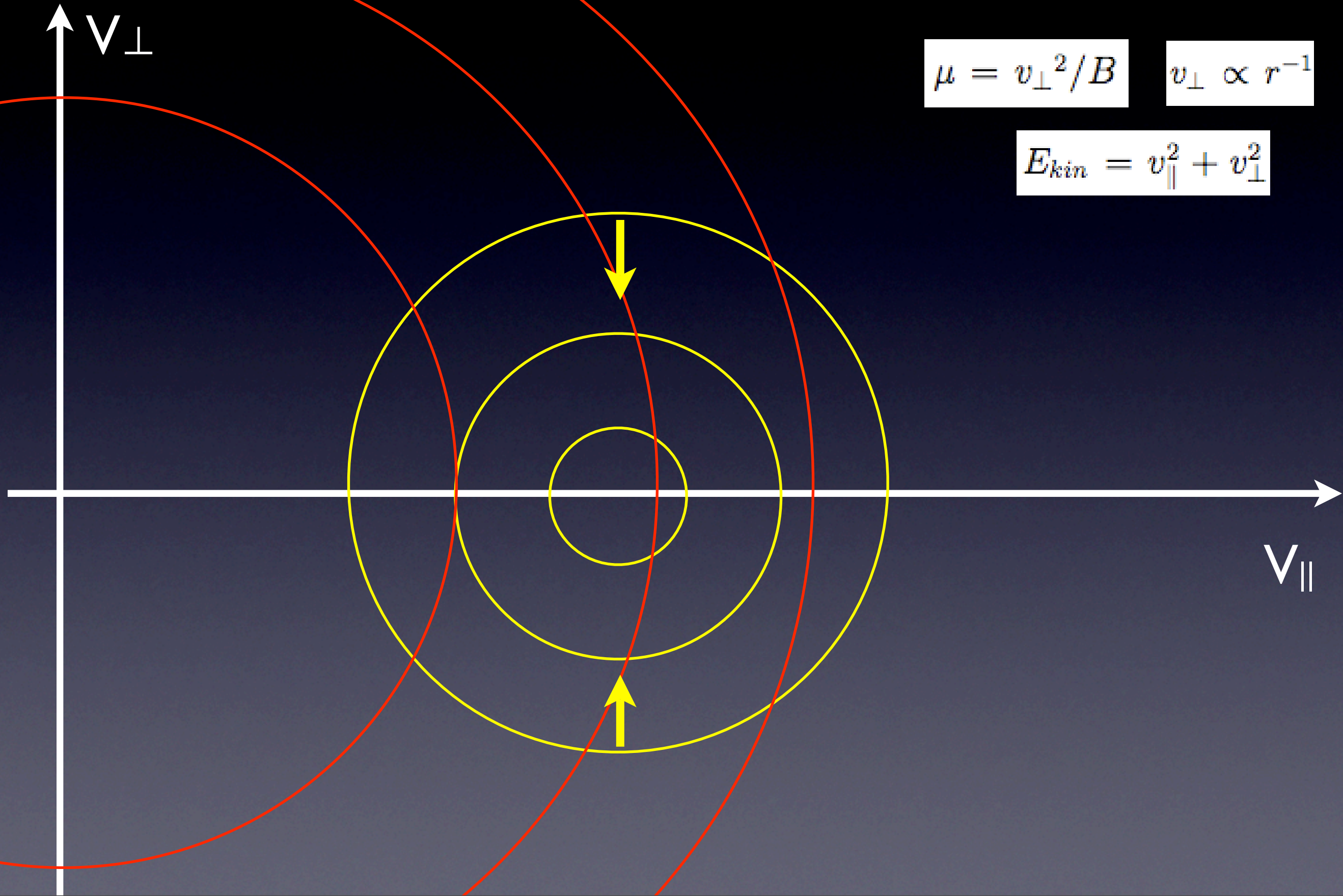


# Adiabatic expansion





# Adiabatic expansion



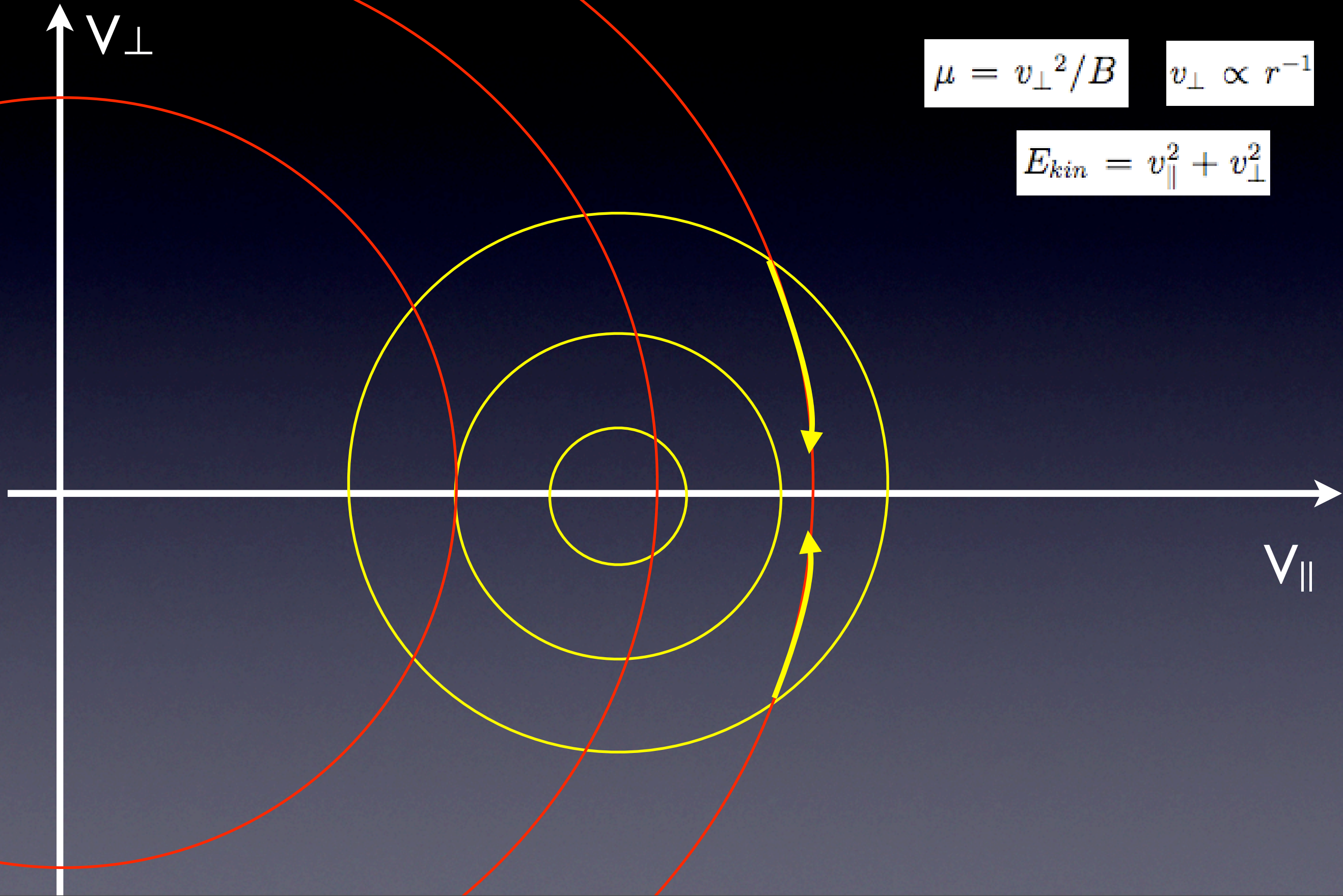
$$\mu = v_{\perp}^2 / B$$

$$v_{\perp} \propto r^{-1}$$

$$E_{kin} = v_{\parallel}^2 + v_{\perp}^2$$



# Adiabatic expansion



$$\mu = v_{\perp}^2 / B$$

$$v_{\perp} \propto r^{-1}$$

$$E_{kin} = v_{\parallel}^2 + v_{\perp}^2$$



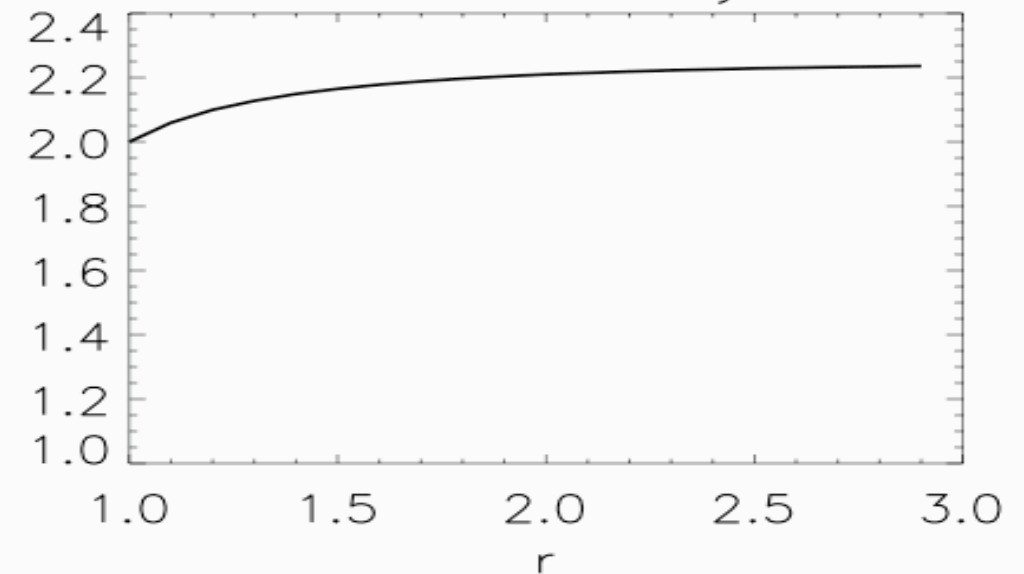
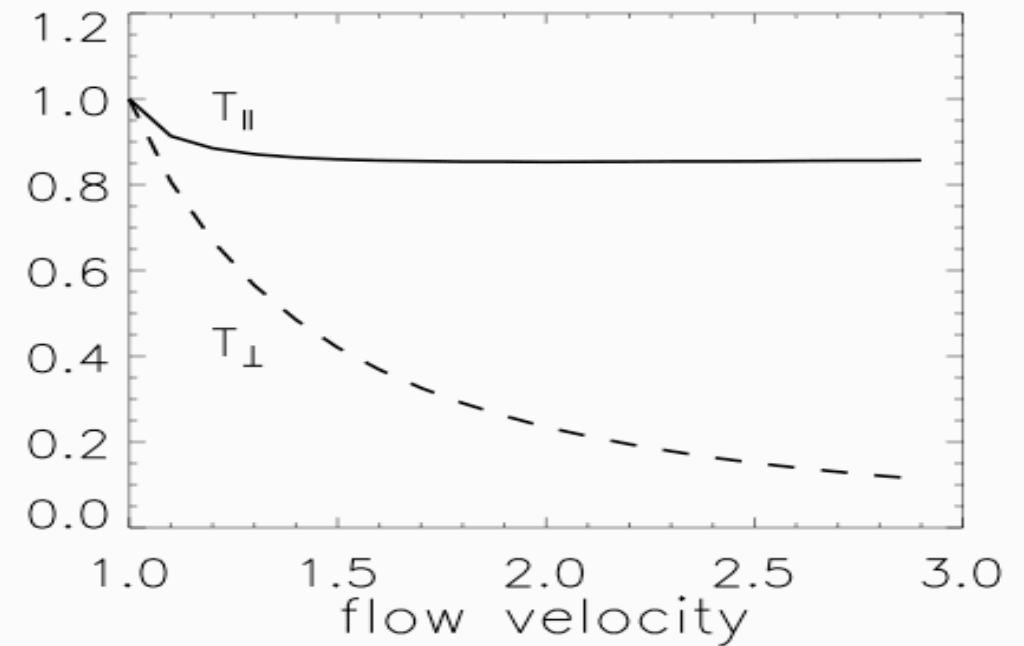
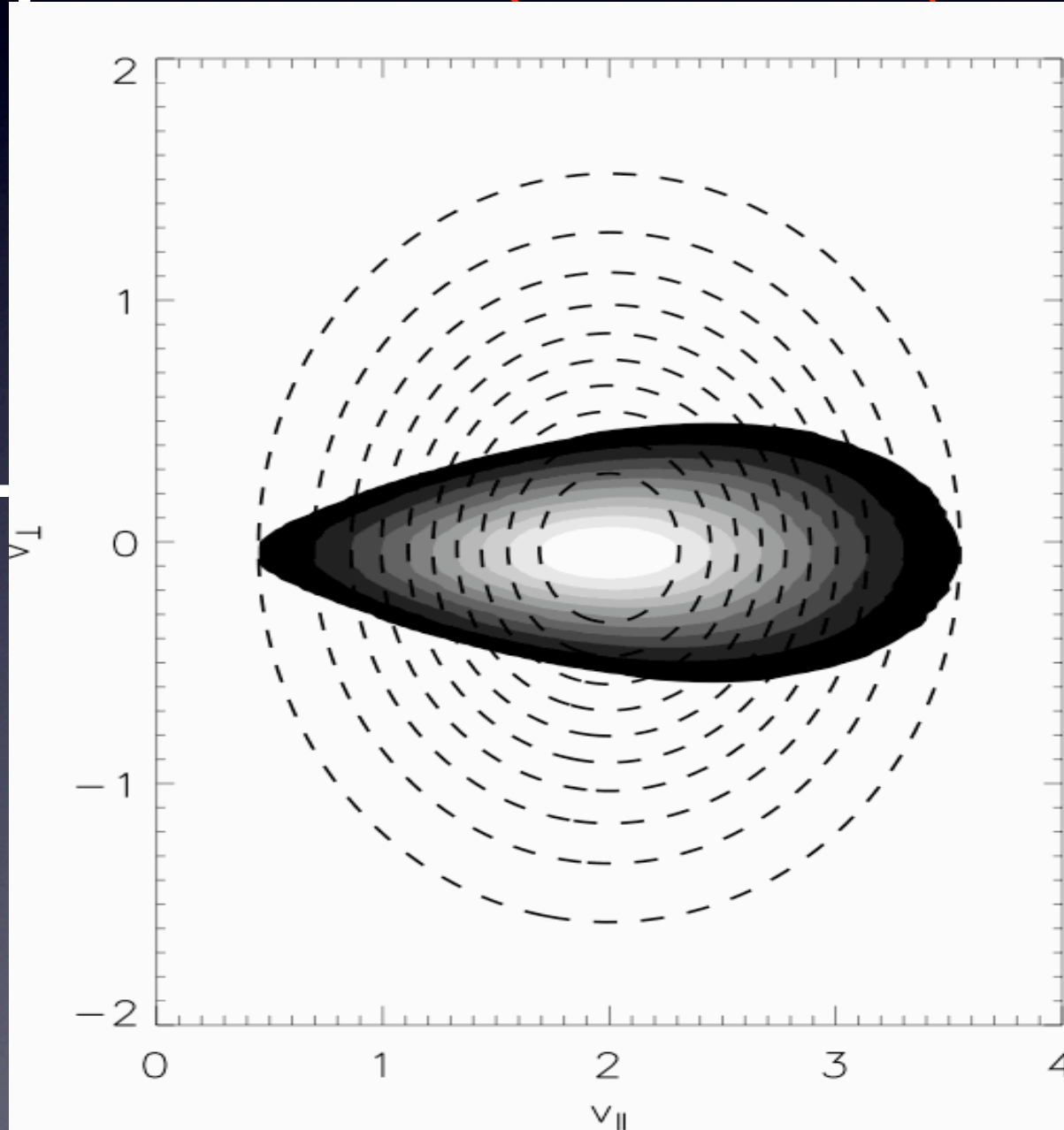
# Adiabatic expansion

$v_{\perp}$

$$\mu = v_{\perp}^2 / B$$

$$v_{\perp} \propto r^{-1}$$

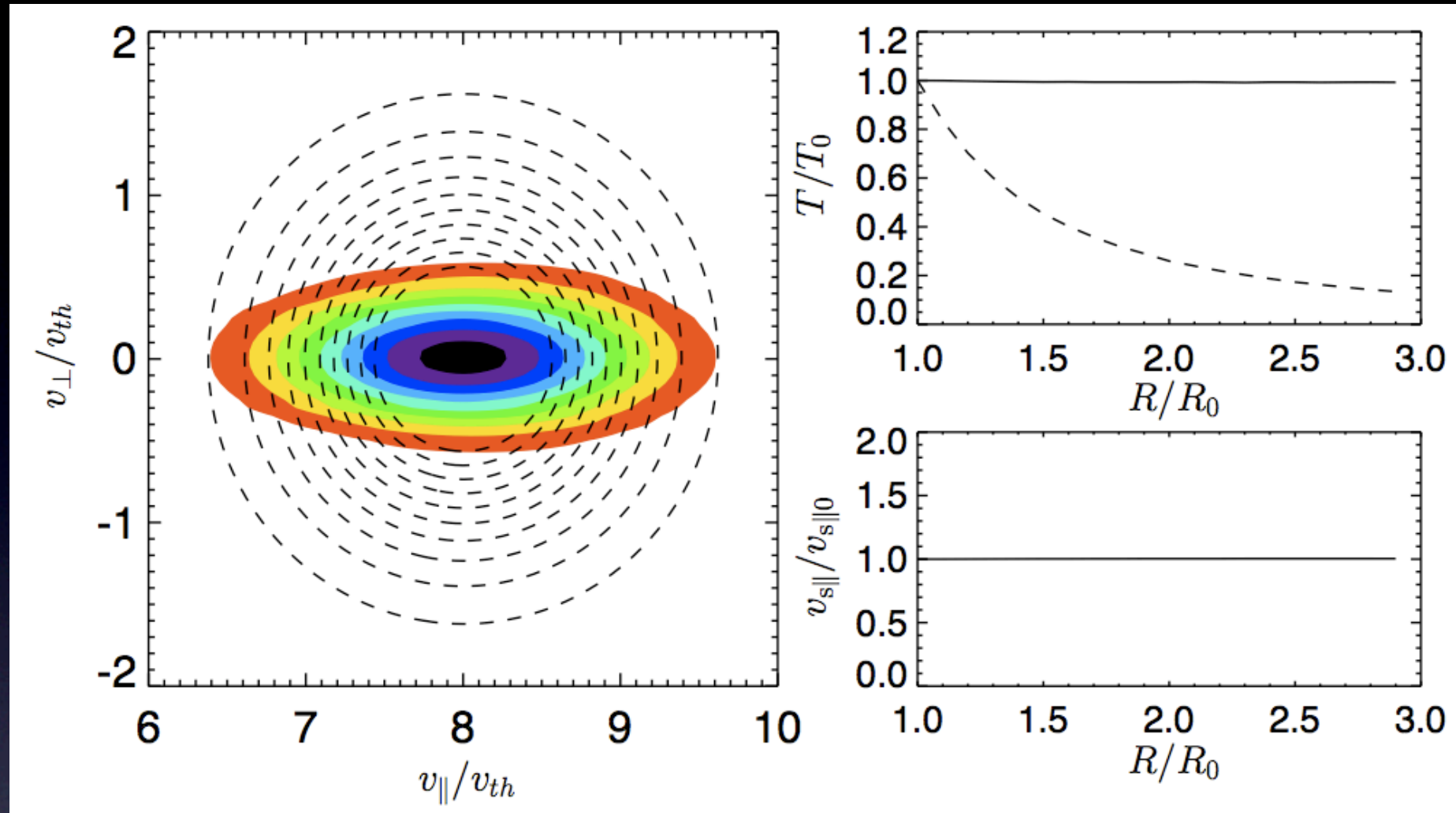
$$E_{kin} = v_{\parallel}^2 + v_{\perp}^2$$



$v_{\parallel}$

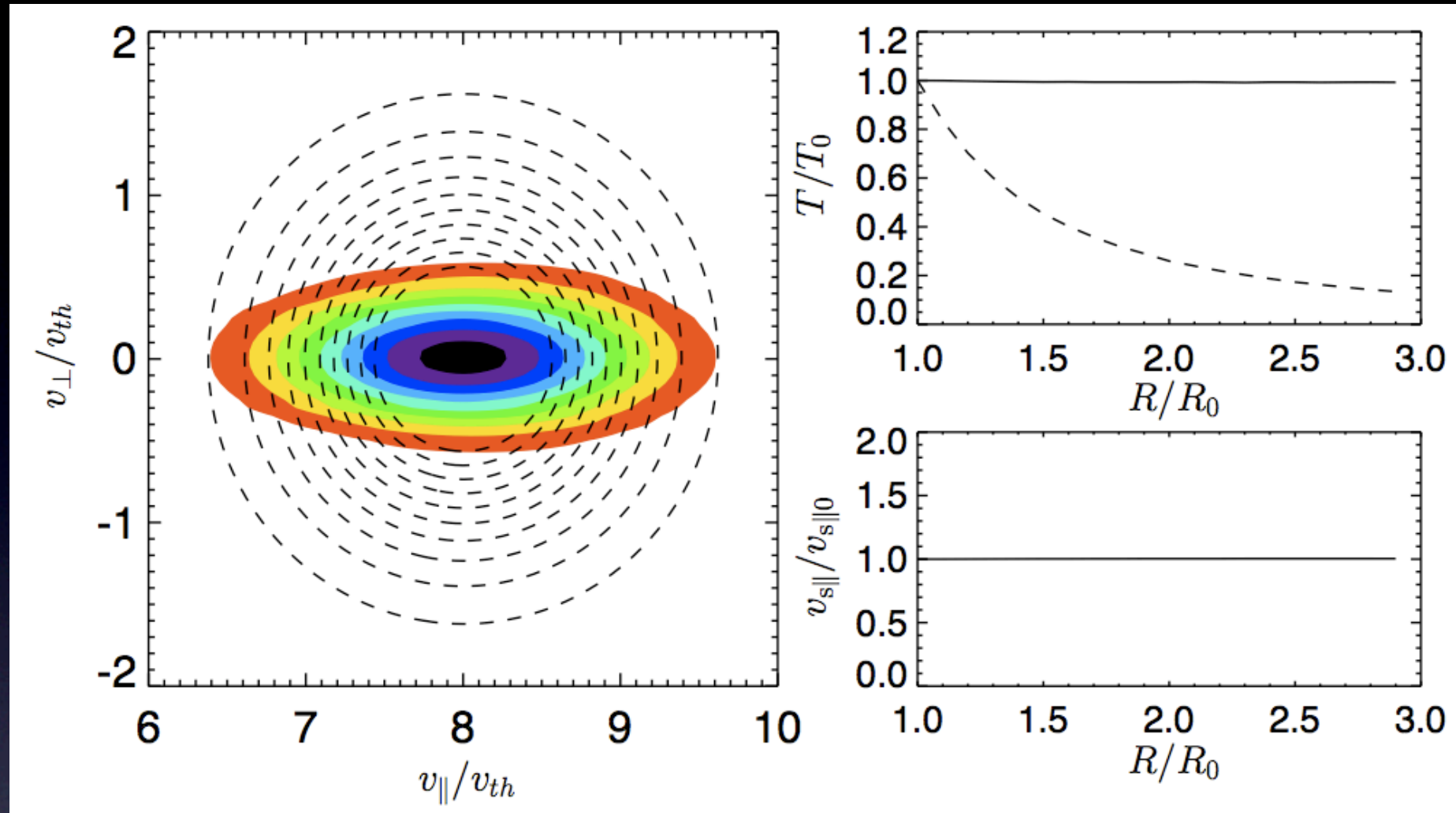


# Evolution of solar wind proton distribution functions





# Evolution of solar wind proton distribution functions



## CGL or Double Adiabatic

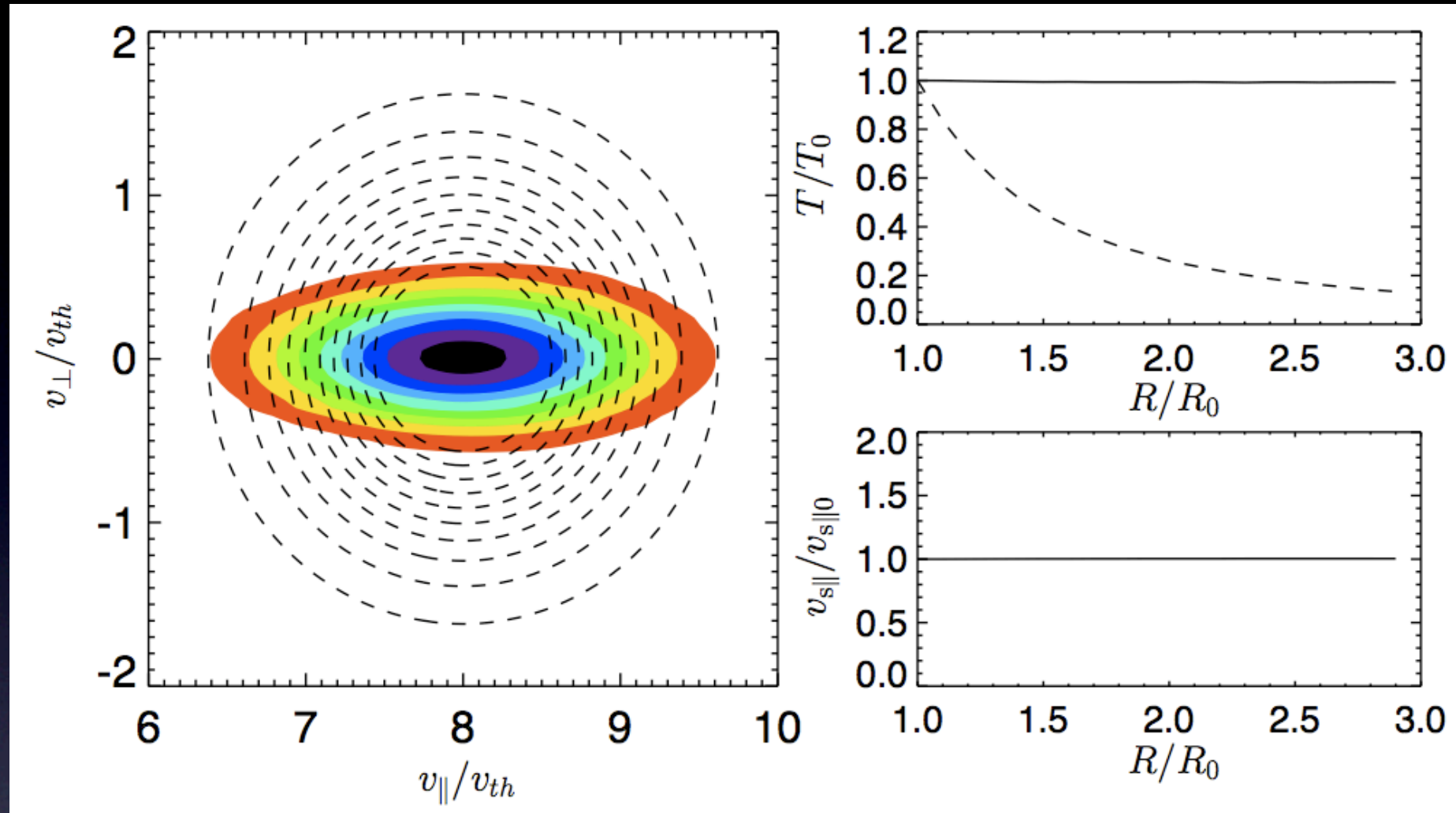
$$\frac{d}{dt} \left( \frac{P_{\perp}}{nB} \right) = 0 \quad \text{and} \quad \frac{d}{dt} \left( \frac{P_{\parallel} B^2}{n^3} \right) = 0.$$

$$T_{\perp p} \propto B \quad \text{and} \quad T_{\parallel p} \propto \frac{n^2}{B^2};$$

$$\left( \frac{dv_{s\parallel}}{dt} \right)_{\text{CGL}} = \frac{v_{s\parallel}}{n} \frac{dn}{dt} - \frac{v_{s\parallel}}{B} \frac{dB}{dt}$$



# Evolution of solar wind proton distribution functions



## CGL or Double Adiabatic

$$\frac{d}{dt} \left( \frac{P_{\perp}}{nB} \right) = 0 \quad \text{and} \quad \frac{d}{dt} \left( \frac{P_{\parallel} B^2}{n^3} \right) = 0.$$

$$T_{\perp p} \propto B \quad \text{and} \quad T_{\parallel p} \propto \frac{n^2}{B^2};$$

$$\left( \frac{dv_{s\parallel}}{dt} \right)_{\text{CGL}} = \frac{v_{s\parallel}}{n} \frac{dn}{dt} - \frac{v_{s\parallel}}{B} \frac{dB}{dt}$$

Expansion in a radial magnetic field

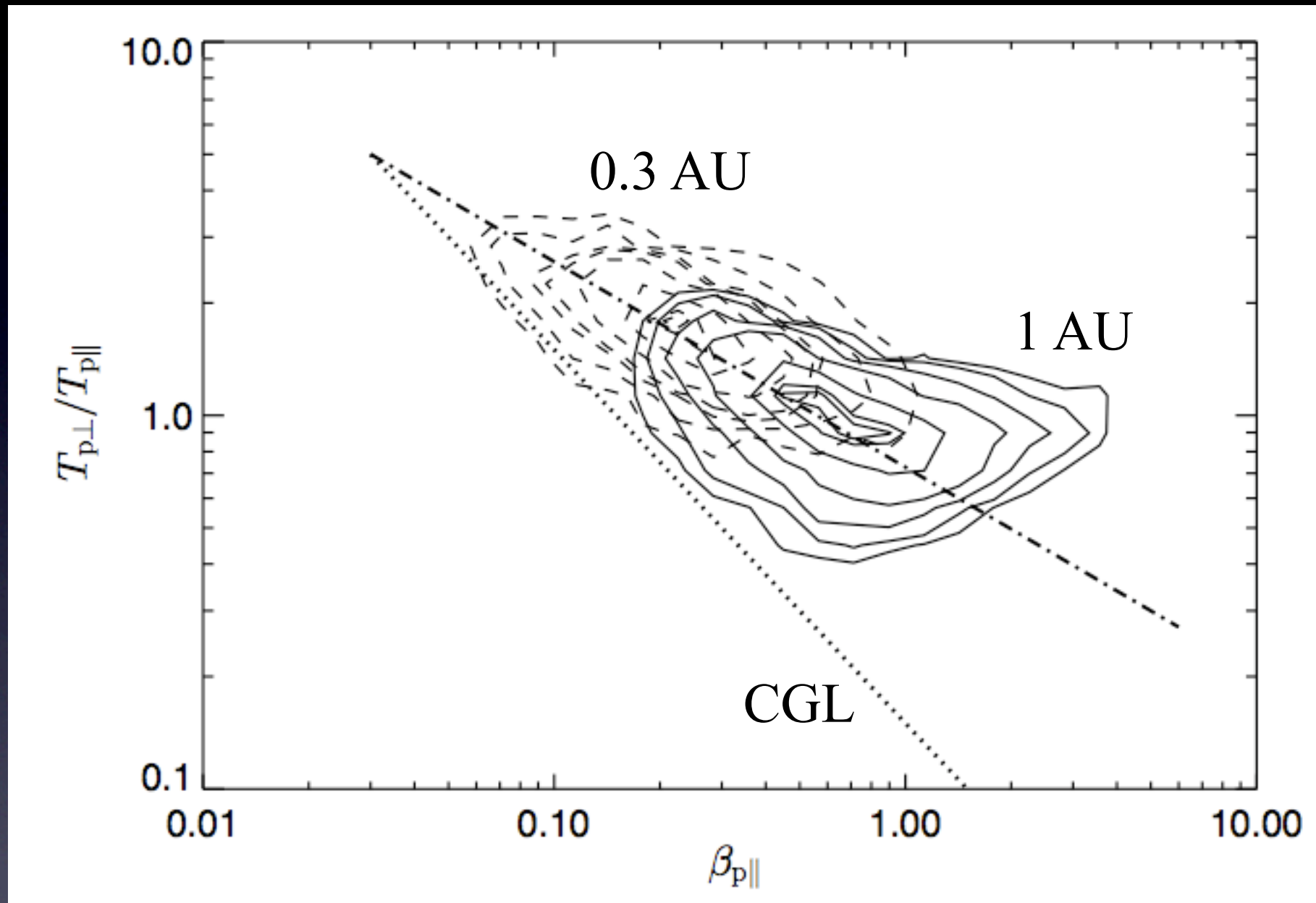
$$T_{p\perp} \propto R^{-2} \quad \text{and} \quad T_{p\parallel} = \text{const}$$

$$v_{s\parallel} = \text{const}$$

only if  $T_{\parallel} = T_{\perp} = T$  then  $T \propto R^{-4/3}$



# The observed evolution of protons between 0.3 and 1 AU



Helios observations

$$\beta_{p\parallel} \propto \frac{nT_{p\parallel}}{B^2} \propto R^2 \propto T_{p\parallel}/T_{p\perp}$$

- Non-adiabatic, presence of perpendicular heating
- Change of slope observed at 1 AU ( $\beta > 1$ )



# Estimated number of collisions at 1 AU

## Protons

$$N = \frac{\tau_{exp}}{\tau_{coll}^p} = \frac{L}{\lambda} \frac{v_{th}^p}{v_{sw}} = K_n^{-1} \frac{v_{th}^p}{v_{sw}} < 1$$

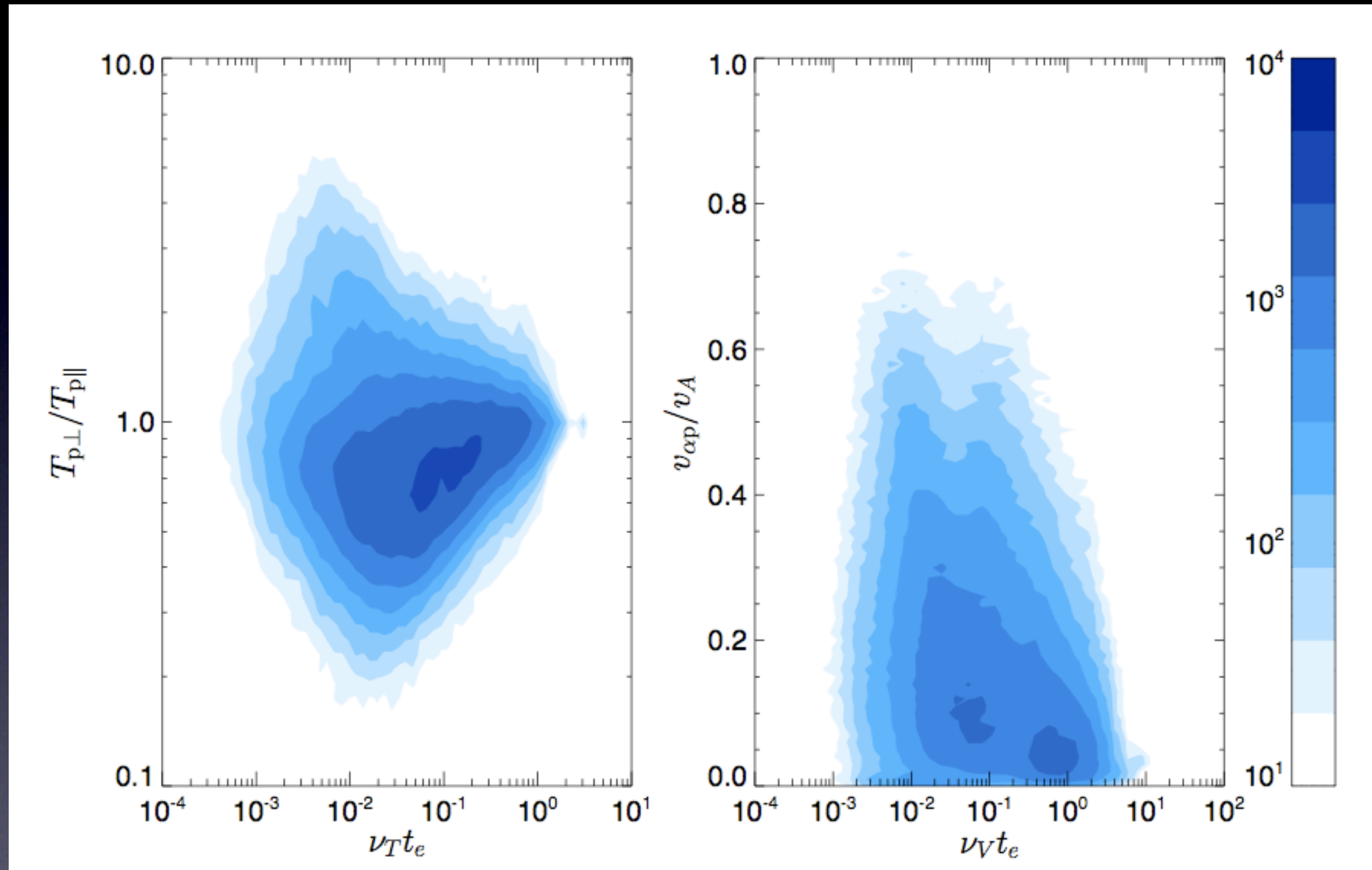
## Electrons

$$N = \frac{\tau_{exp}}{\tau_{coll}^e} = \frac{L}{\lambda} \frac{v_{th}^e}{v_{sw}} = K_n^{-1} \frac{v_{th}^e}{v_{sw}} > 1$$



# WIND observations

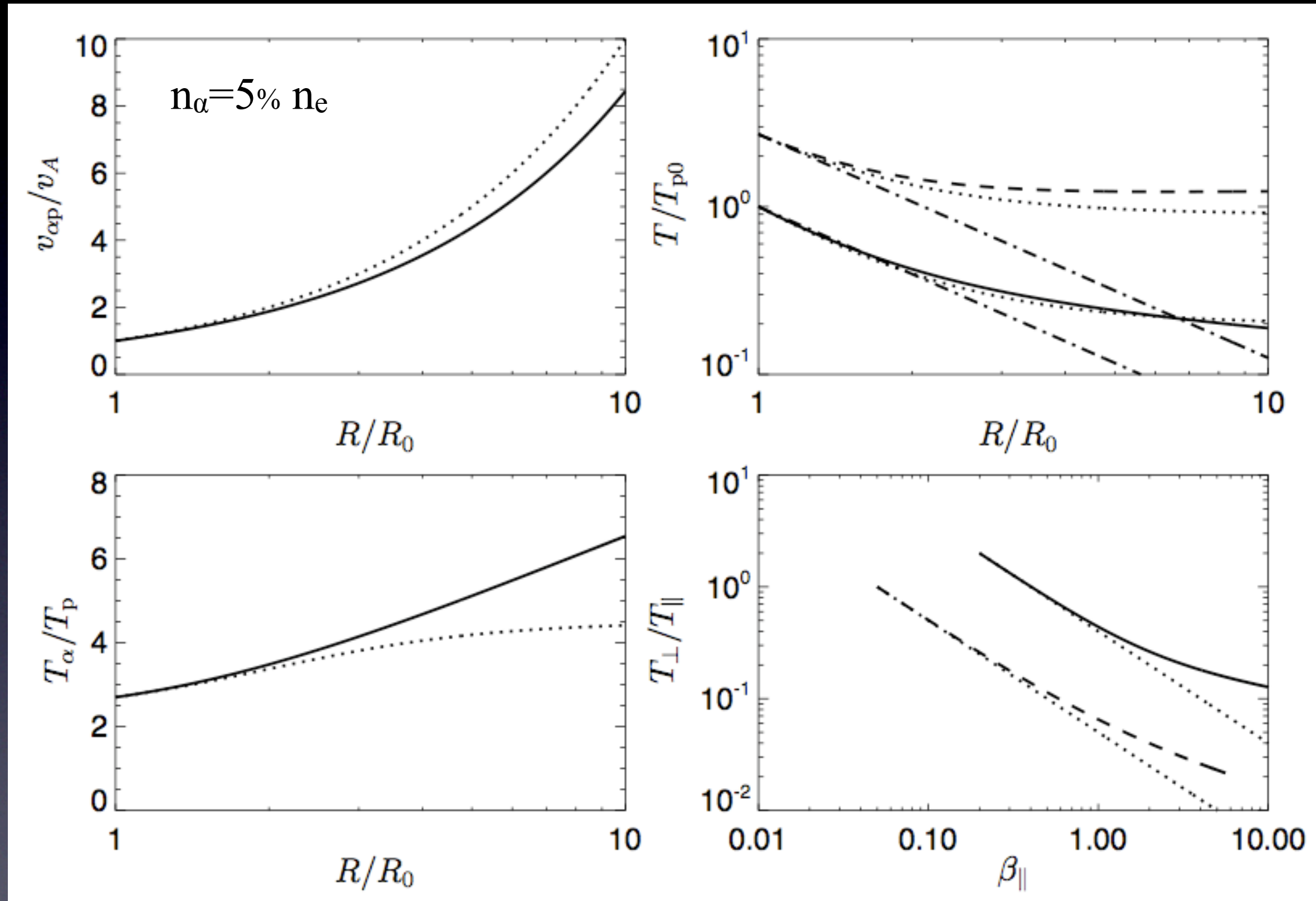
(after *Kasper et al. PRL 2008*, *Bale et al. PRL 2009*)



See also Bourouaine's presentation  
and *Bourouaine et al. ApJ 2011*

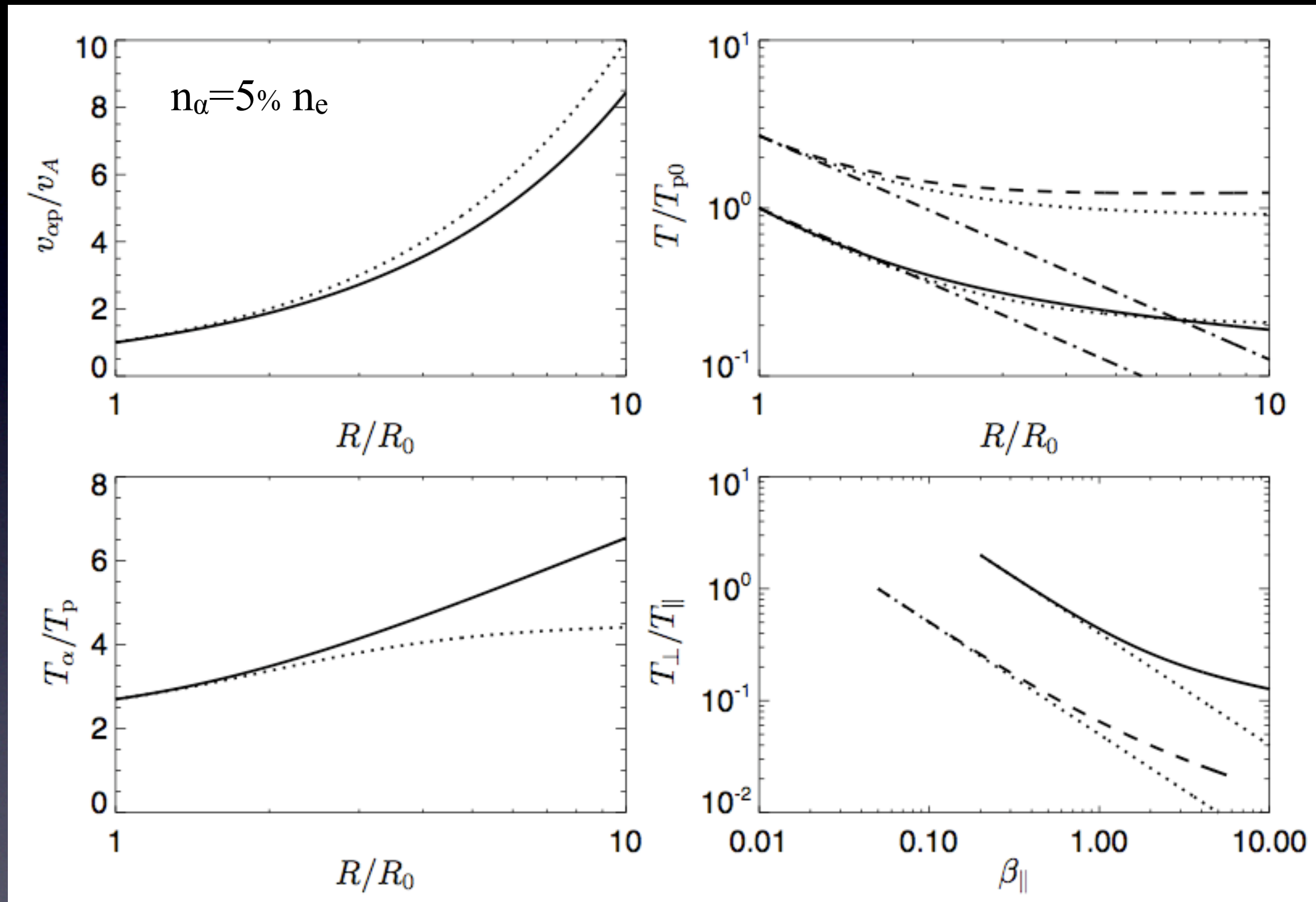


# Evolution of a plasma with an alpha-proton drift (adiabatic vs. weakly collisional)





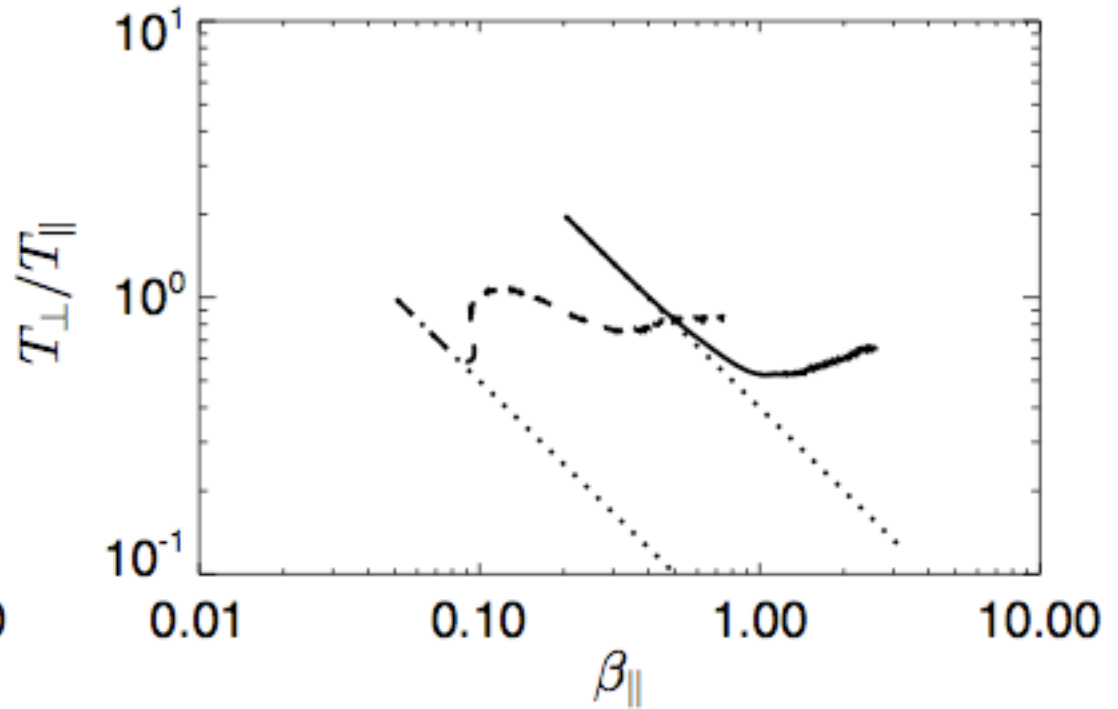
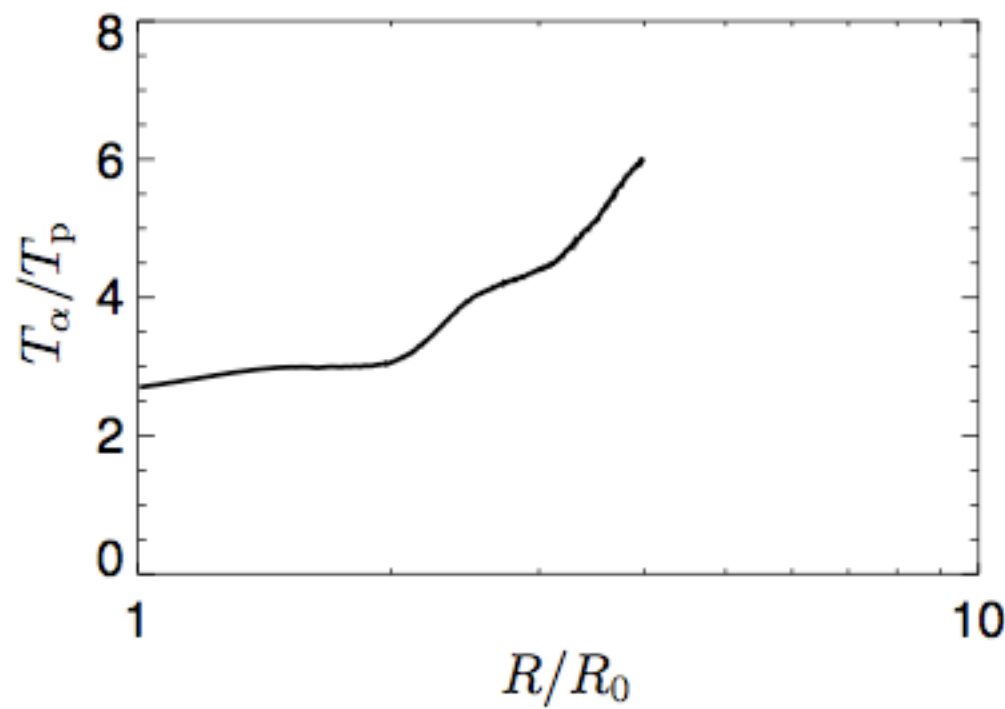
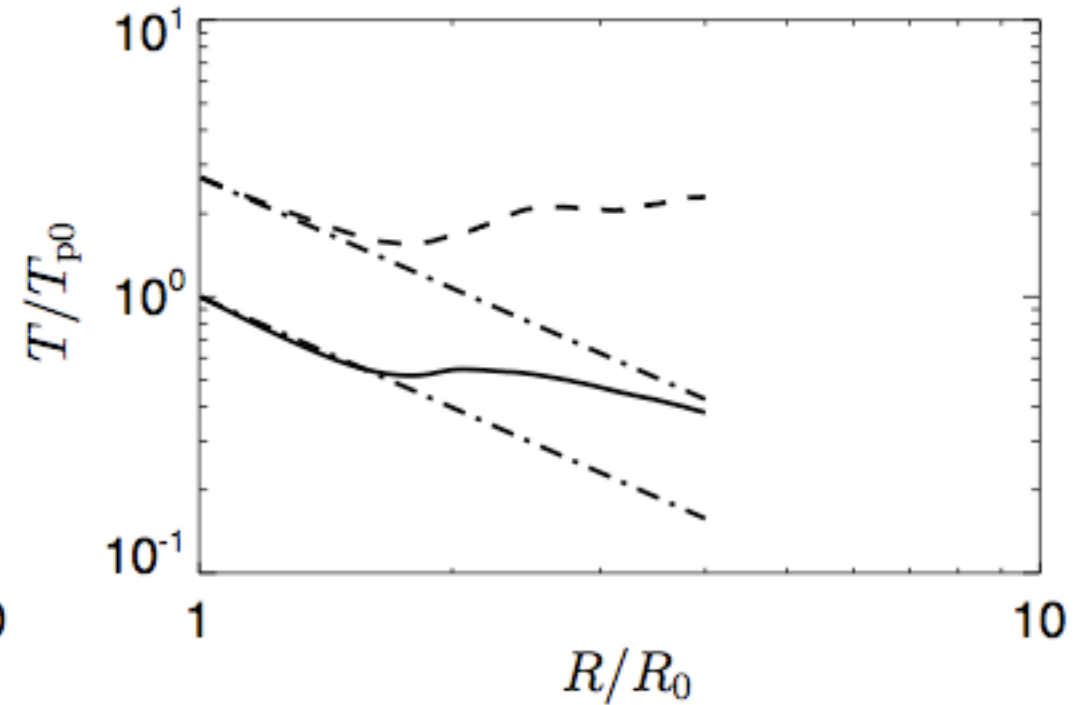
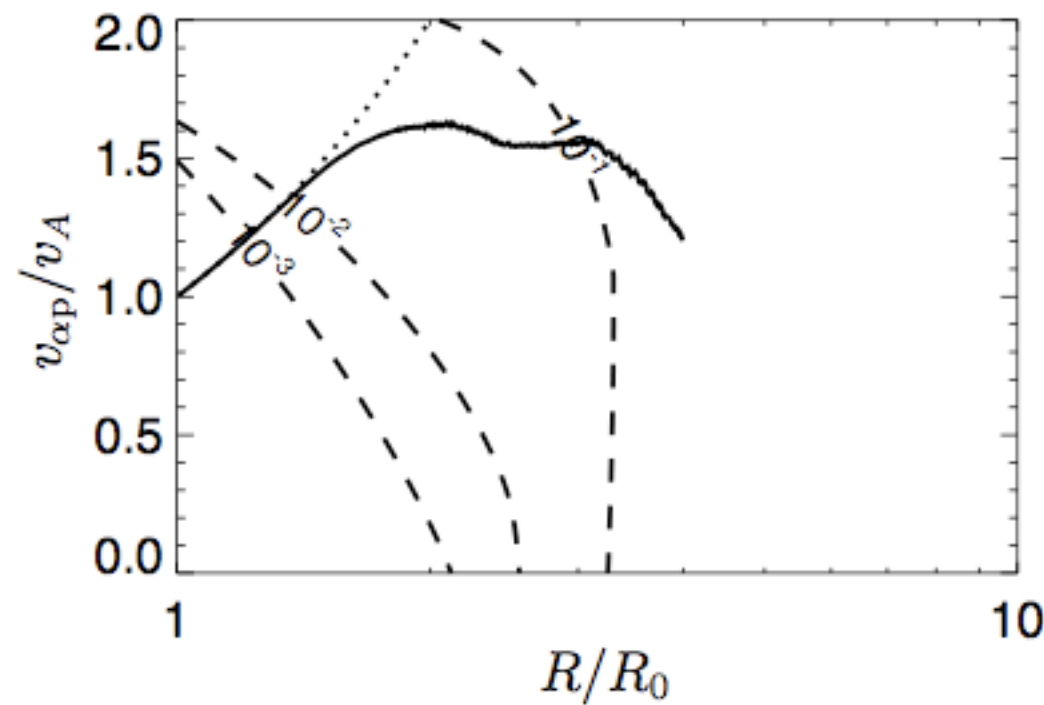
# Evolution of a plasma with an alpha-proton drift (adiabatic vs. weakly collisional)



The decrease of the velocity drift by collisions tends to increase the alpha to proton temperature ratio!



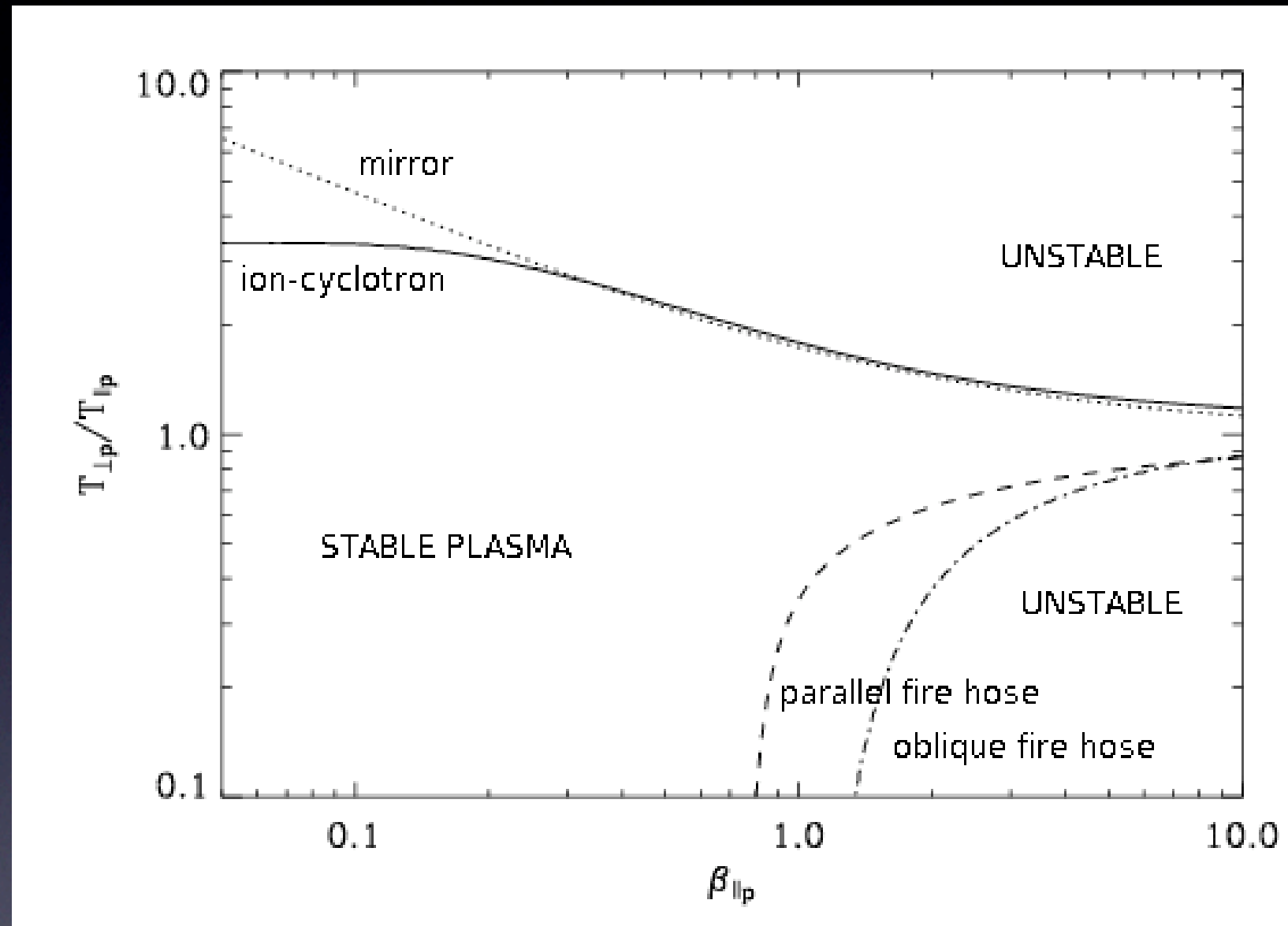
# Evolution of a plasma with an alpha-proton drift (Hybrid numerical simulations)





# Proton temperature anisotropy in the fast wind from 0.3 to 2.5 AU: Helios & Ulysses data

Linear theory  
with a 5% of  
alpha particles



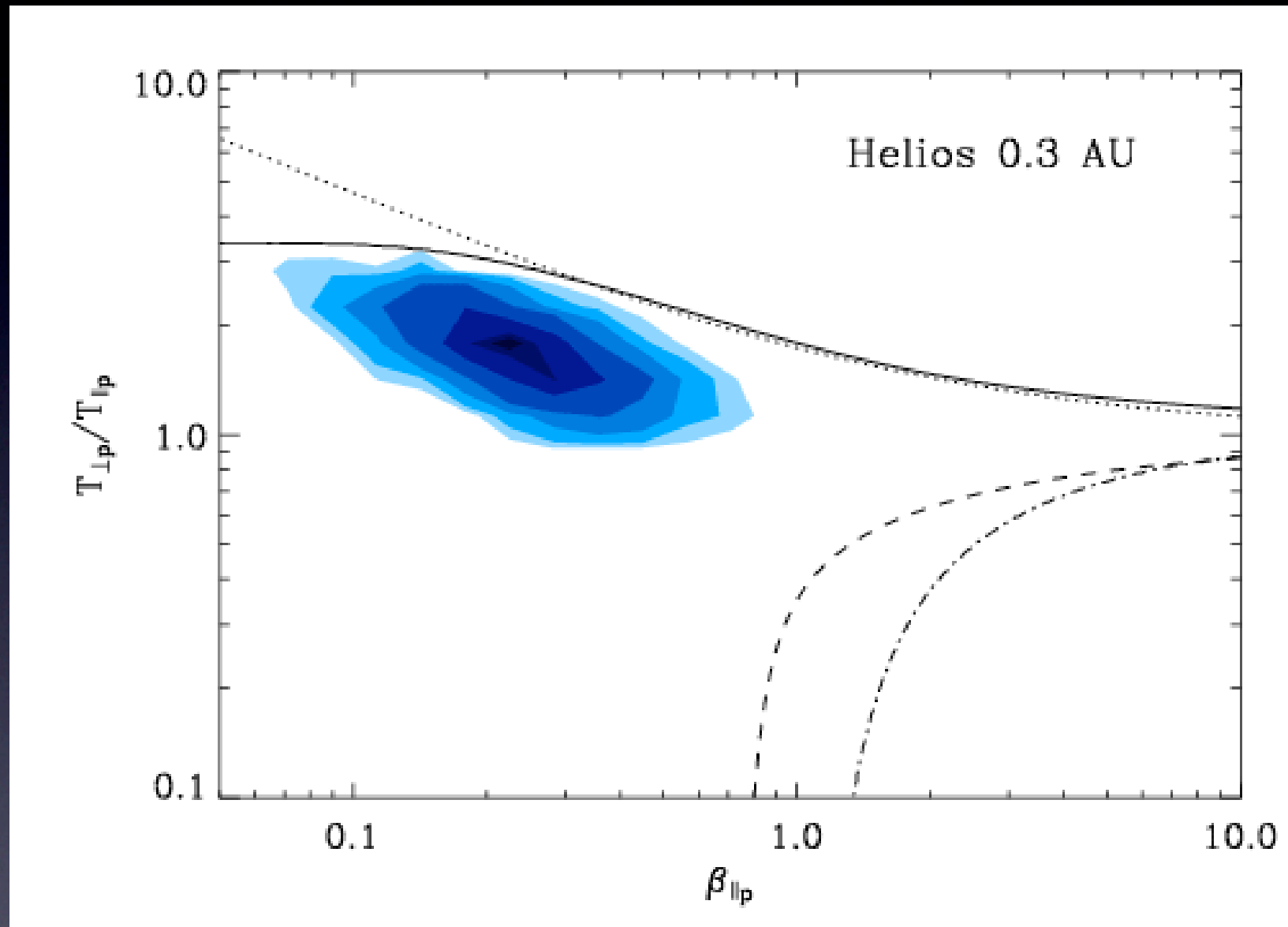
*Matteini et al., GRL 2007*

$$\beta_{\parallel, \perp} = \frac{P_{\parallel, \perp}}{B_0/8\pi} = \frac{8\pi n k_B T_{\parallel, \perp}}{B_0^2}$$



# Proton temperature anisotropy in the fast wind from 0.3 to 2.5 AU: Helios & Ulysses data

Linear theory  
with a 5% of  
alpha particles



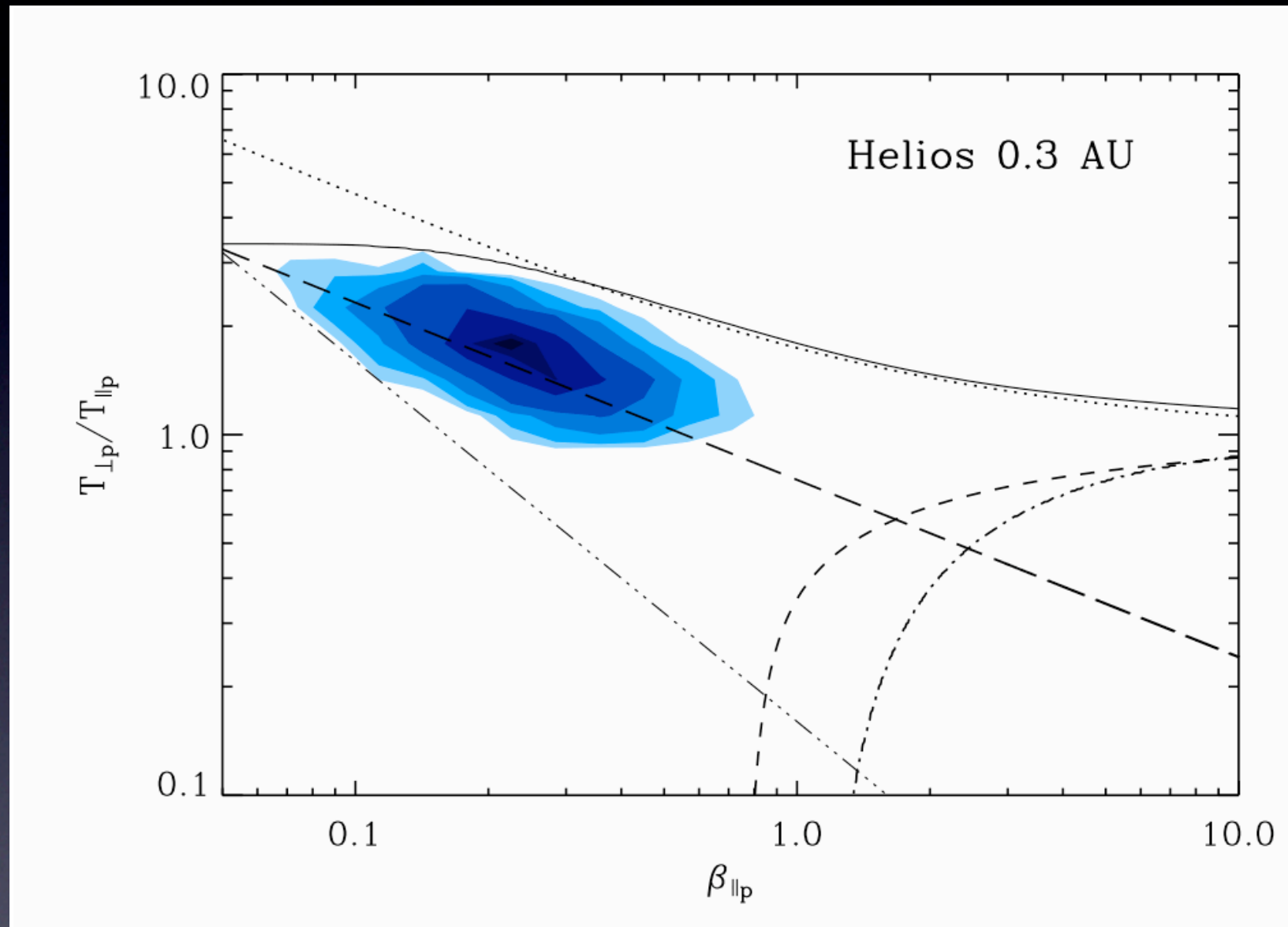
*Matteini et al., GRL 2007*

$$\beta_{\parallel,\perp} = \frac{P_{\parallel,\perp}}{B_0/8\pi} = \frac{8\pi nk_B T_{\parallel,\perp}}{B_0^2}$$



# Proton temperature anisotropy in the fast wind from 0.3 to 2.5 AU: Helios & Ulysses data

Linear theory with a 5% of alpha particles



$$\frac{T_{\perp c}}{T_{\parallel c}} \sim \frac{a}{\beta_{\parallel c}^b}$$

*Matteini et al., GRL 2007*

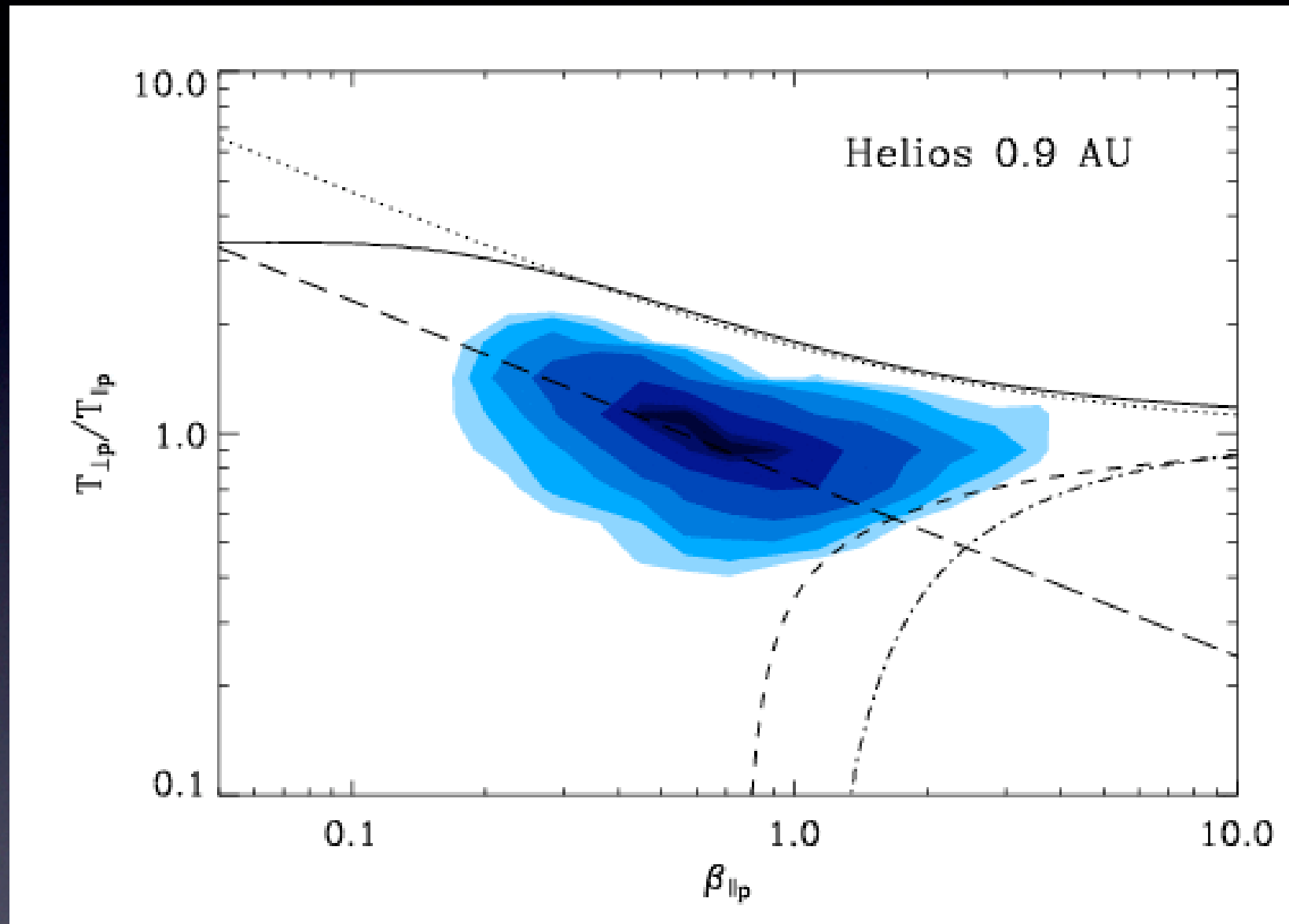
$$\beta_{\parallel, \perp} = \frac{P_{\parallel, \perp}}{B_0/8\pi} = \frac{8\pi n k_B T_{\parallel, \perp}}{B_0^2}$$

*Marsch et al. 2004*



# Proton temperature anisotropy in the fast wind from 0.3 to 2.5 AU: Helios & Ulysses data

Linear theory  
with a 5% of  
alpha particles



$$\frac{T_{\perp c}}{T_{\parallel c}} \sim \frac{a}{\beta_{\parallel c}^b}$$

*Matteini et al., GRL 2007*

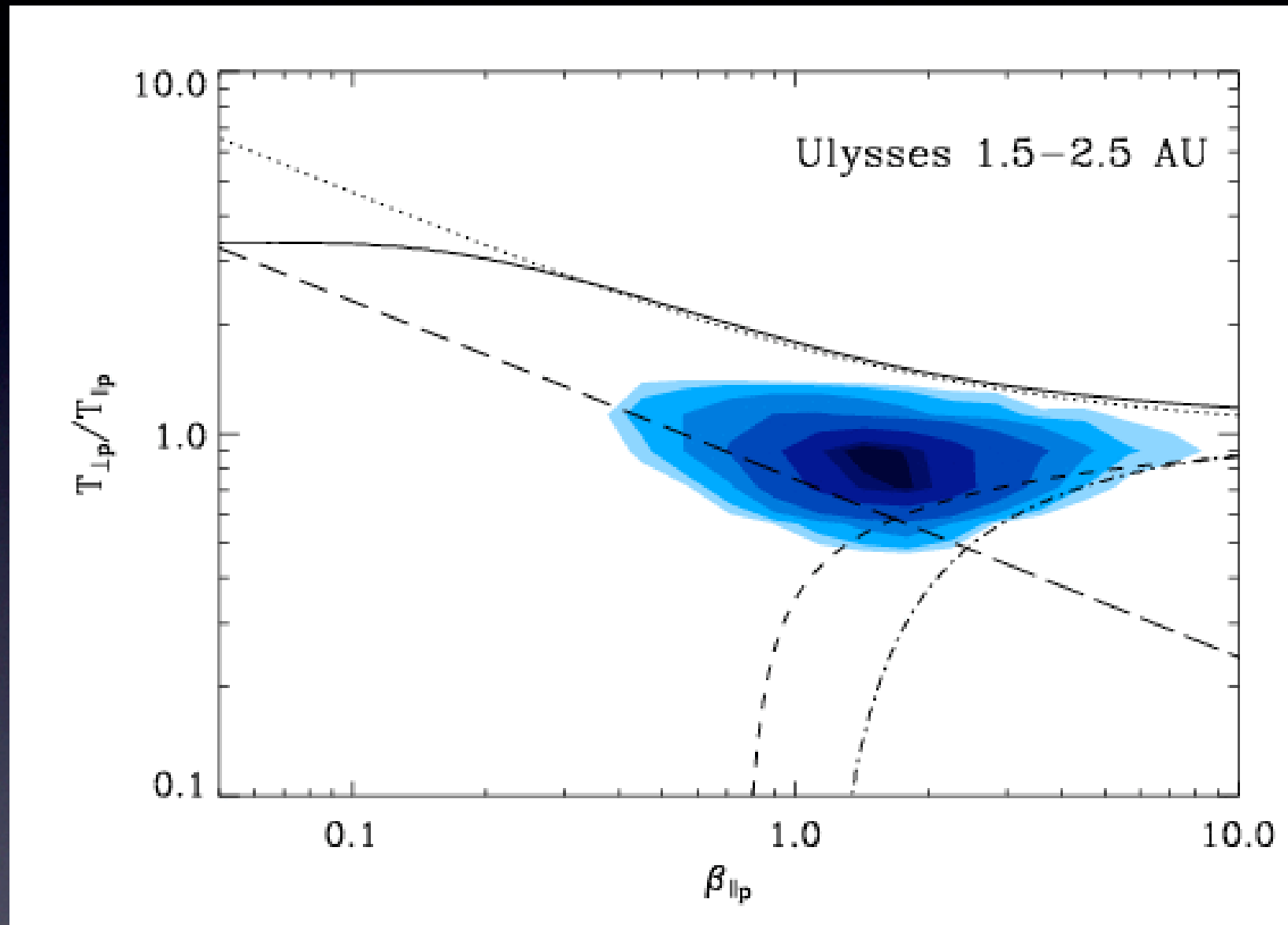
$$\beta_{\parallel, \perp} = \frac{P_{\parallel, \perp}}{B_0/8\pi} = \frac{8\pi n k_B T_{\parallel, \perp}}{B_0^2}$$

*Marsch et al. 2004*



# Proton temperature anisotropy in the fast wind from 0.3 to 2.5 AU: Helios & Ulysses data

Linear theory  
with a 5% of  
alpha particles

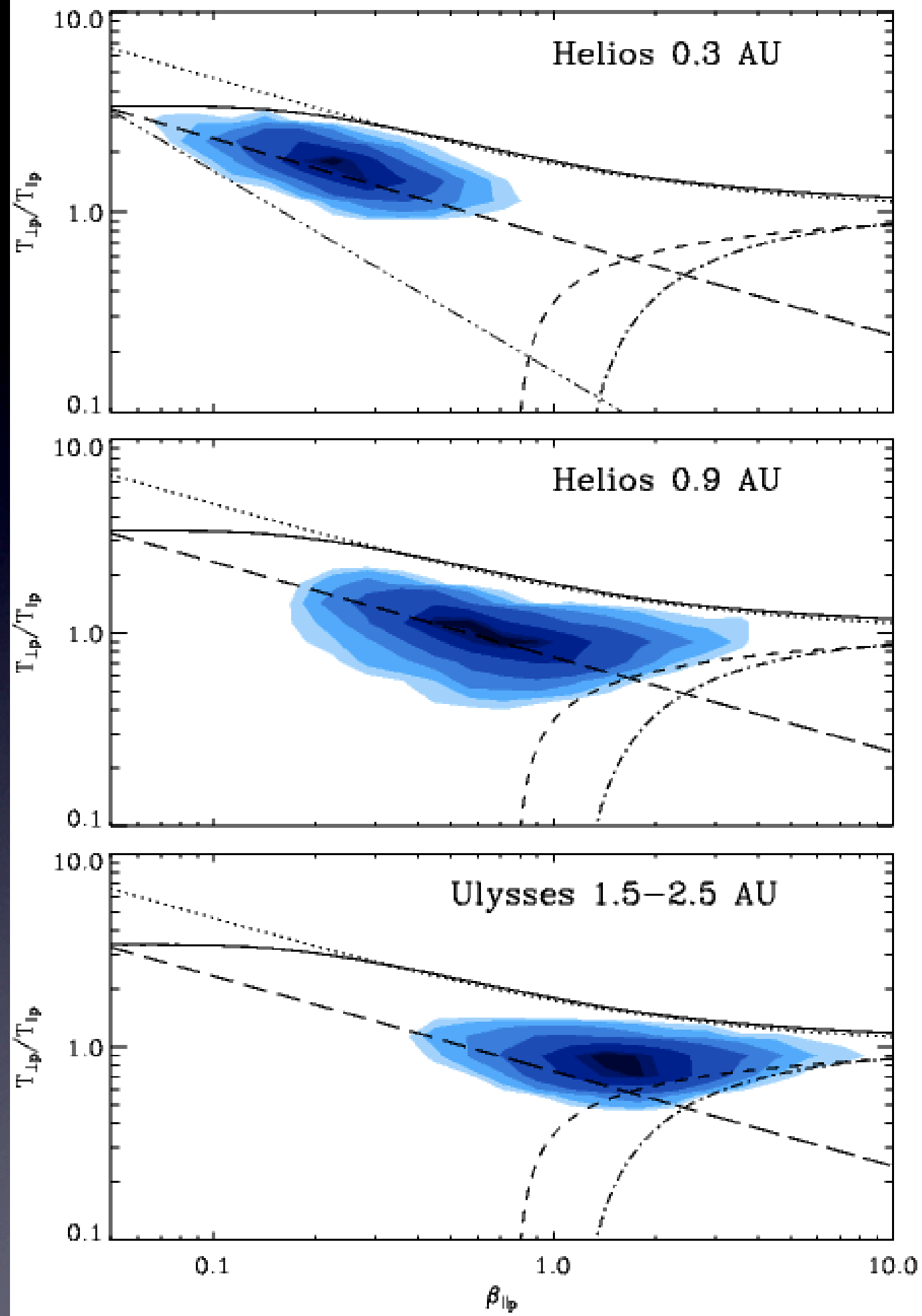


$$\frac{T_{\perp c}}{T_{\parallel c}} \sim \frac{a}{\beta_{\parallel c}^b}$$

*Matteini et al., GRL 2007*

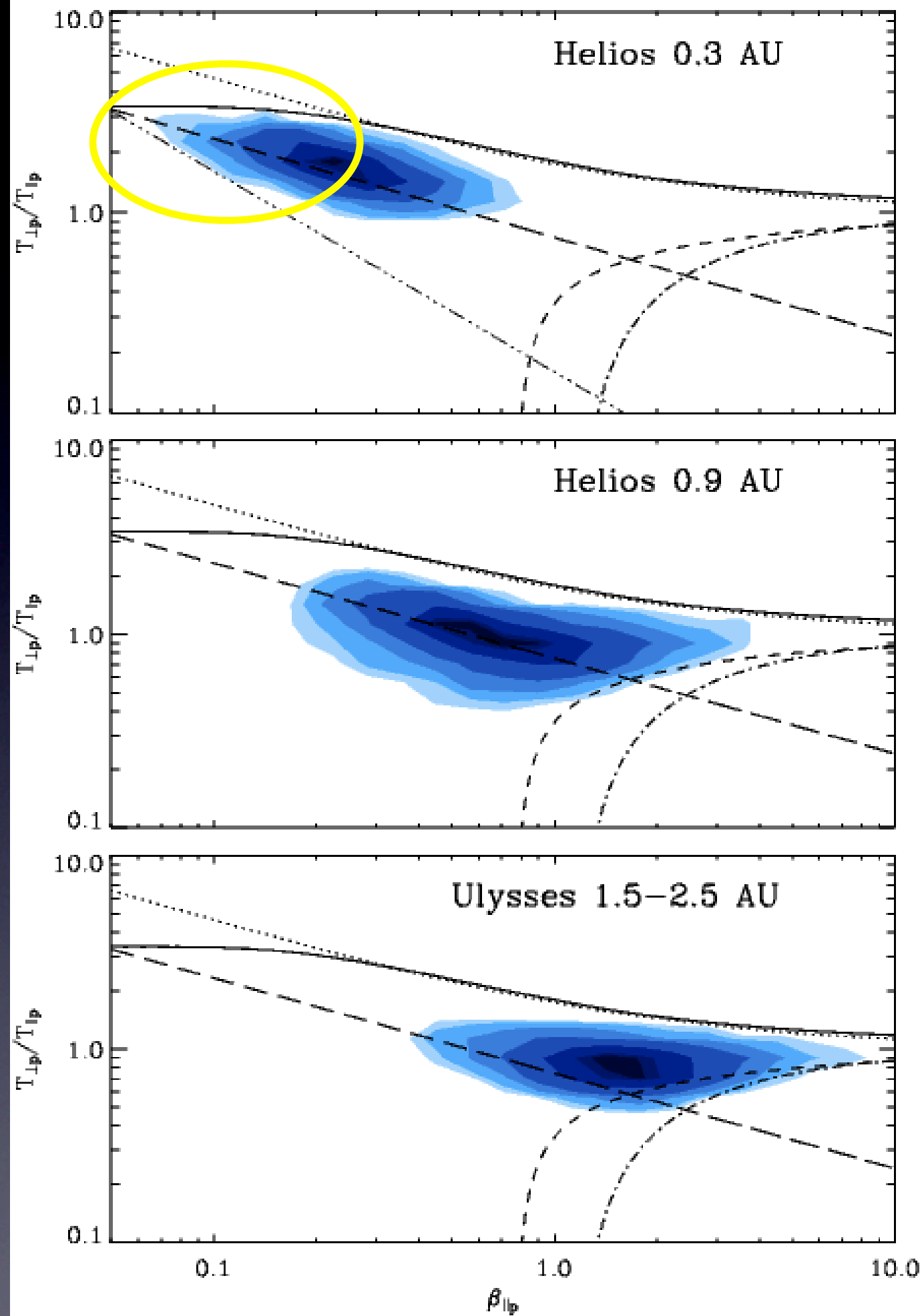
$$\beta_{\parallel, \perp} = \frac{P_{\parallel, \perp}}{B_0/8\pi} = \frac{8\pi n k_B T_{\parallel, \perp}}{B_0^2}$$

*Marsch et al. 2004*



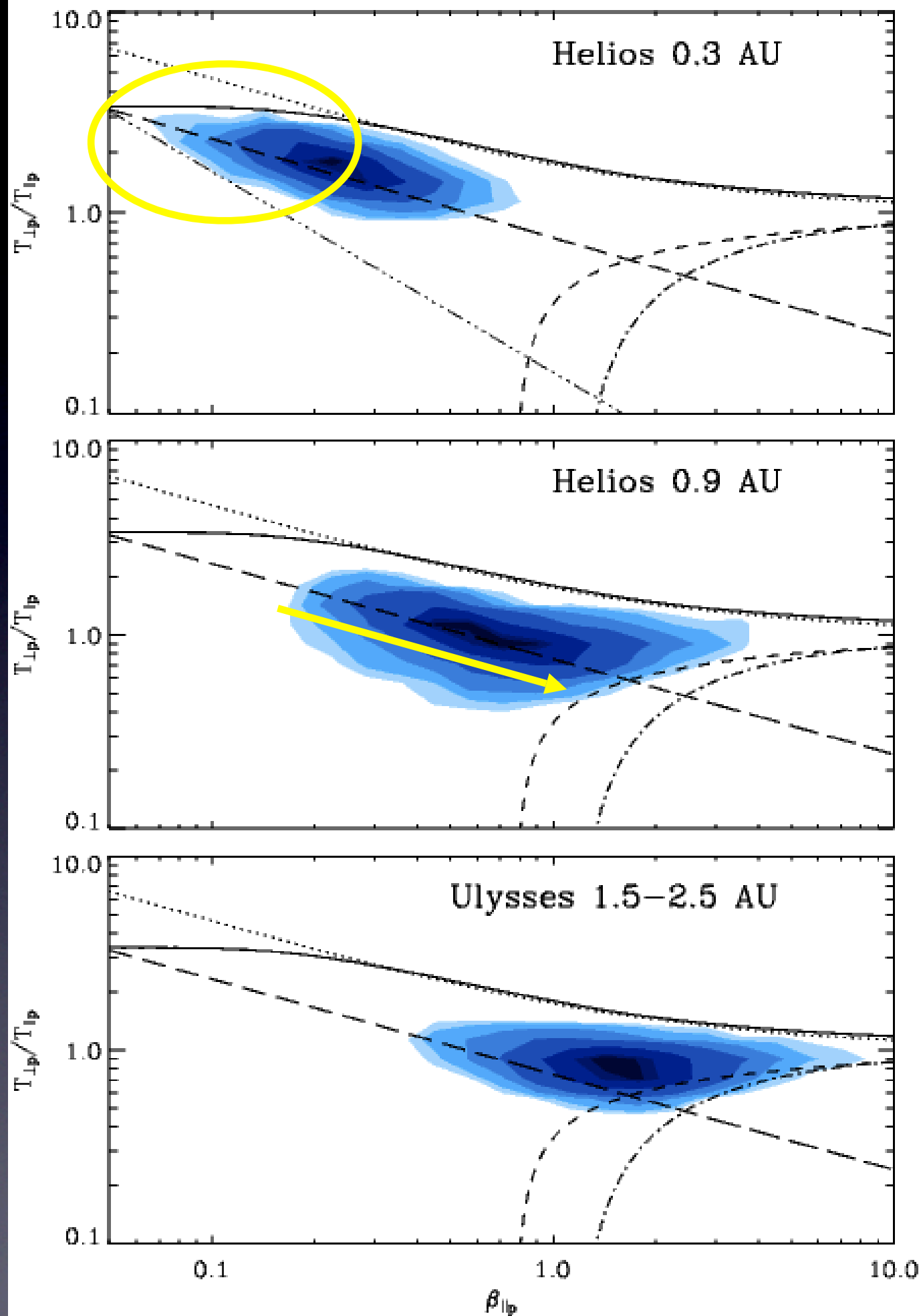


At which distance  
is the maximum of  
the anisotropy?  
(Solar Orbiter,  
Solar Probe)



At which distance  
is the maximum of  
the anisotropy?  
(Solar Orbiter,  
Solar Probe)

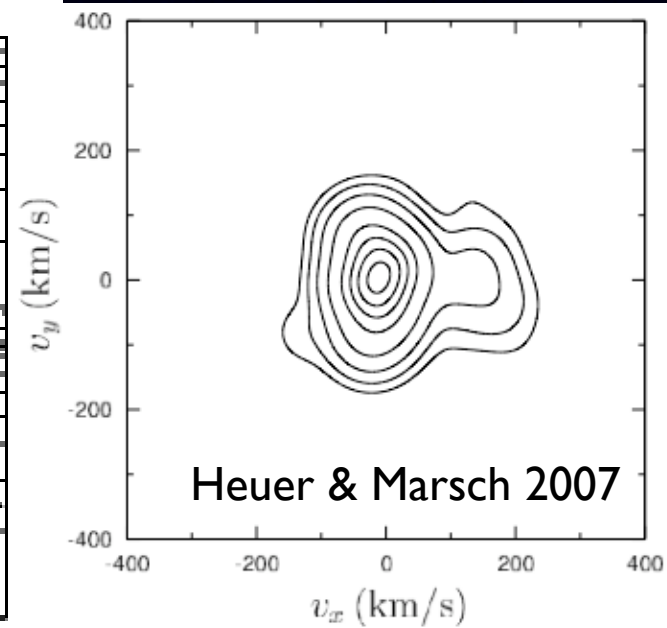
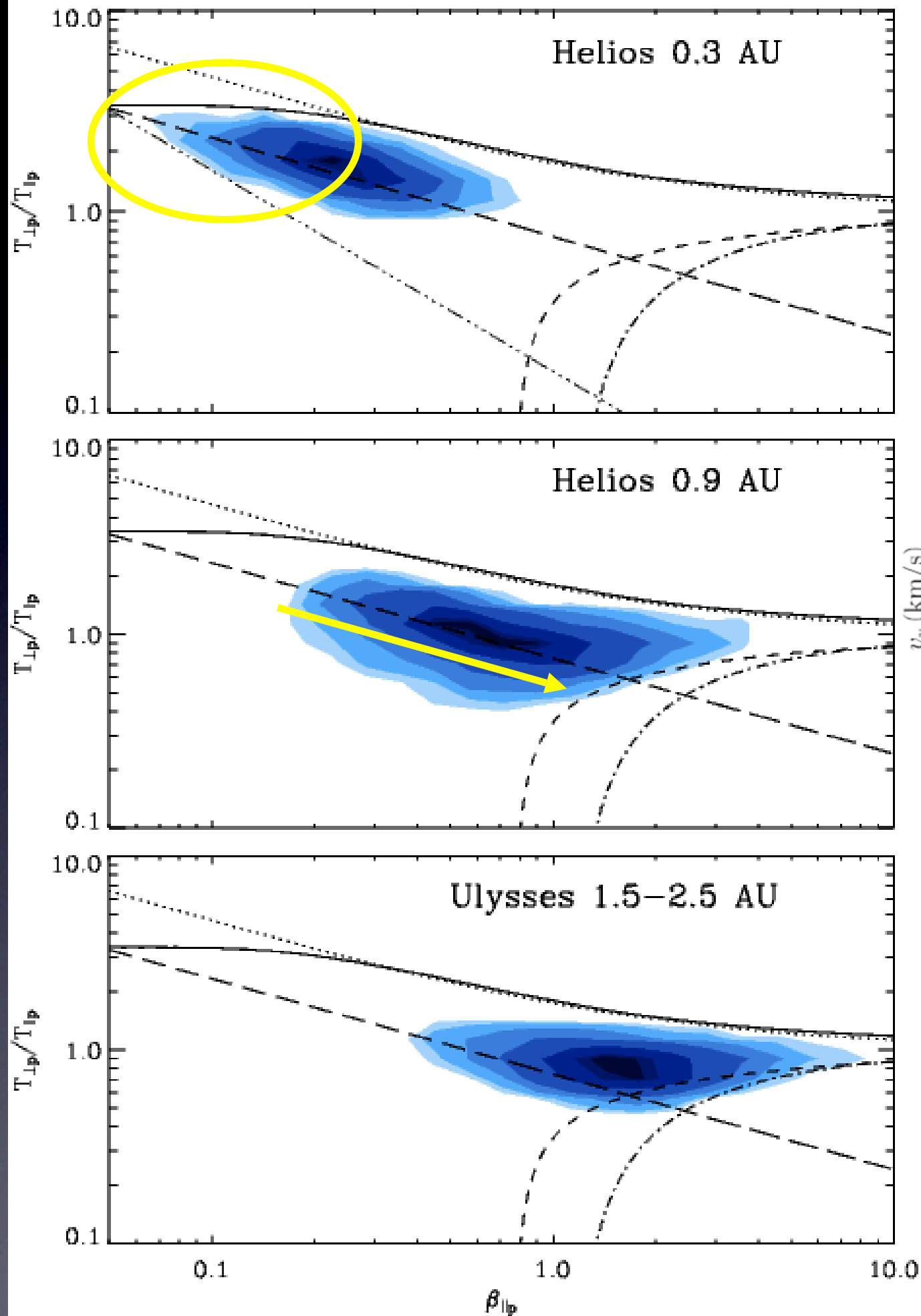
Non-adiabatic  
evolution, local  
perpendicular  
heating.





At which distance  
is the maximum of  
the anisotropy?  
(Solar Orbiter,  
Solar Probe)

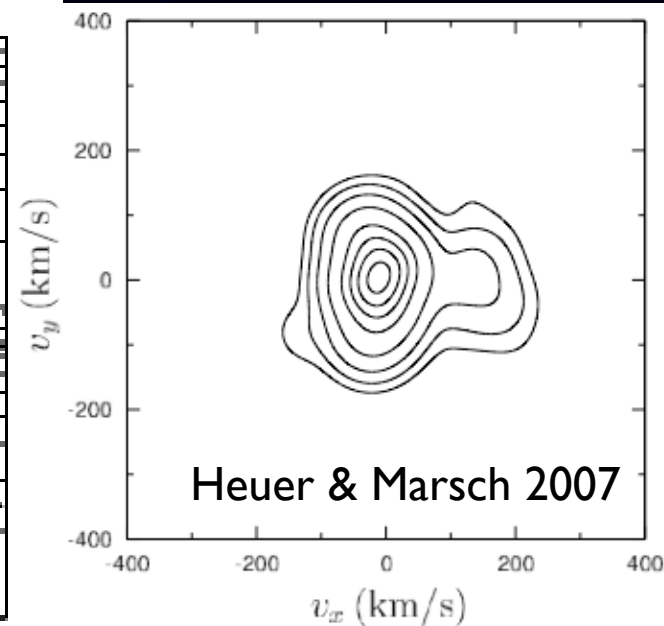
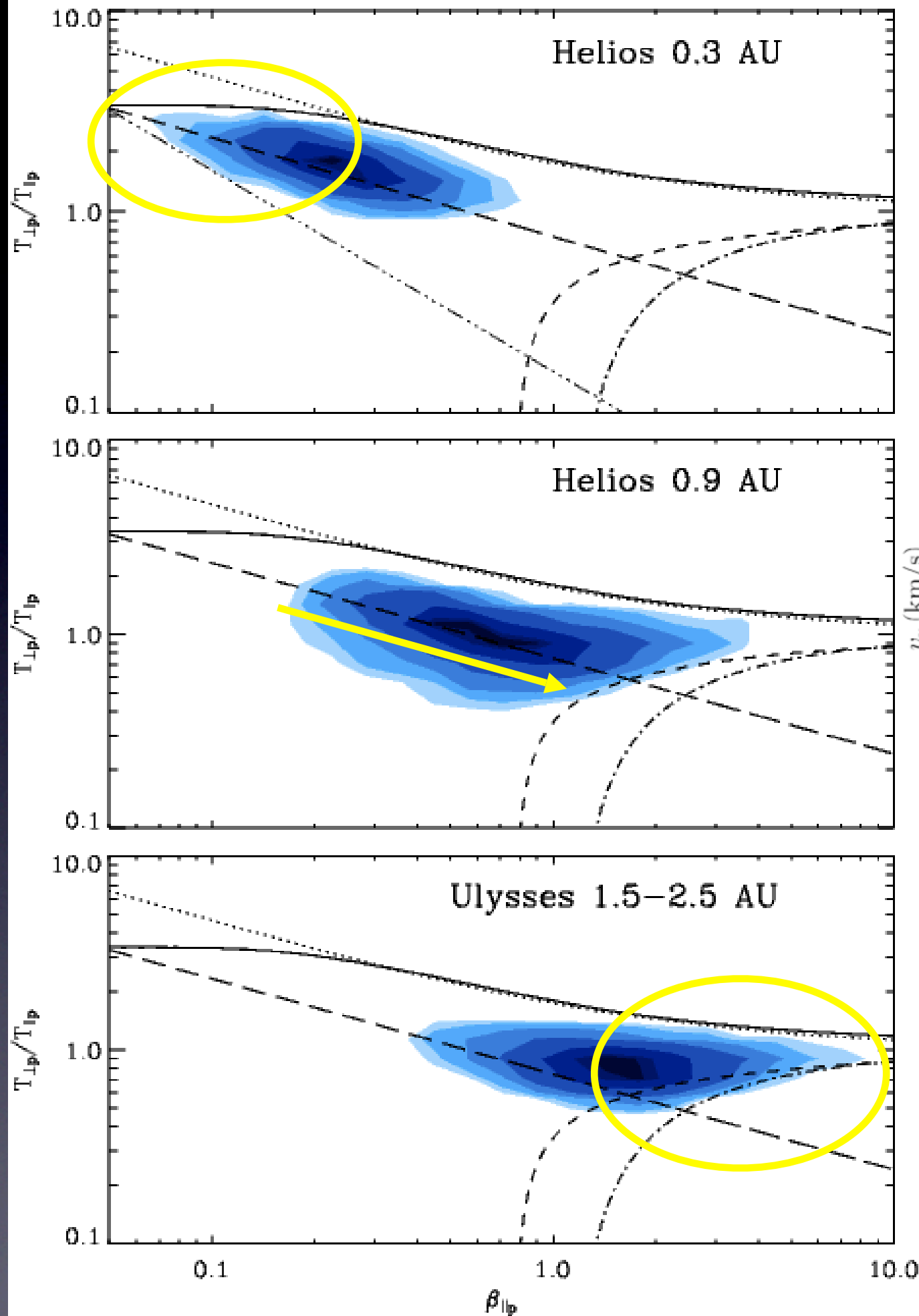
Non-adiabatic  
evolution, local  
perpendicular  
heating.



At which distance  
is the maximum of  
the anisotropy?  
(Solar Orbiter,  
Solar Probe)

Non-adiabatic  
evolution, local  
perpendicular  
heating.

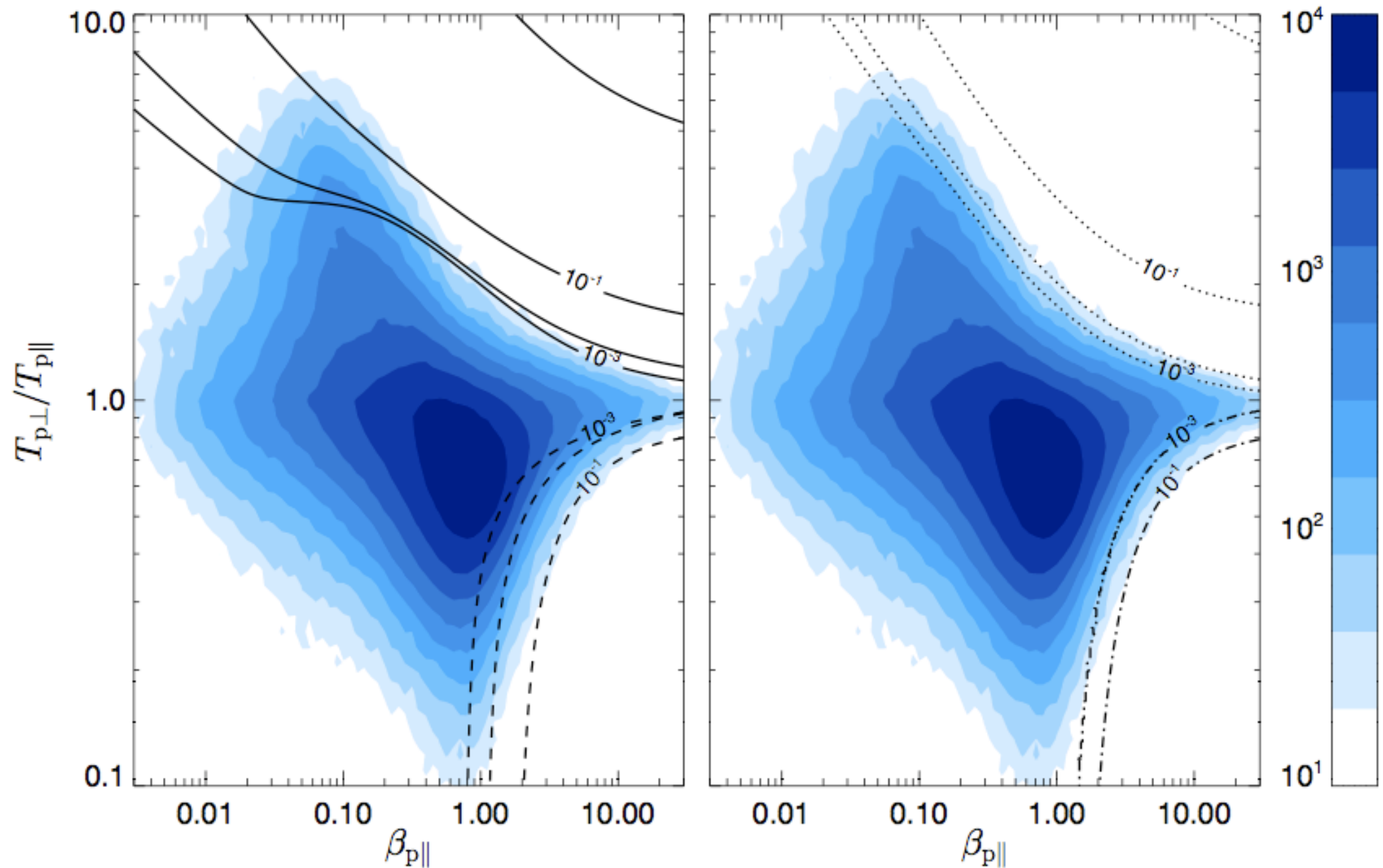
Local generation of  
fluctuations.  
Enhancement of wave  
activity observed by  
WIND (*Bale et al. 2009*)  
and Ulysses (*Wicks et al.  
2010*)





# Slow wind: WIND data

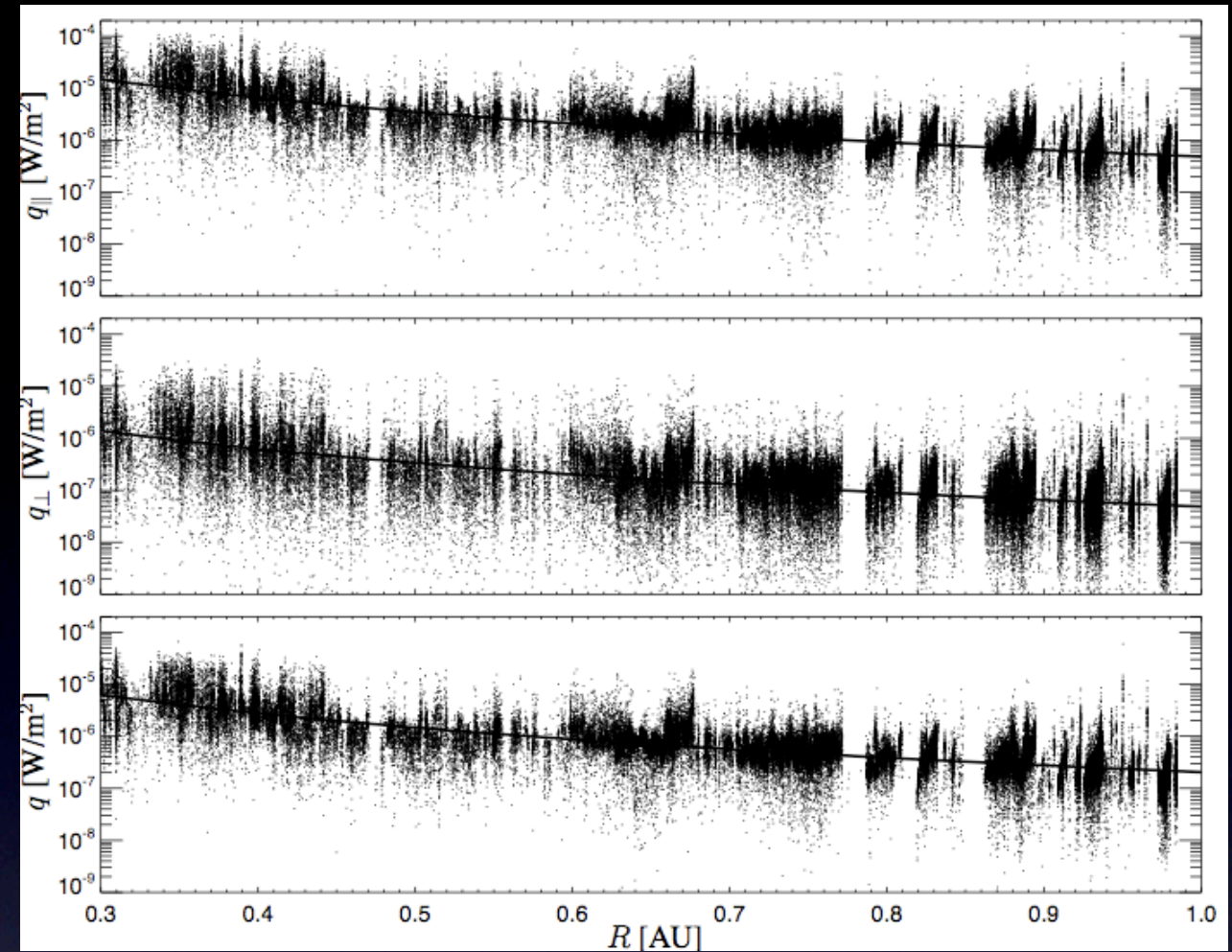
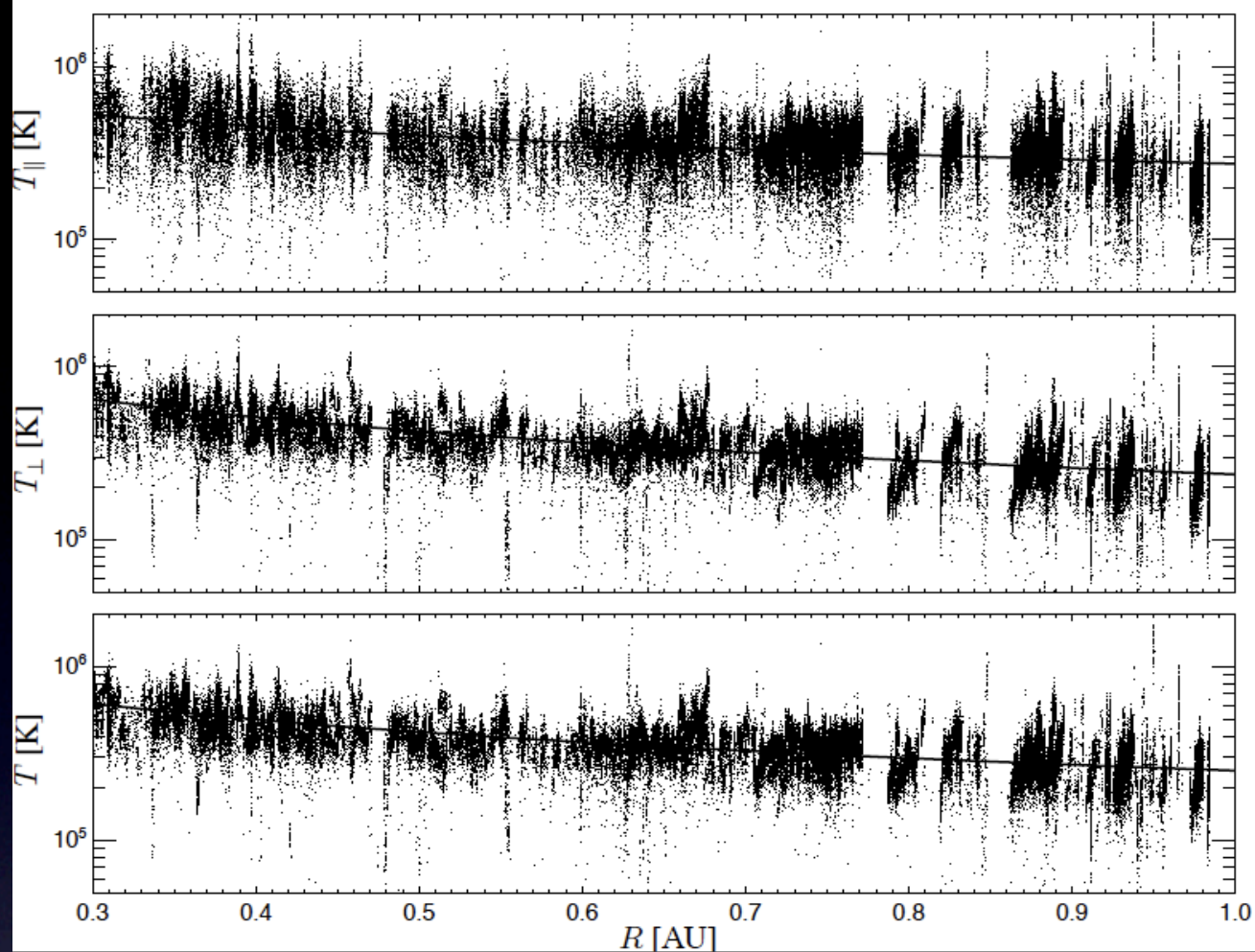
*(Kasper et al. 2002, Hellinger et al. 2006, Matteini et al. 2011)*



Ion-cyclotron  
Parallel fire hose

Mirror  
Oblique fire hose





$$T_{\parallel} \simeq 2.7 \cdot 10^5 (R/R_0)^{-0.54} \text{ K},$$

$$T_{\perp} \simeq 2.4 \cdot 10^5 (R/R_0)^{-0.83} \text{ K},$$

$$T \simeq 2.5 \cdot 10^5 (R/R_0)^{-0.74} \text{ K},$$

$$q_{\parallel} \simeq 4.8 \cdot 10^{-7} (R/R_0)^{-2.9} \text{ W/m}^2,$$

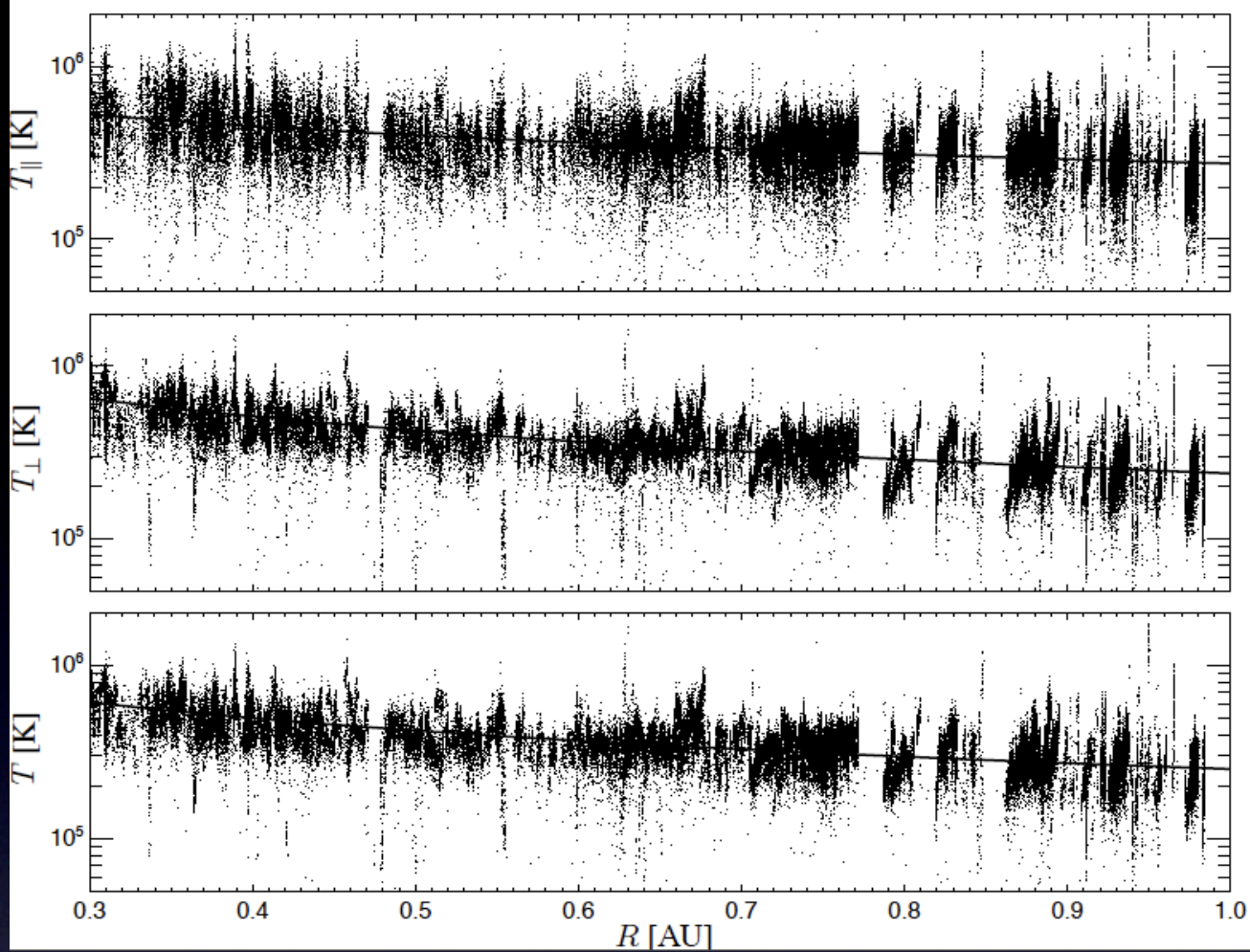
$$q_{\perp} \simeq 4.8 \cdot 10^{-8} (R/R_0)^{-2.8} \text{ nW/m}^2,$$

$$q \simeq 2.0 \cdot 10^{-7} (R/R_0)^{-2.8} \text{ W/m}^2.$$

“Heating and cooling of protons in the fast solar wind  
between 0.3 and 1 AU: Helios revisited”

*Hellinger, Matteini et al. JGR submitted*





$$T_{\parallel} \simeq 2.7 \cdot 10^5 (R/R_0)^{-0.54} \text{ K},$$

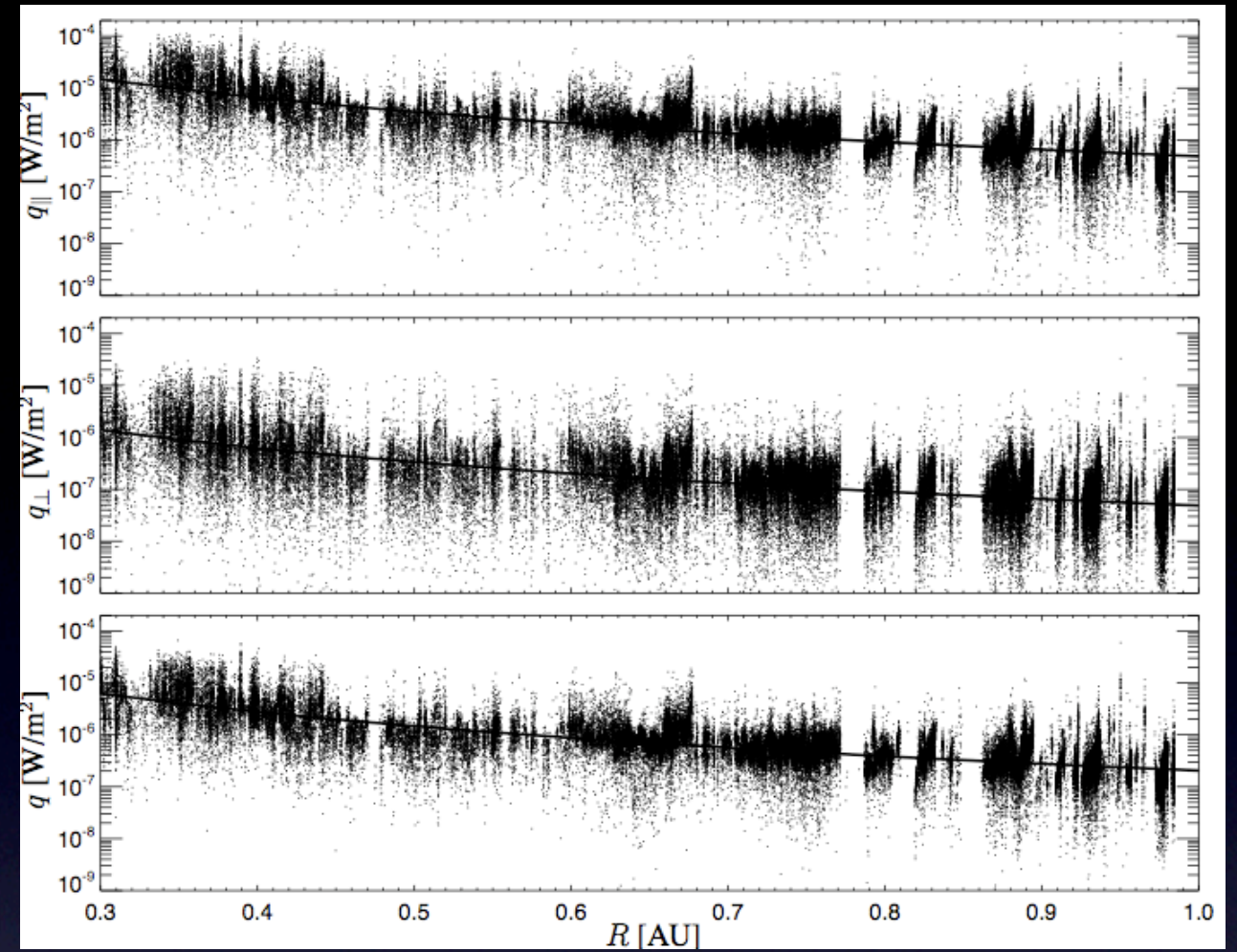
$$T_{\perp} \simeq 2.4 \cdot 10^5 (R/R_0)^{-0.83} \text{ K},$$

$$T \simeq 2.5 \cdot 10^5 (R/R_0)^{-0.74} \text{ K},$$

$$q_{\parallel} \simeq 4.8 \cdot 10^{-7} (R/R_0)^{-2.9} \text{ W/m}^2,$$

$$q_{\perp} \simeq 4.8 \cdot 10^{-8} (R/R_0)^{-2.8} \text{ nW/m}^2,$$

$$q \simeq 2.0 \cdot 10^{-7} (R/R_0)^{-2.8} \text{ W/m}^2.$$



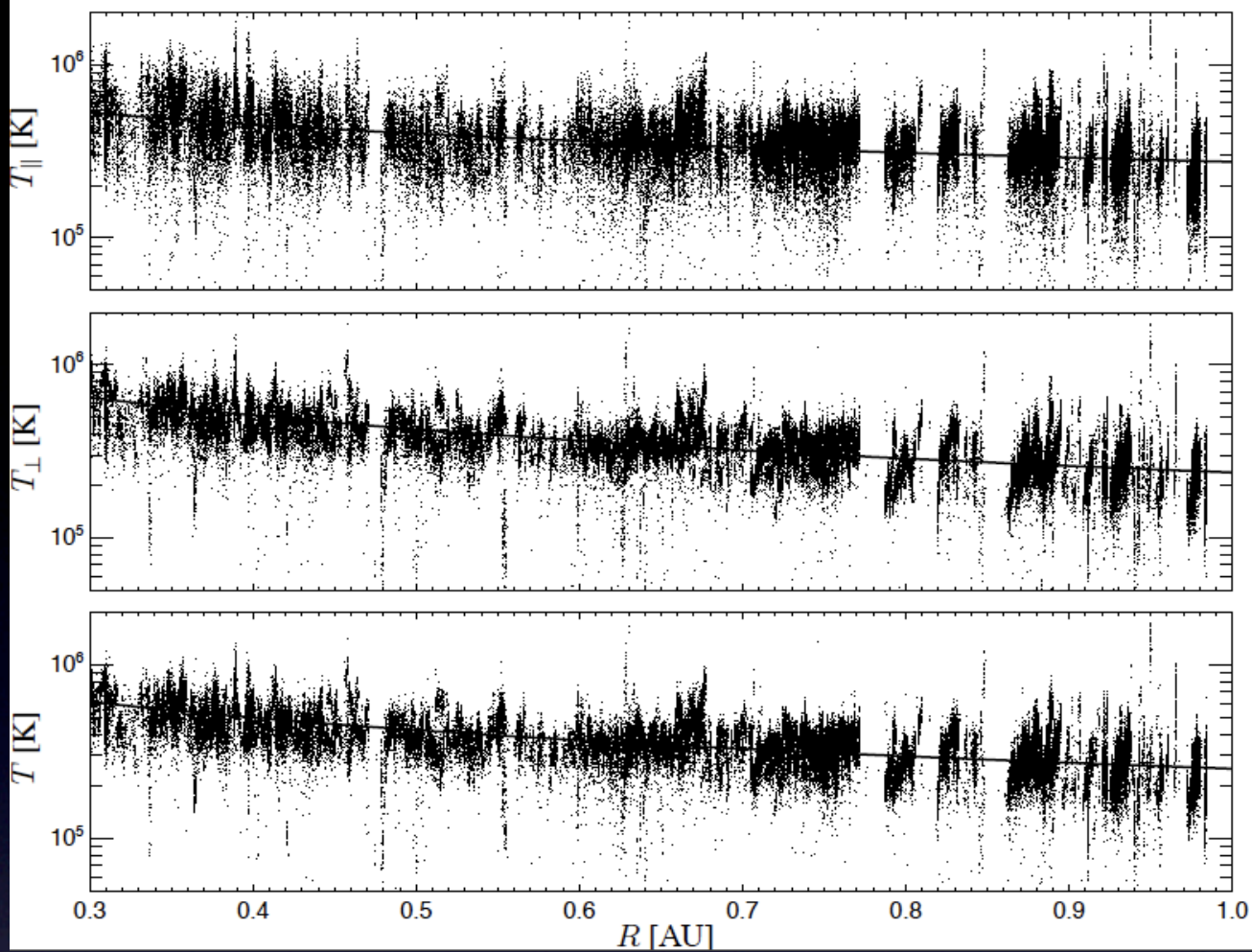
$$nk_B \left( \frac{\partial}{\partial t} + \mathbf{u} \cdot \nabla \right) T_{\parallel} = nk_B \left[ -2T_{\parallel} \nabla_{\parallel} \cdot \mathbf{u} + \left( \frac{dT_{\parallel}}{dt} \right)_c \right. \\ \left. - \nabla \cdot (q_{\parallel} \mathbf{b}) + 2q_{\perp} \nabla \cdot \mathbf{b}, \right]$$

$$nk_B \left( \frac{\partial}{\partial t} + \mathbf{u} \cdot \nabla \right) T_{\perp} = nk_B \left[ -T_{\perp} \nabla_{\perp} \cdot \mathbf{u} + \left( \frac{dT_{\perp}}{dt} \right)_c \right. \\ \left. - \nabla \cdot (q_{\perp} \mathbf{b}) - q_{\perp} \nabla \cdot \mathbf{b}, \right]$$

“Heating and cooling of protons in the fast solar wind  
between 0.3 and 1 AU: Helios revisited”

*Hellinger, Matteini et al. JGR submitted*





$$T_{\parallel} \simeq 2.7 \cdot 10^5 (R/R_0)^{-0.54} \text{ K},$$

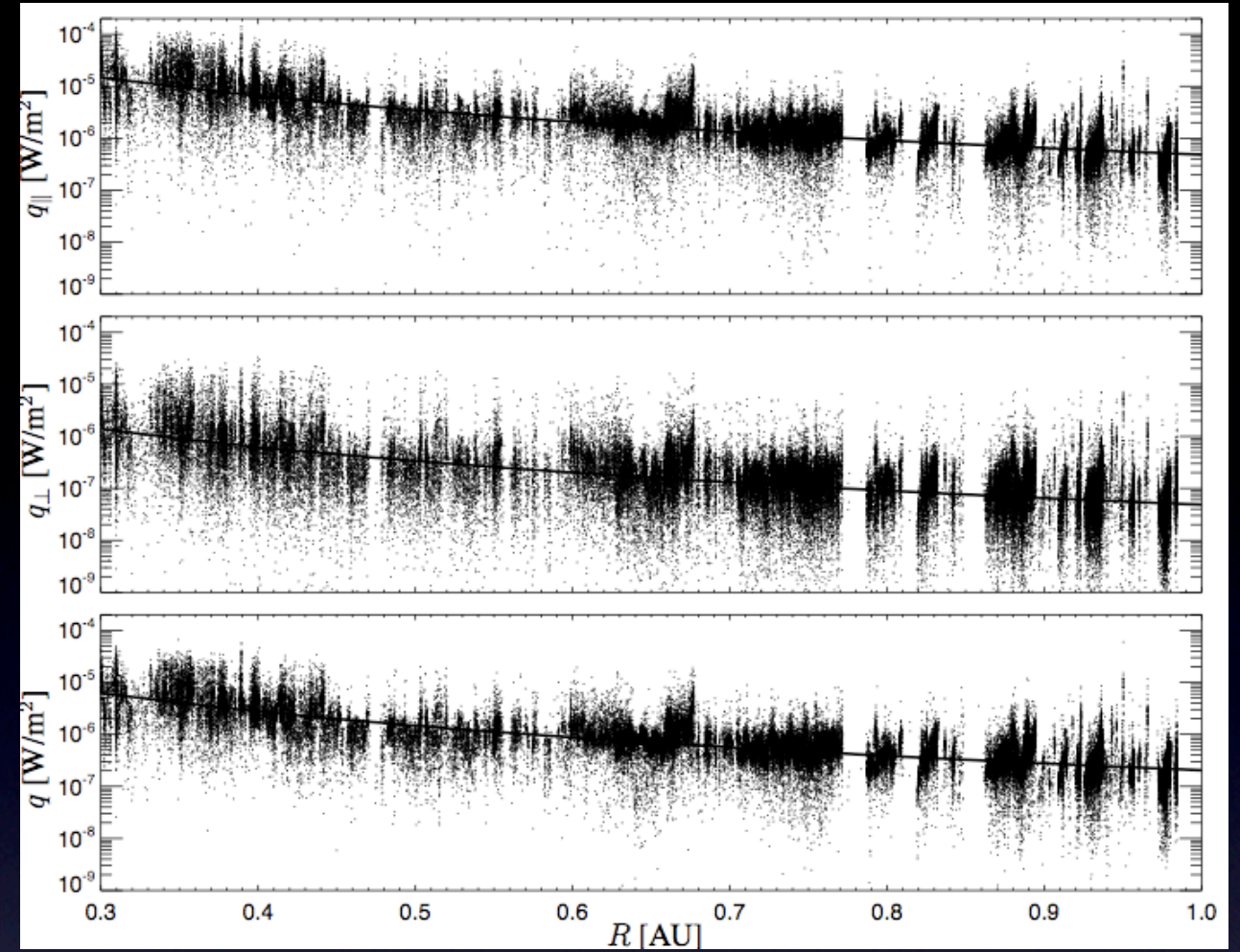
$$T_{\perp} \simeq 2.4 \cdot 10^5 (R/R_0)^{-0.83} \text{ K},$$

$$T \simeq 2.5 \cdot 10^5 (R/R_0)^{-0.74} \text{ K},$$

$$q_{\parallel} \simeq 4.8 \cdot 10^{-7} (R/R_0)^{-2.9} \text{ W/m}^2,$$

$$q_{\perp} \simeq 4.8 \cdot 10^{-8} (R/R_0)^{-2.8} \text{ nW/m}^2,$$

$$q \simeq 2.0 \cdot 10^{-7} (R/R_0)^{-2.8} \text{ W/m}^2.$$



$$nk_B \left( \frac{\partial}{\partial t} + \mathbf{u} \cdot \nabla \right) T_{\parallel} = nk_B \left[ -2T_{\parallel} \nabla_{\parallel} \cdot \mathbf{u} + \left( \frac{dT_{\parallel}}{dt} \right)_c \right. \\ \left. - \nabla \cdot (q_{\parallel} \mathbf{b}) + 2q_{\perp} \nabla \cdot \mathbf{b}, \right]$$

$$nk_B \left( \frac{\partial}{\partial t} + \mathbf{u} \cdot \nabla \right) T_{\perp} = nk_B \left[ -T_{\perp} \nabla_{\perp} \cdot \mathbf{u} + \left( \frac{dT_{\perp}}{dt} \right)_c \right. \\ \left. - \nabla \cdot (q_{\perp} \mathbf{b}) - q_{\perp} \nabla \cdot \mathbf{b}, \right]$$

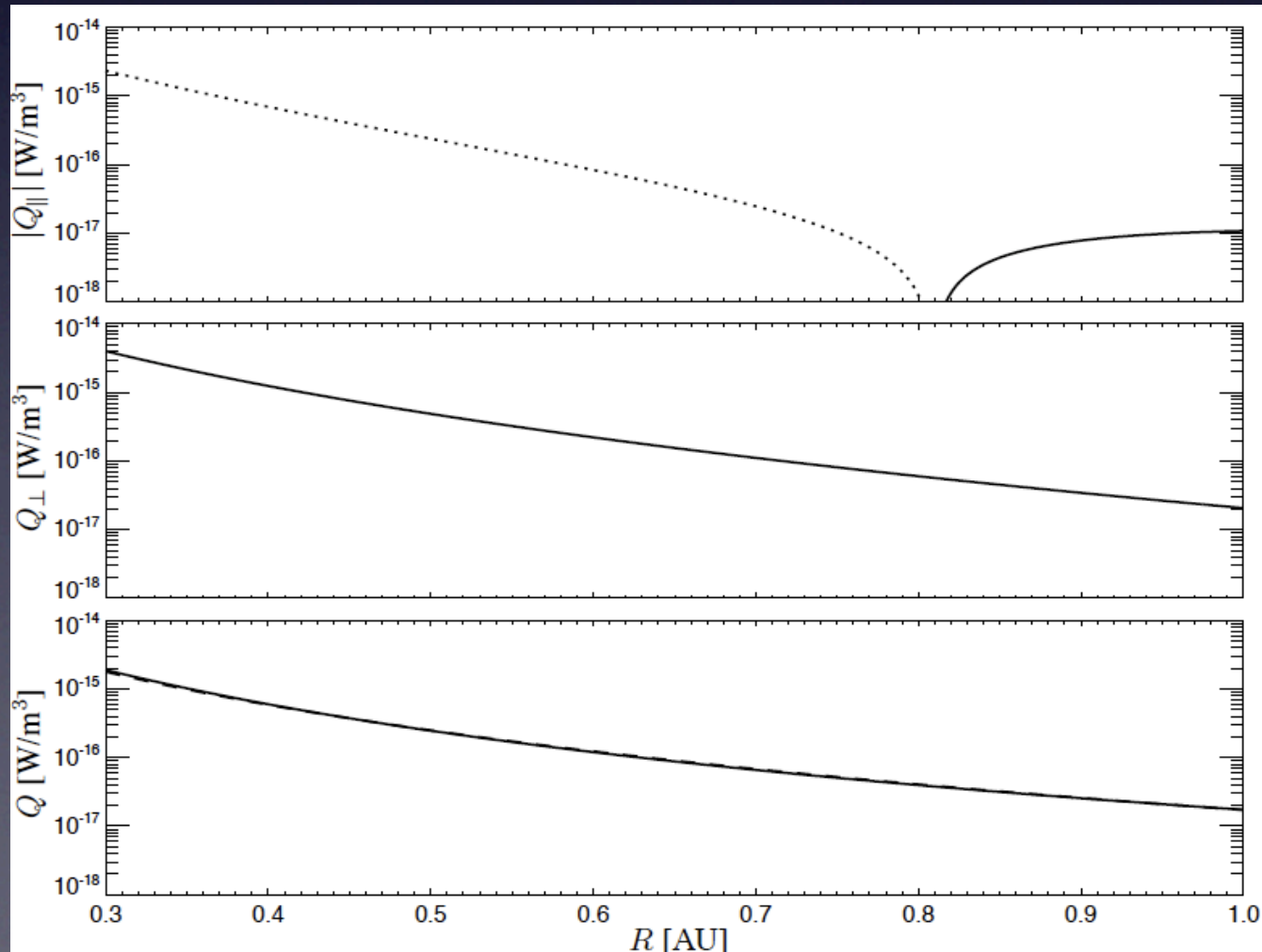
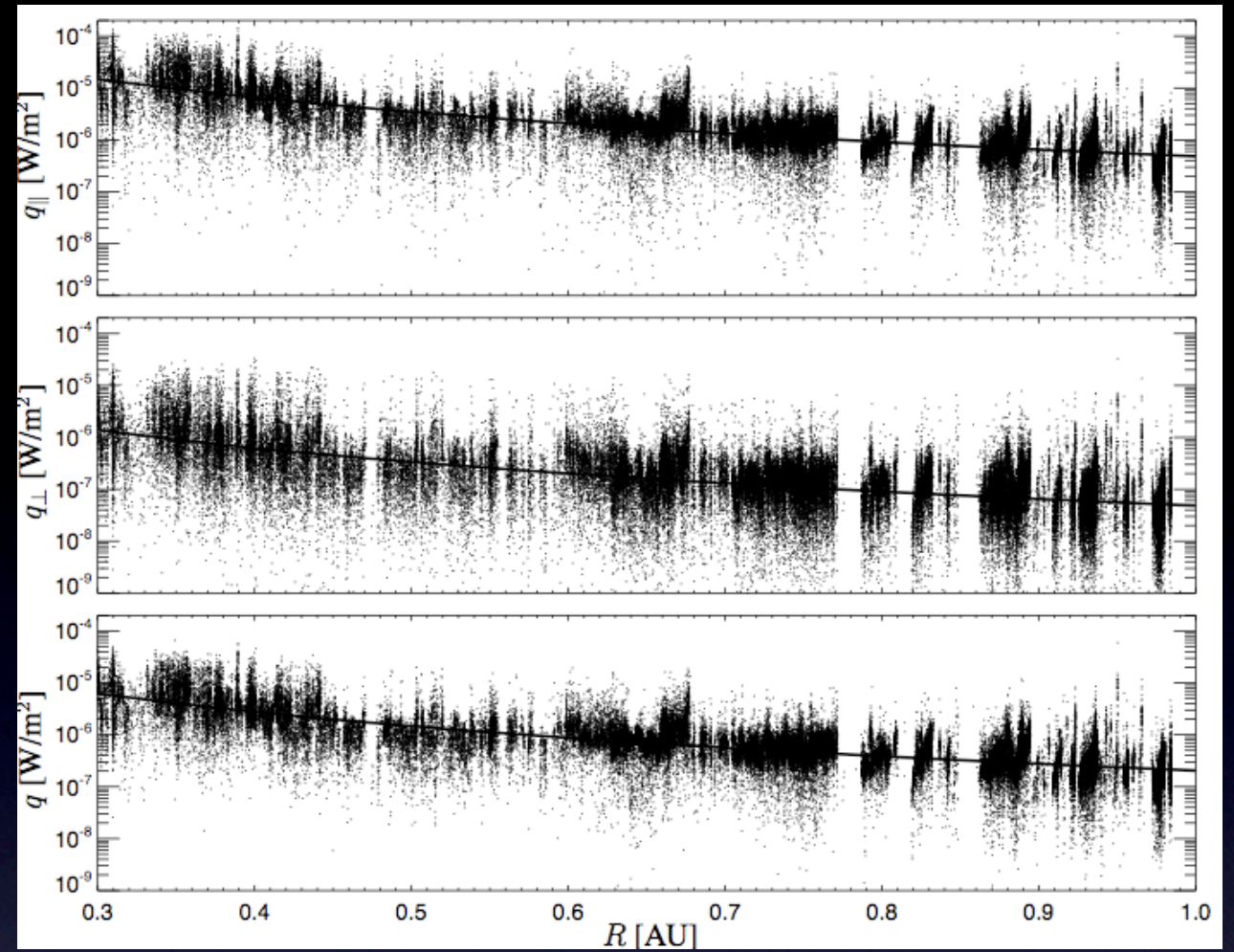
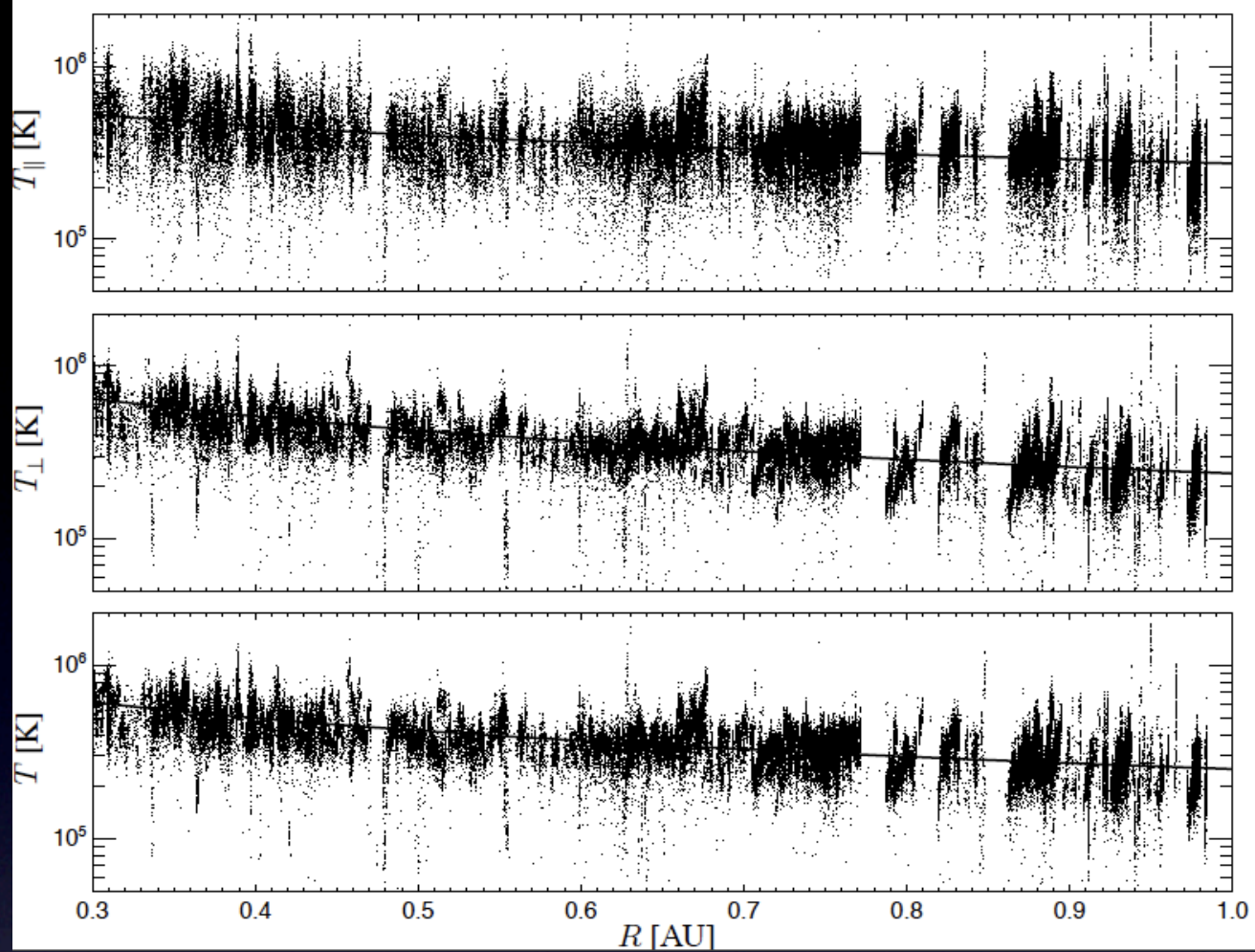
$$Q_{\parallel} = nk_B (\mathbf{u} \cdot \nabla T_{\parallel} + 2T_{\parallel} \nabla_{\parallel} \cdot \mathbf{u}),$$

$$Q_{\perp} = nk_B (\mathbf{u} \cdot \nabla T_{\perp} + T_{\perp} \nabla_{\perp} \cdot \mathbf{u}),$$

“Heating and cooling of protons in the fast solar wind  
between 0.3 and 1 AU: Helios revisited”

*Hellinger, Matteini et al. JGR submitted*





$$nk_B \left( \frac{\partial}{\partial t} + \mathbf{u} \cdot \nabla \right) T_{\parallel} = nk_B \left[ -2T_{\parallel} \nabla_{\parallel} \cdot \mathbf{u} + \left( \frac{dT_{\parallel}}{dt} \right)_c \right. \\ \left. - \nabla \cdot (q_{\parallel} \mathbf{b}) + 2q_{\perp} \nabla \cdot \mathbf{b}, \right. \\ \left. nk_B \left( \frac{\partial}{\partial t} + \mathbf{u} \cdot \nabla \right) T_{\perp} = nk_B \left[ -T_{\perp} \nabla_{\perp} \cdot \mathbf{u} + \left( \frac{dT_{\perp}}{dt} \right)_c \right. \right. \\ \left. \left. - \nabla \cdot (q_{\perp} \mathbf{b}) - q_{\perp} \nabla \cdot \mathbf{b}, \right. \right.$$

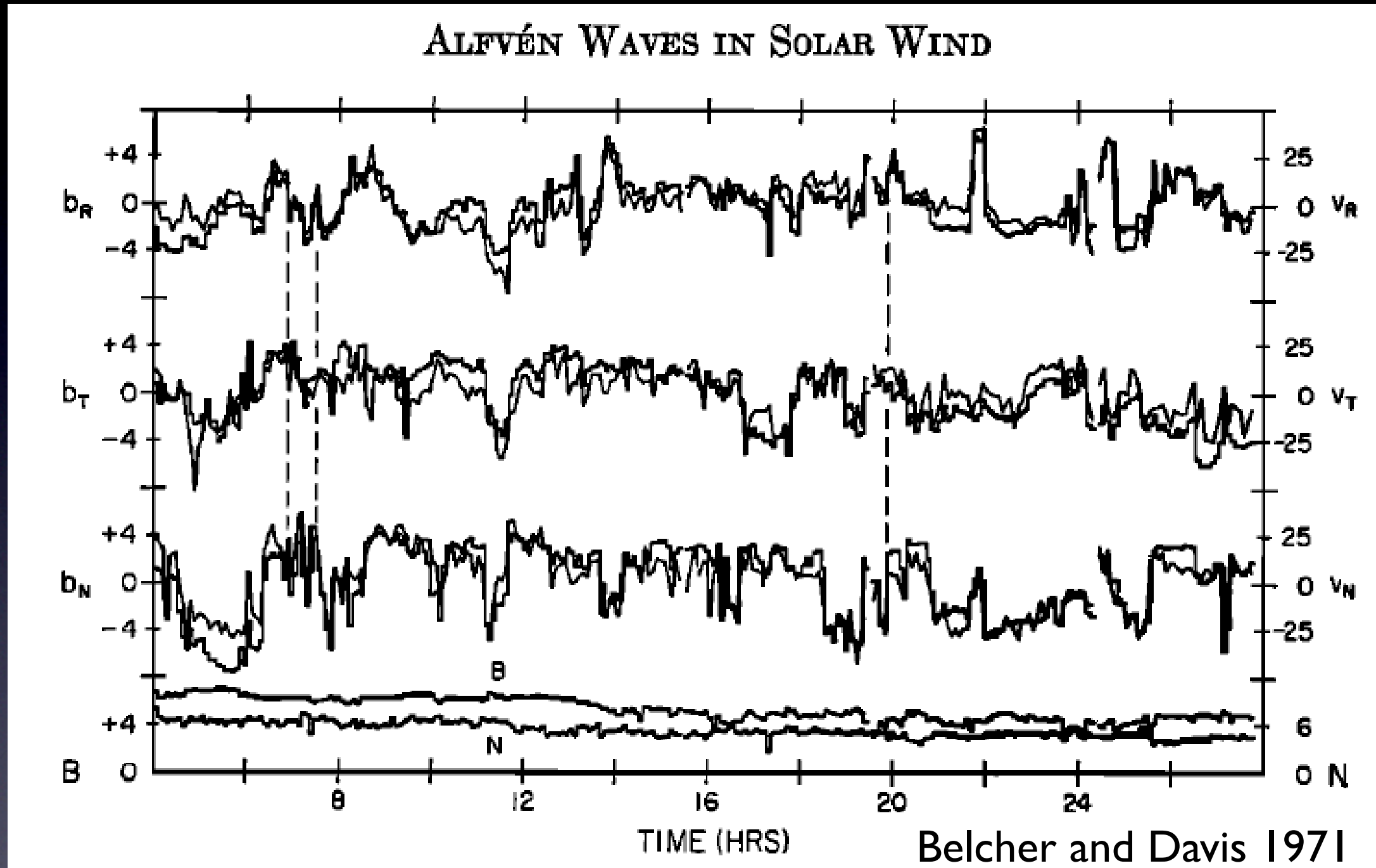
$$Q_{\parallel} = nk_B (\mathbf{u} \cdot \nabla T_{\parallel} + 2T_{\parallel} \nabla_{\parallel} \cdot \mathbf{u}),$$

$$Q_{\perp} = nk_B (\mathbf{u} \cdot \nabla T_{\perp} + T_{\perp} \nabla_{\perp} \cdot \mathbf{u}),$$

“Heating and cooling of protons in the fast solar wind between 0.3 and 1 AU: Helios revisited”

*Hellinger, Matteini et al. JGR submitted*

# Alfvén waves in space plasmas

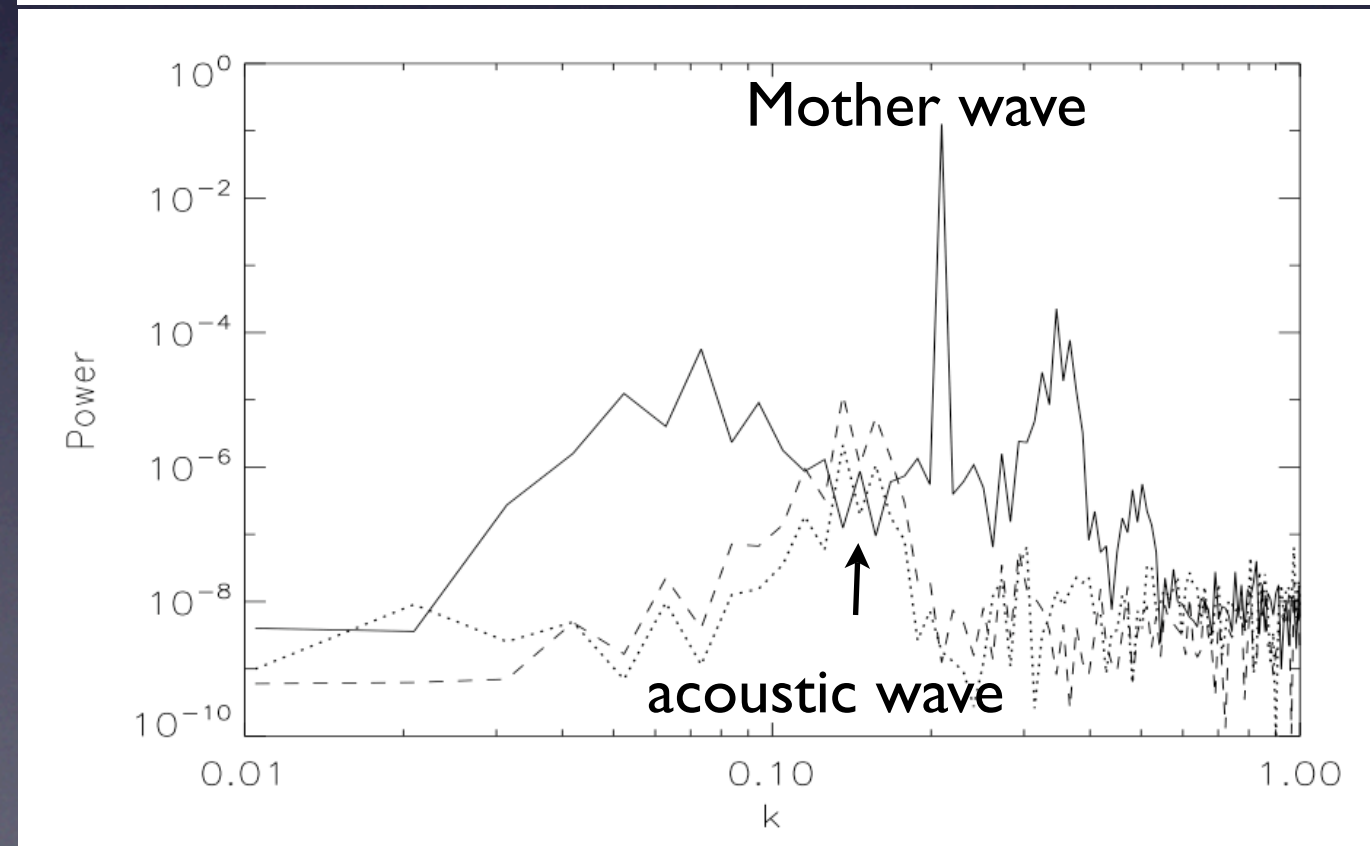
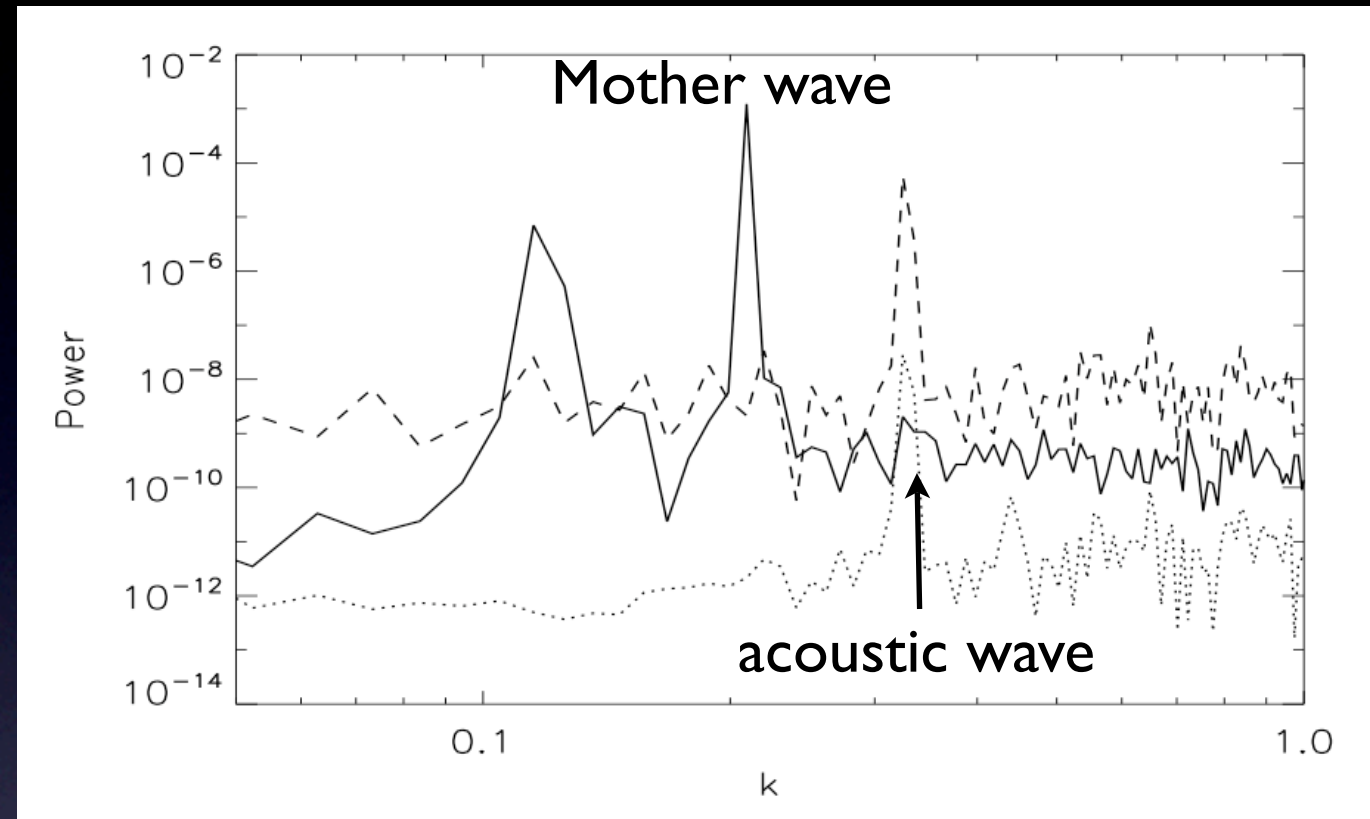


B-v correlation,  $|B|$  and  $n$  almost constant,  $E(z+) > E(z-)$



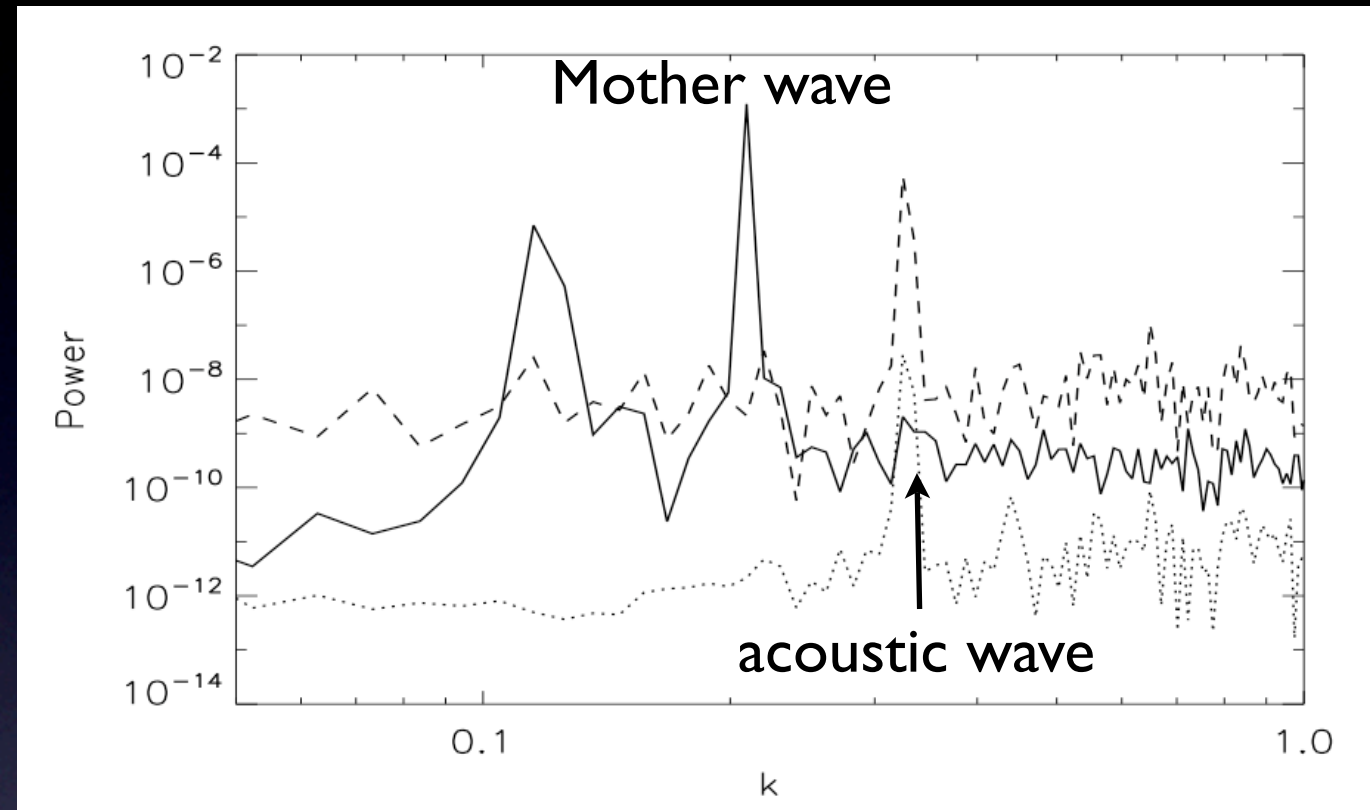
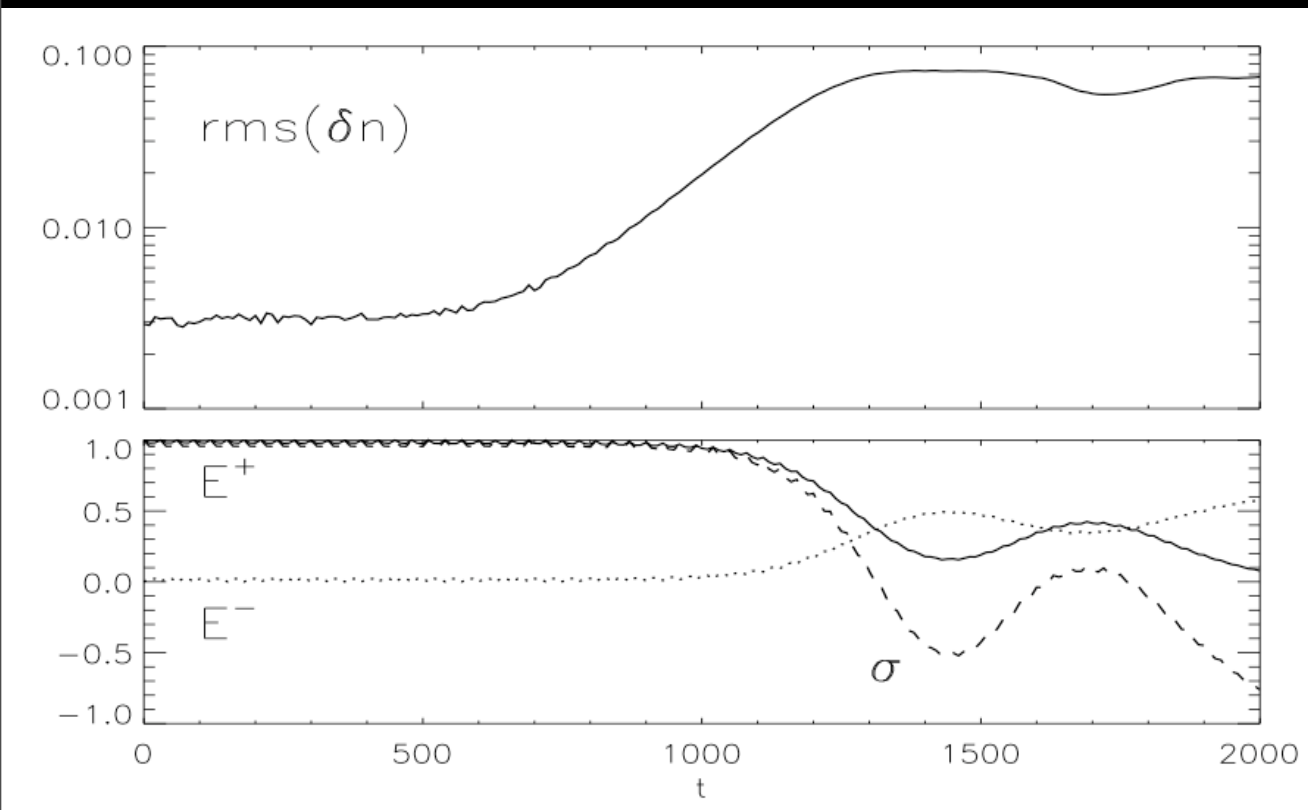
# Wave-wave coupling: Parametric instability

## Field and spectrum signatures



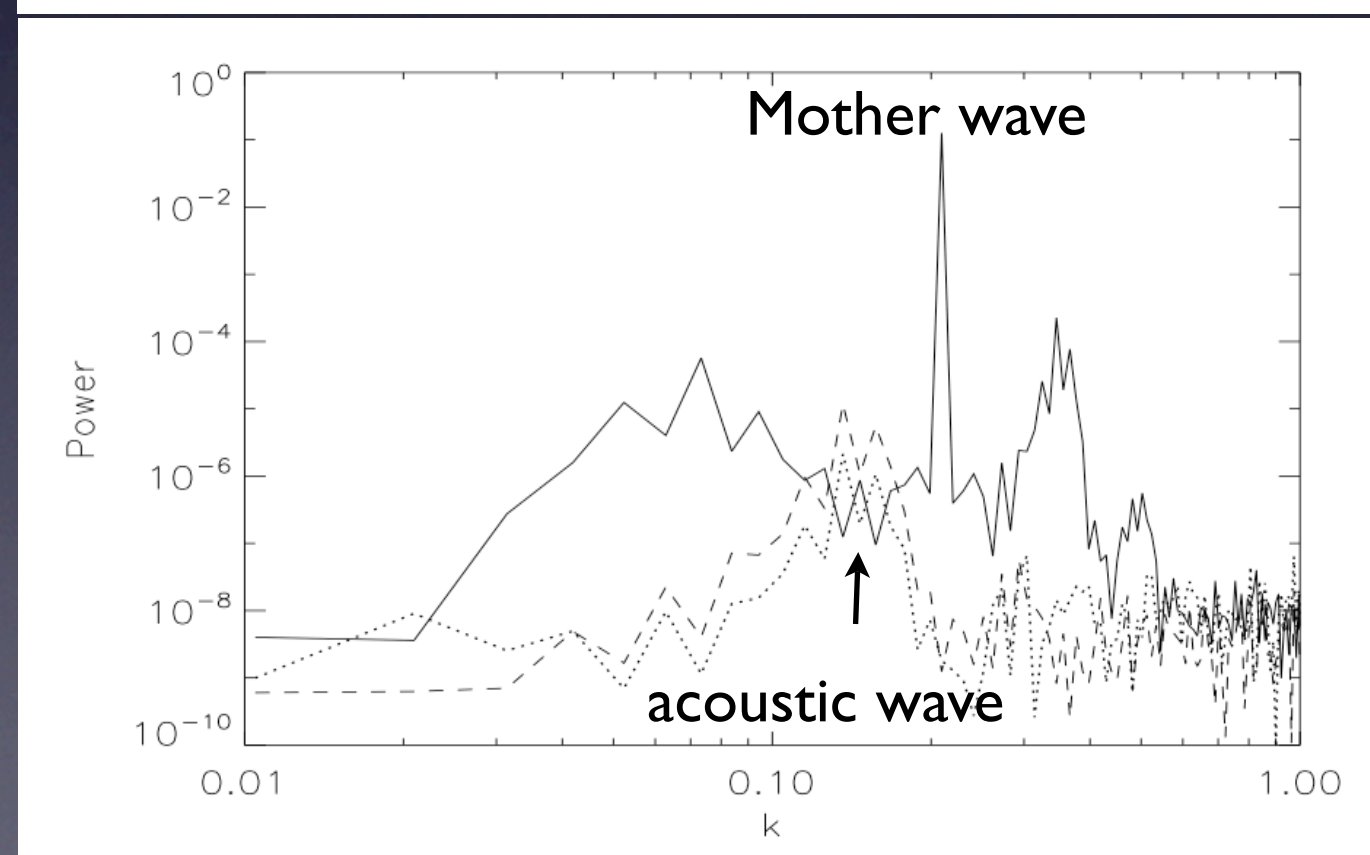
# Wave-wave coupling: Parametric instability

## Field and spectrum signatures



Decay  $E^- > 0$

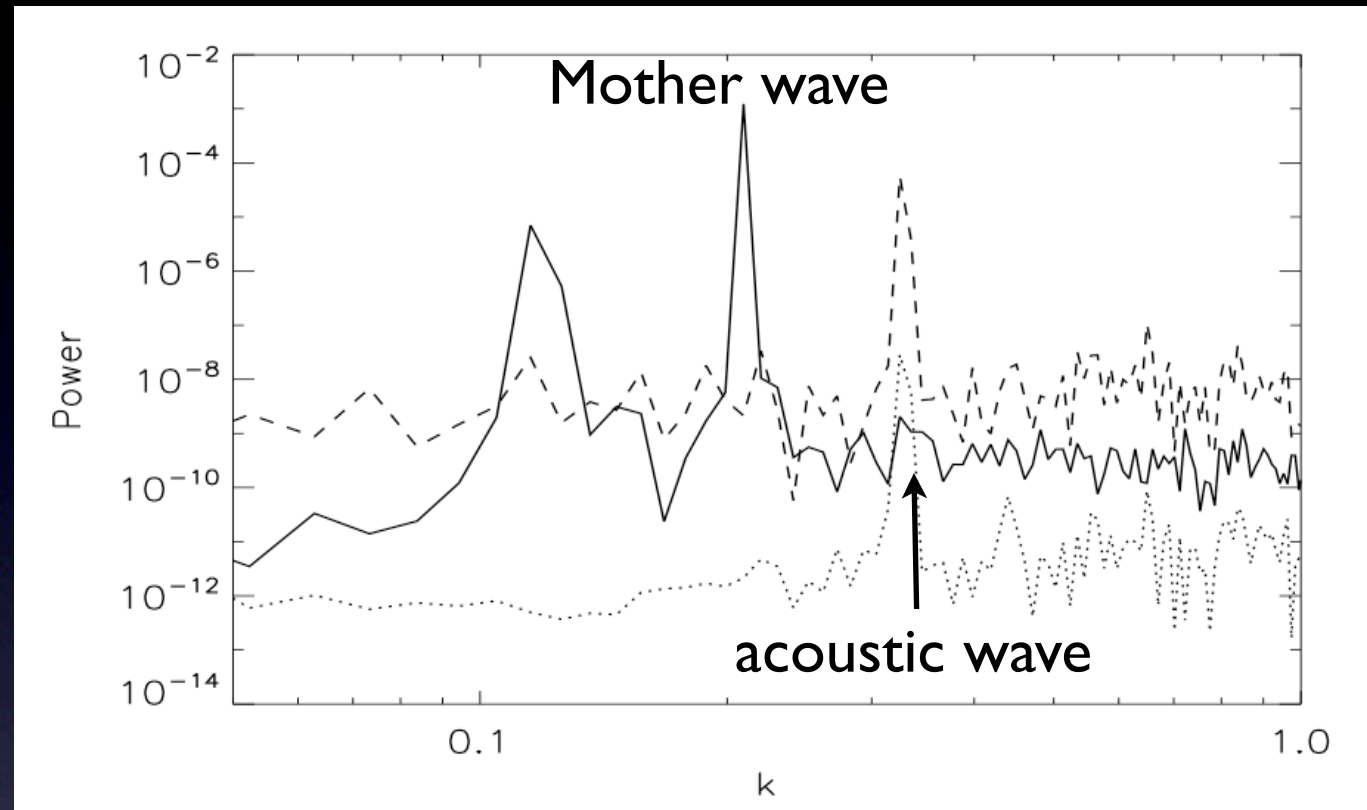
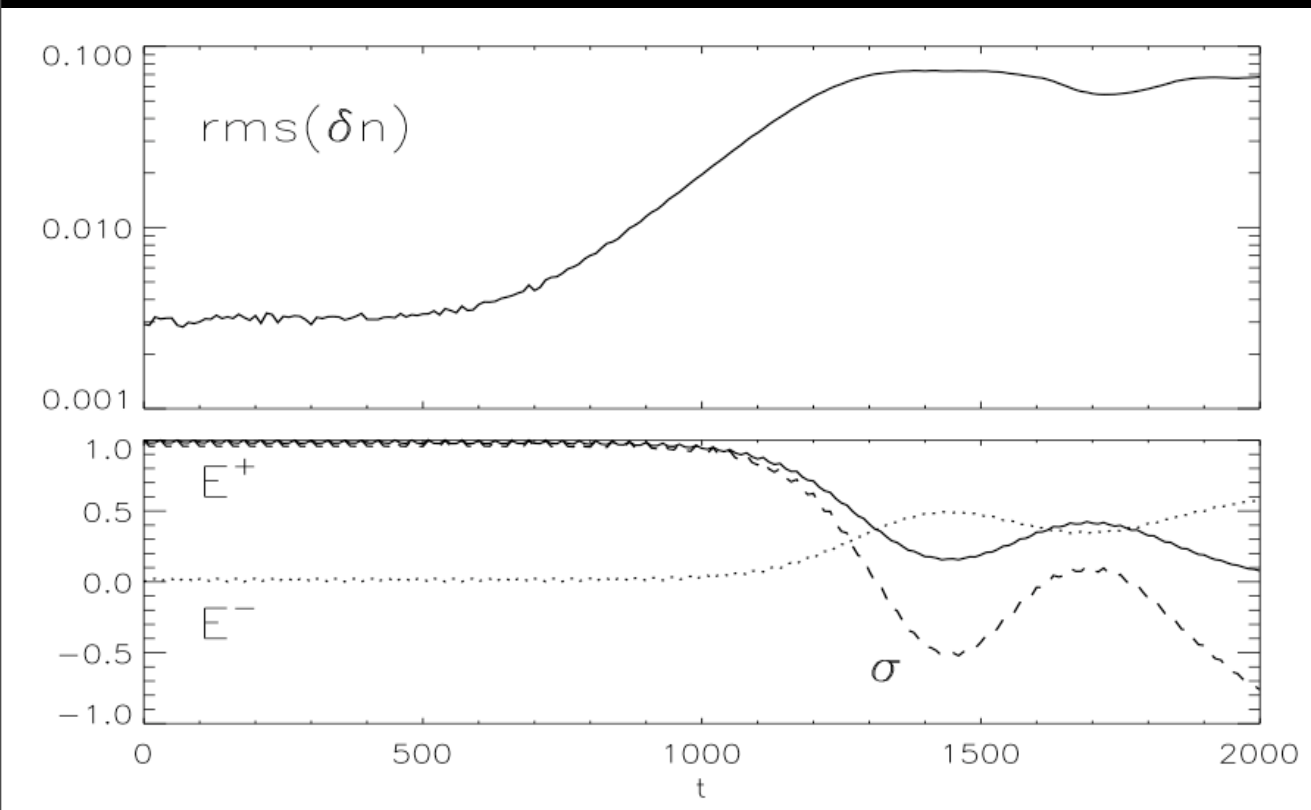
Modulational  $E^- = 0$





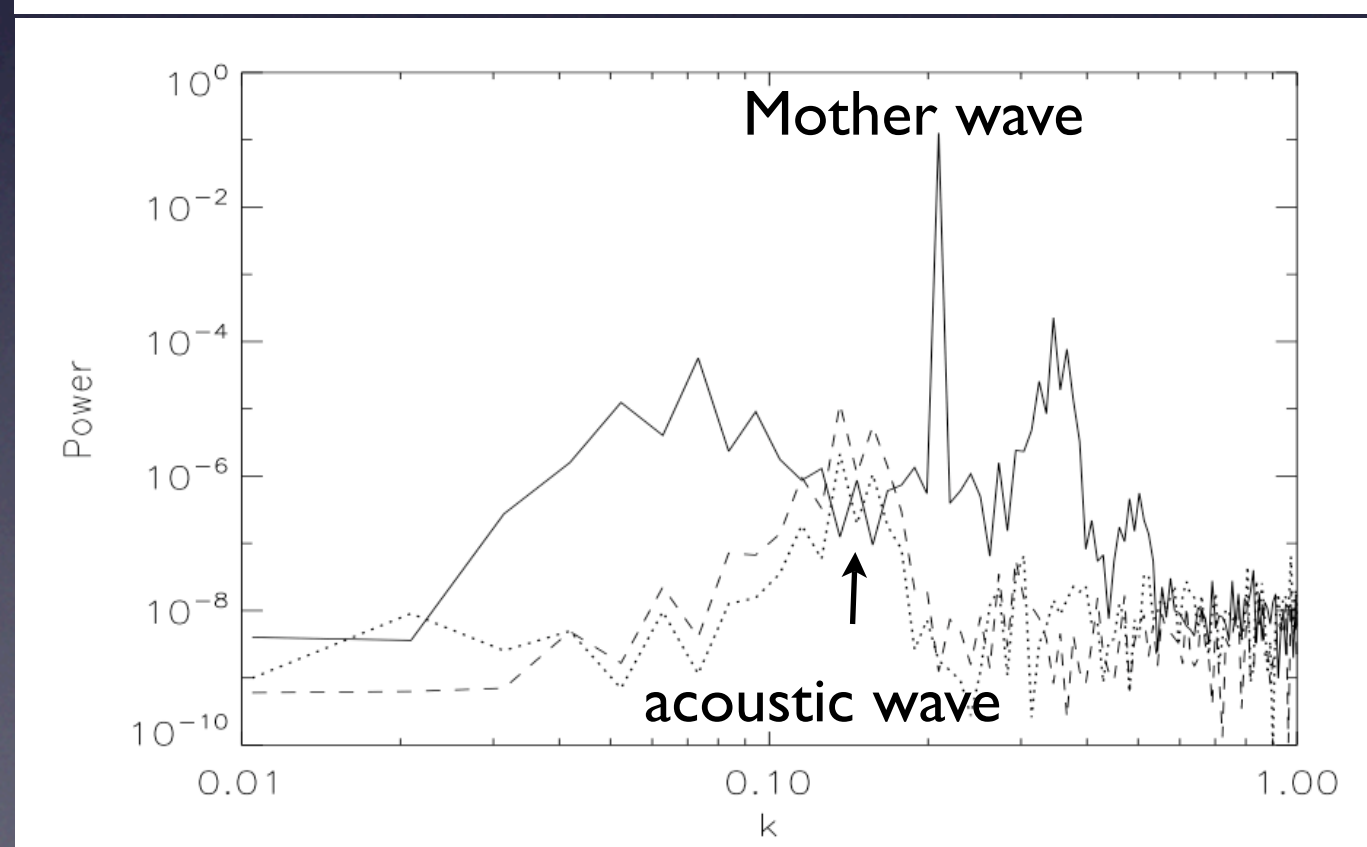
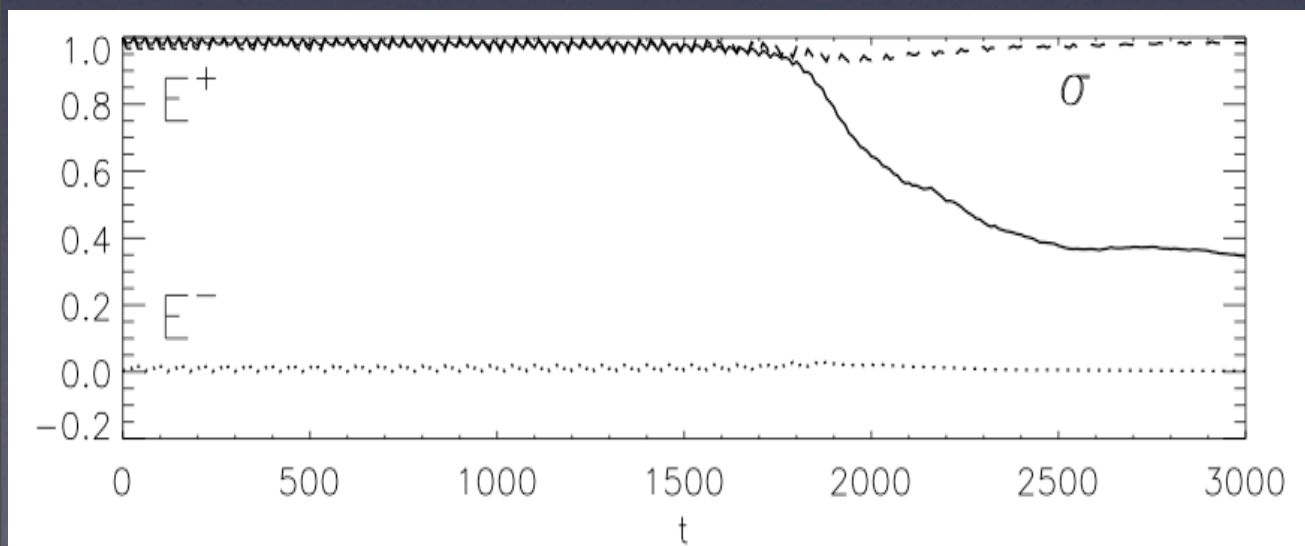
# Wave-wave coupling: Parametric instability

## Field and spectrum signatures



Decay  $E^- > 0$

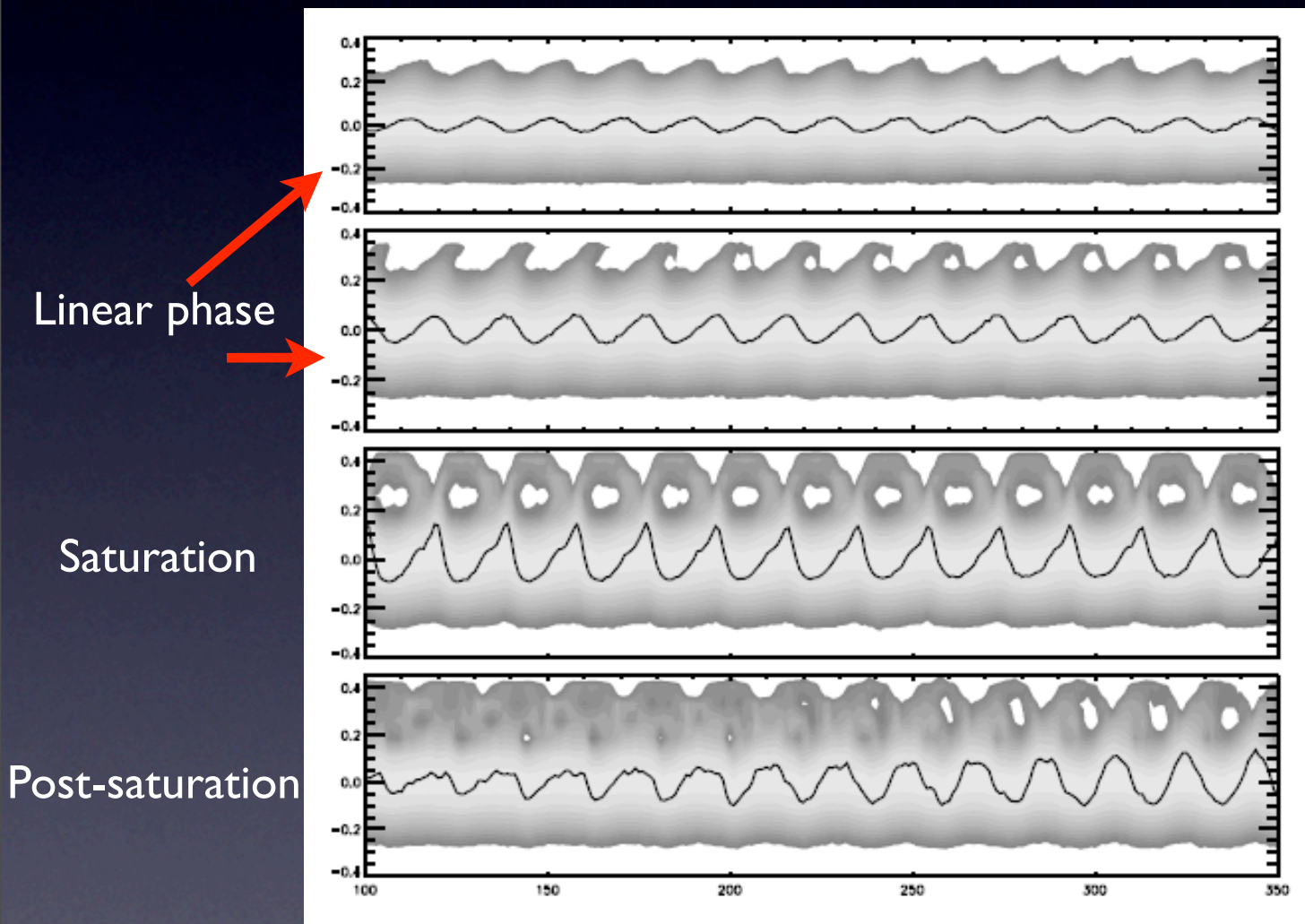
Modulational  $E^- = 0$



# Wave-wave coupling: Parametric instability and beam generation

(see also Araneda's talk et *Araneda 2008*)

Proton phase space  $x-v_x$



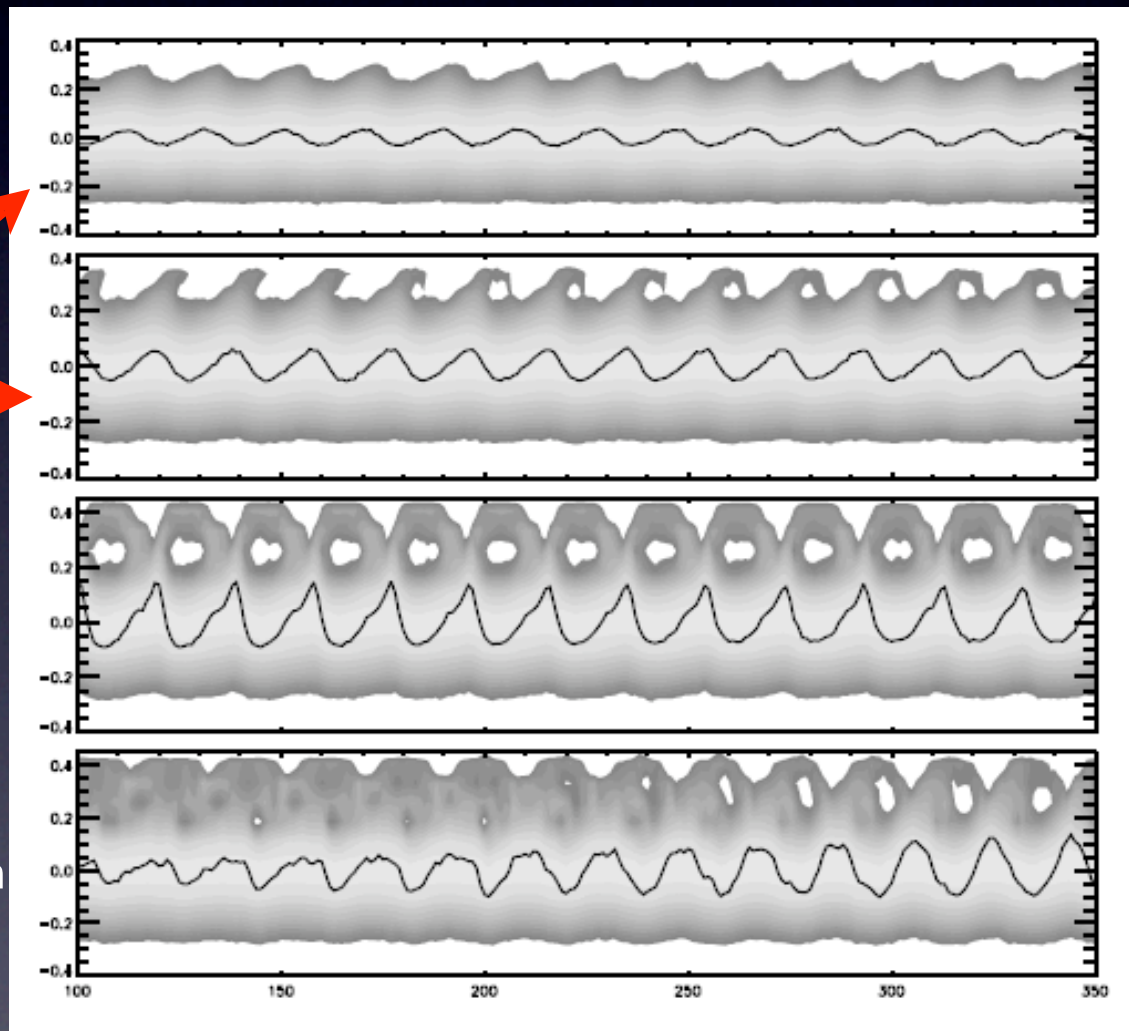
Parametric decay of a monochromatic Alfvén wave  
(*Matteini et al. JGR 2010*)



# Wave-wave coupling: Parametric instability and beam generation

(see also Araneda's talk et *Araneda 2008*)

Proton phase space  $x-v_x$



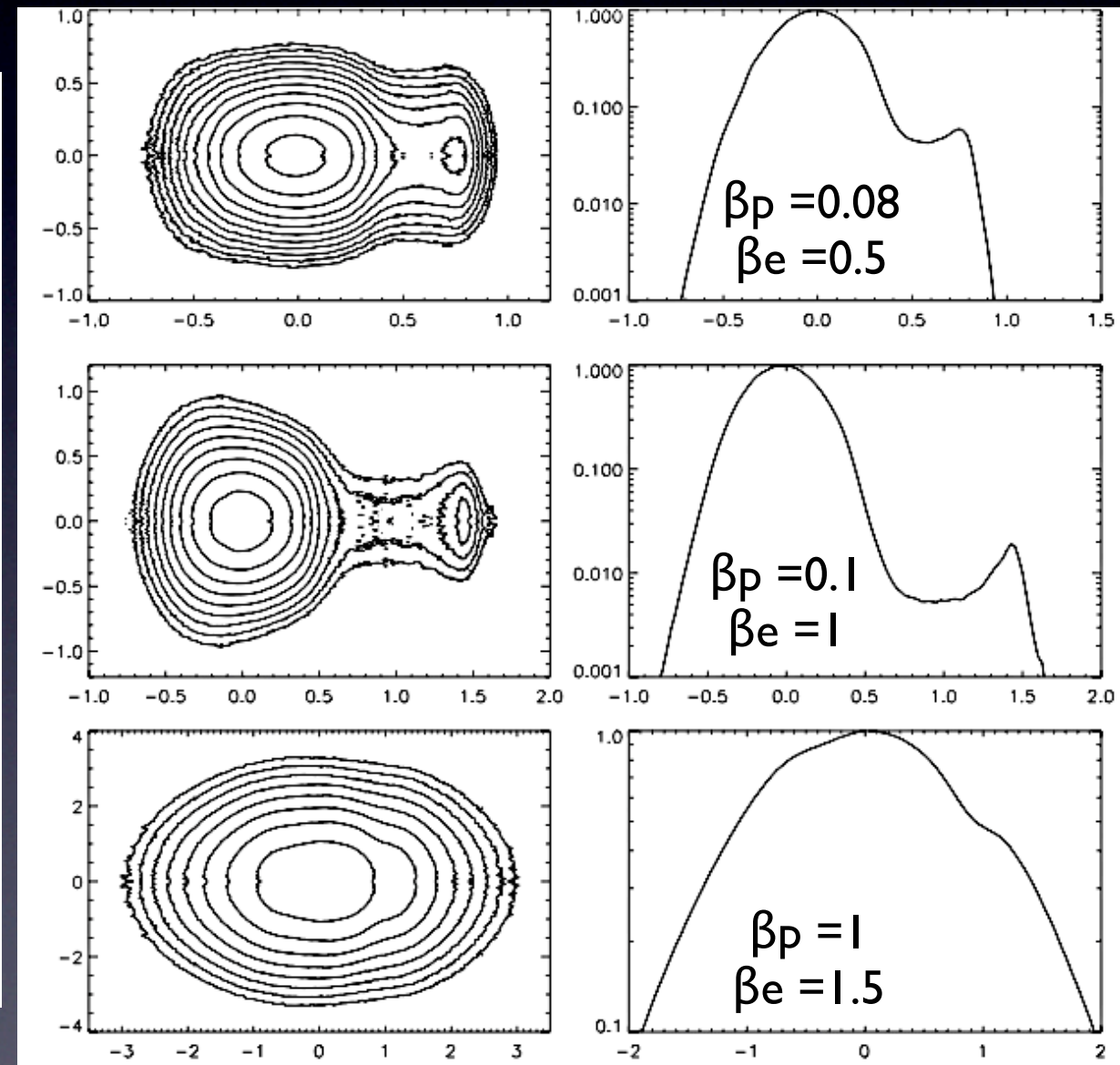
Linear phase

Saturation

Post-saturation

Parametric decay of a monochromatic Alfvén wave  
(*Matteini et al. JGR 2010*)

Beam properties with different betas



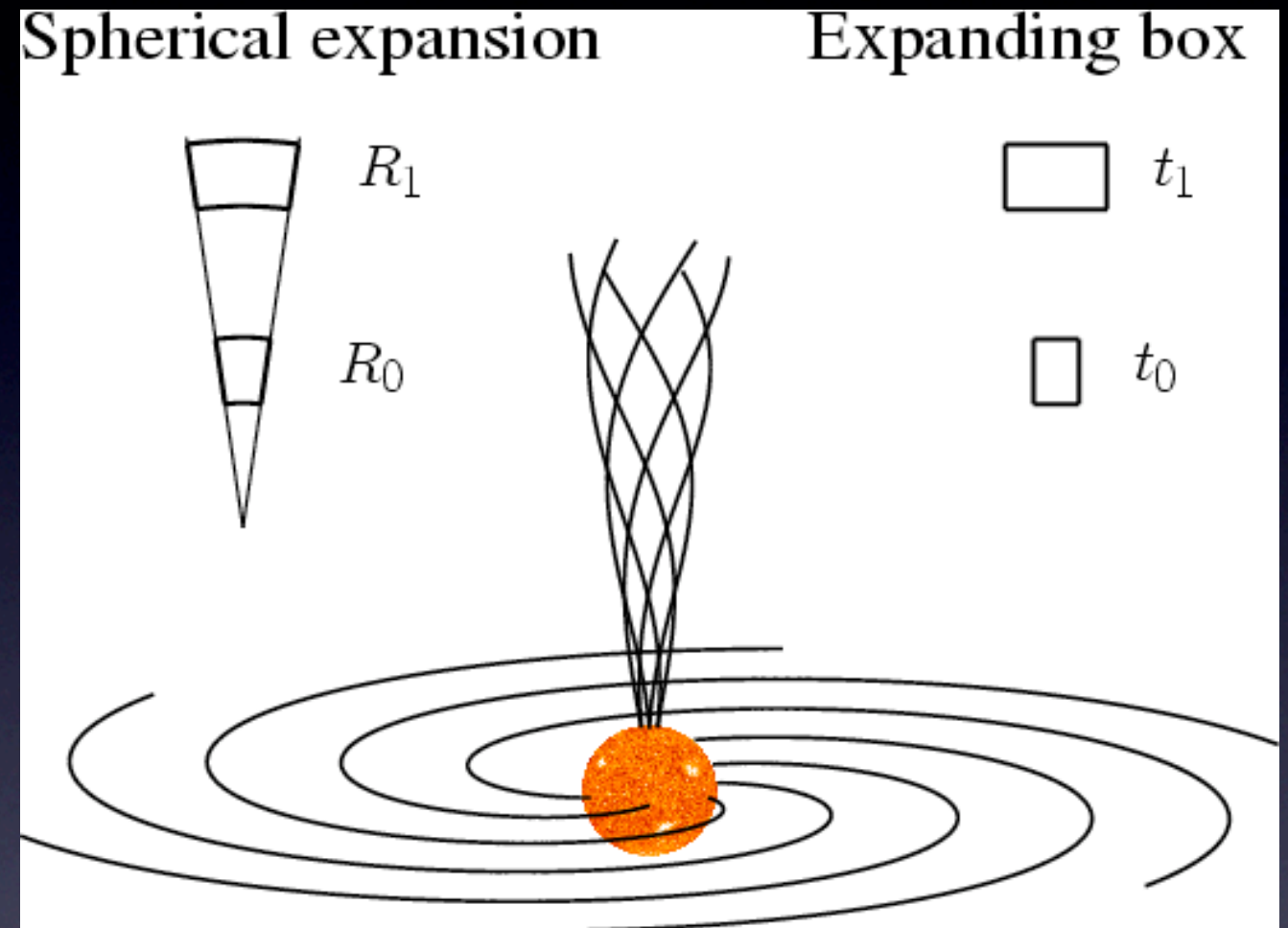
Drift velocity increases with increasing beta, in agreement with observations (*Tu et al., 2004*)



# The Hybrid Expanding Box code (HEB)

To study non-linear wave-particle interactions during the solar wind expansion, we perform numerical simulation using a hybrid code implemented with an expanding box model (*Liewer et al. 2001, Hellinger et al. 2003*).

- Hybrid model: electrons are described as an isotropic massless fluid and protons (ions) as particles (*Matthews 1994*).
- The expanding box model assumes a radial linearly driven evolution with a constant expansion velocity; the transverse dimensions of the box (which co-moves with the wind) increase with distance (*Grappin et al. 1993*).



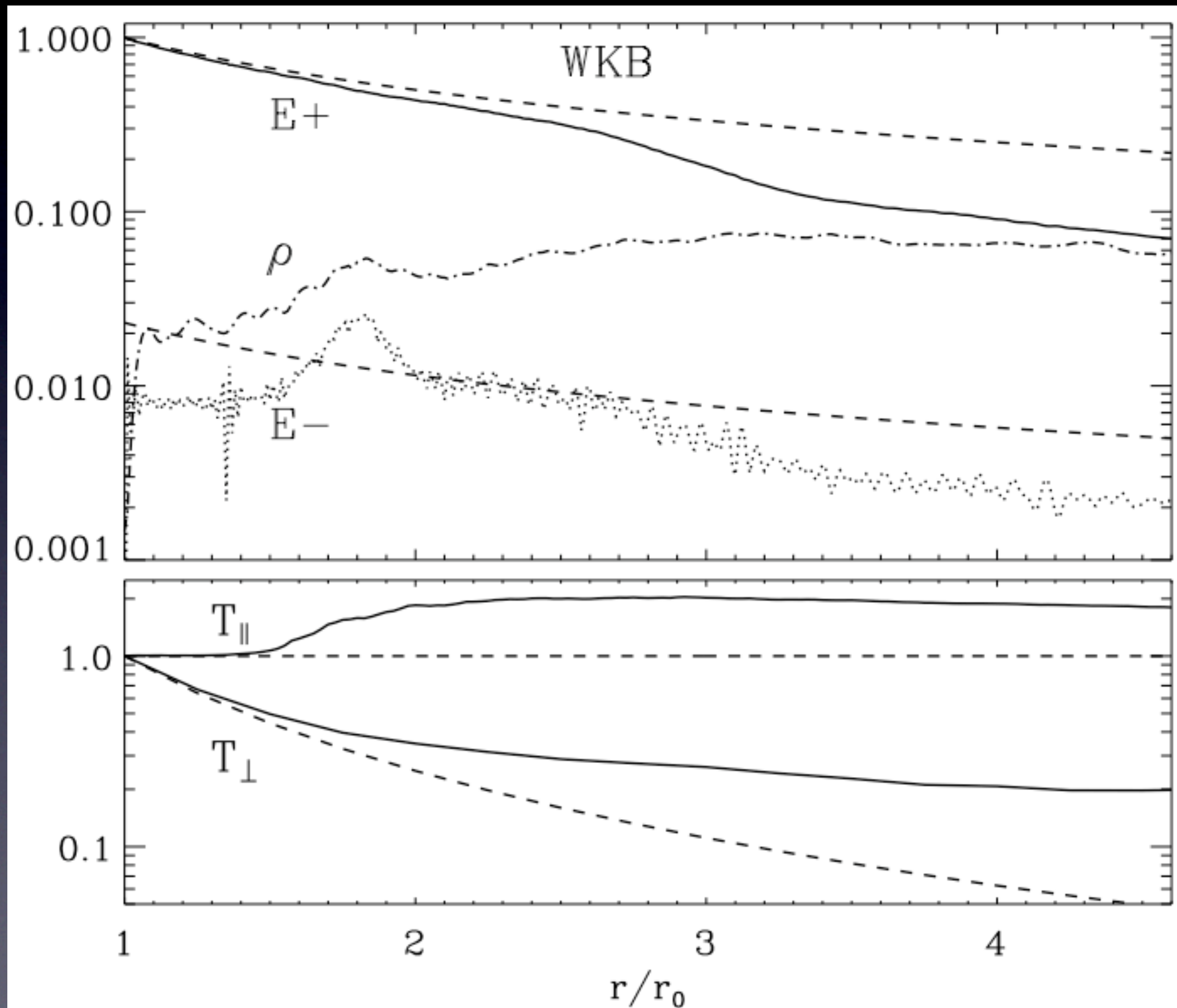
Adiabatic evolution for ions (CGL) and waves (WKB)

Self-consistent competition between the cooling driven by the expansion and the heating provided by wave-particle interactions and wave-wave instabilities



# Evolution of a spectrum of outward Alfvén waves

## Expanding simulation



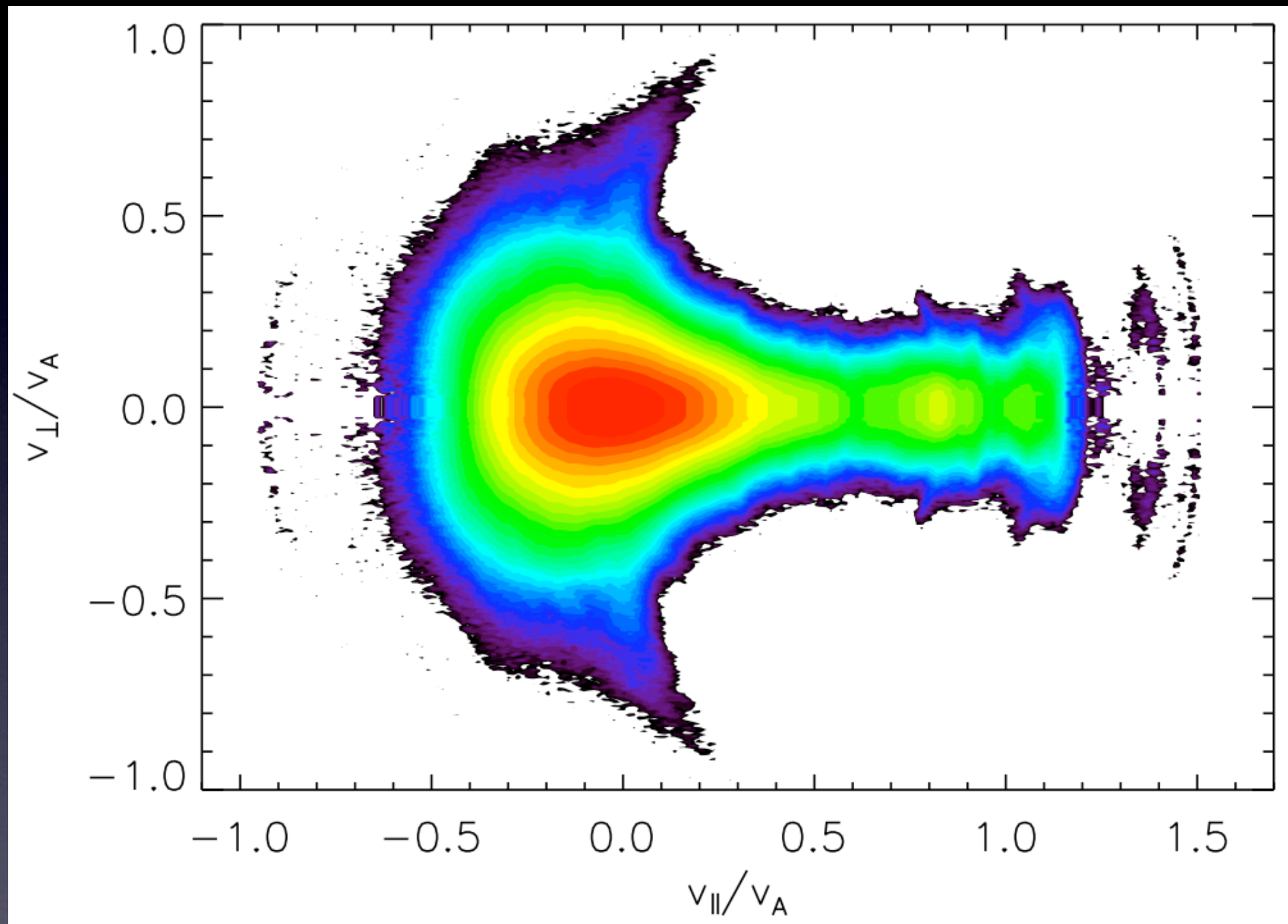
Wave energy decreases faster than the WKB and reveal the presence of parametric interactions

Parallel temperature increases due to the generation of a velocity beam

Protons are perpendicularly heated by waves

# Evolution of the proton distribution function

Wave-particle interactions provide signatures in the proton distribution function

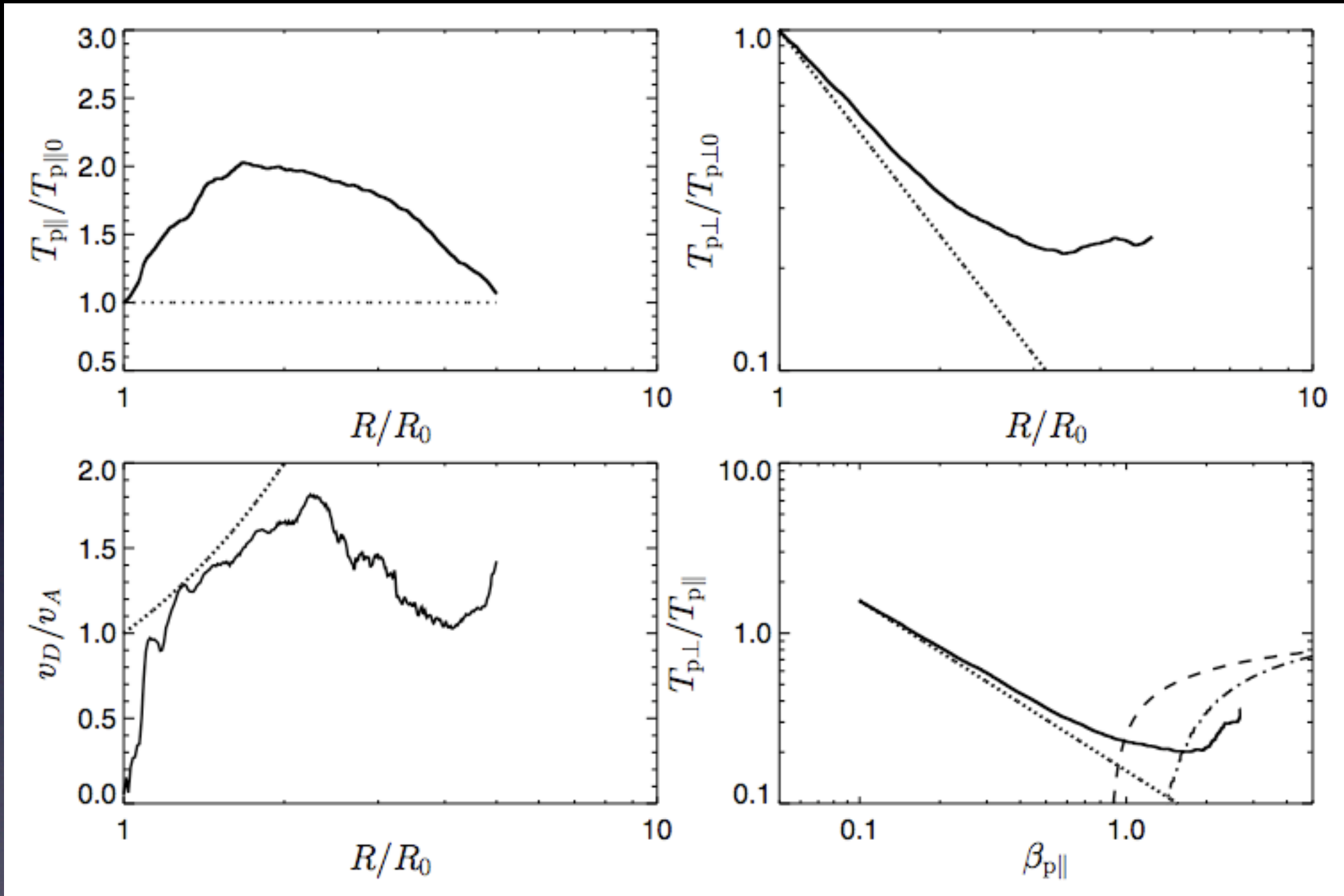


- Perpendicular heating due to ion-cyclotron interactions
- Parallel acceleration due to non-linear interactions with parametric instability



# Generation and evolution of a proton beam

Acceleration  
and  
deceleration  
of the beam

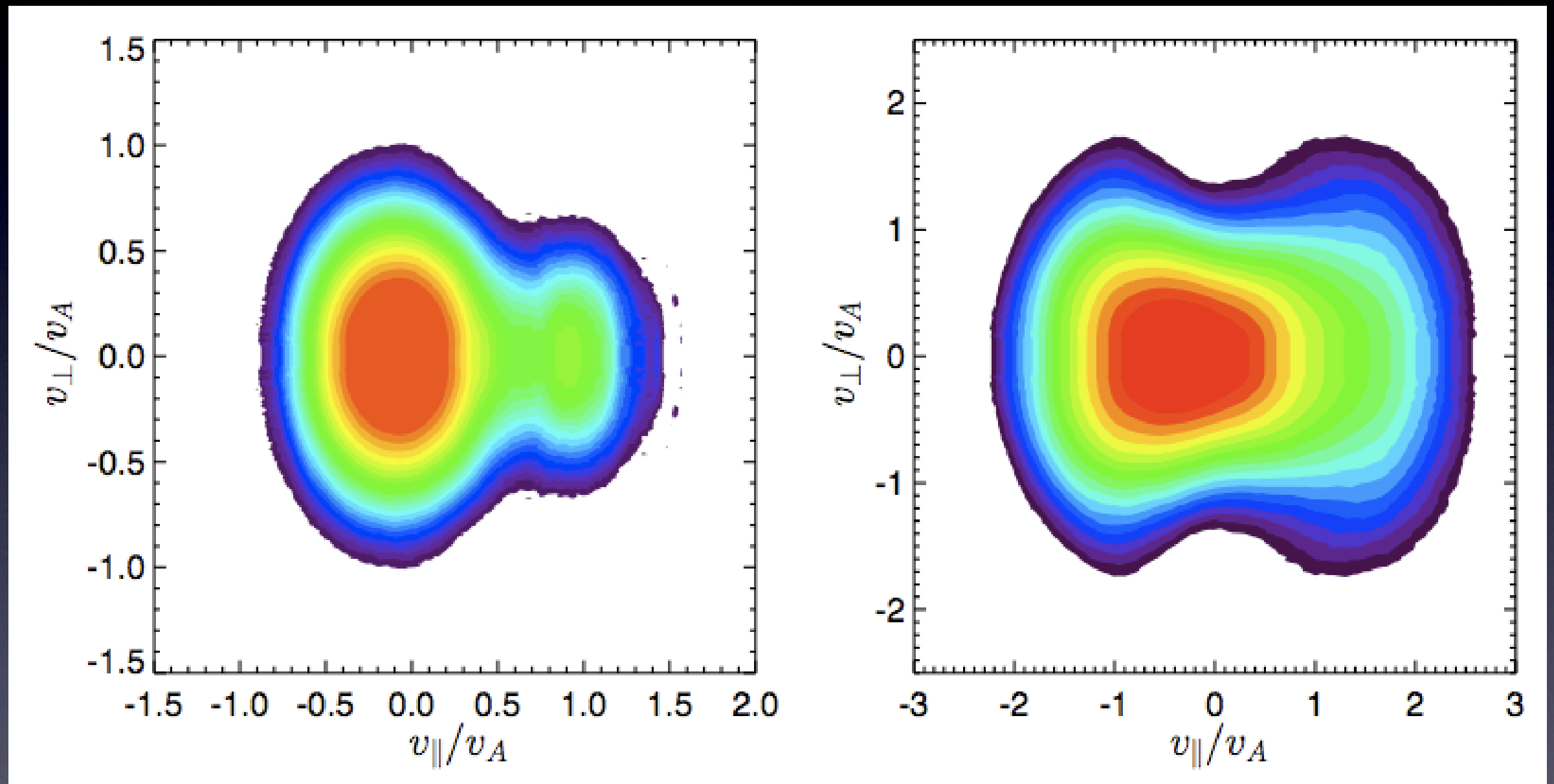


Perpendicular  
heating

Drift  
controlled by  
ion-beam  
instability

Fire hose

# Evolution of proton distribution and ion-beam anisotropic heating

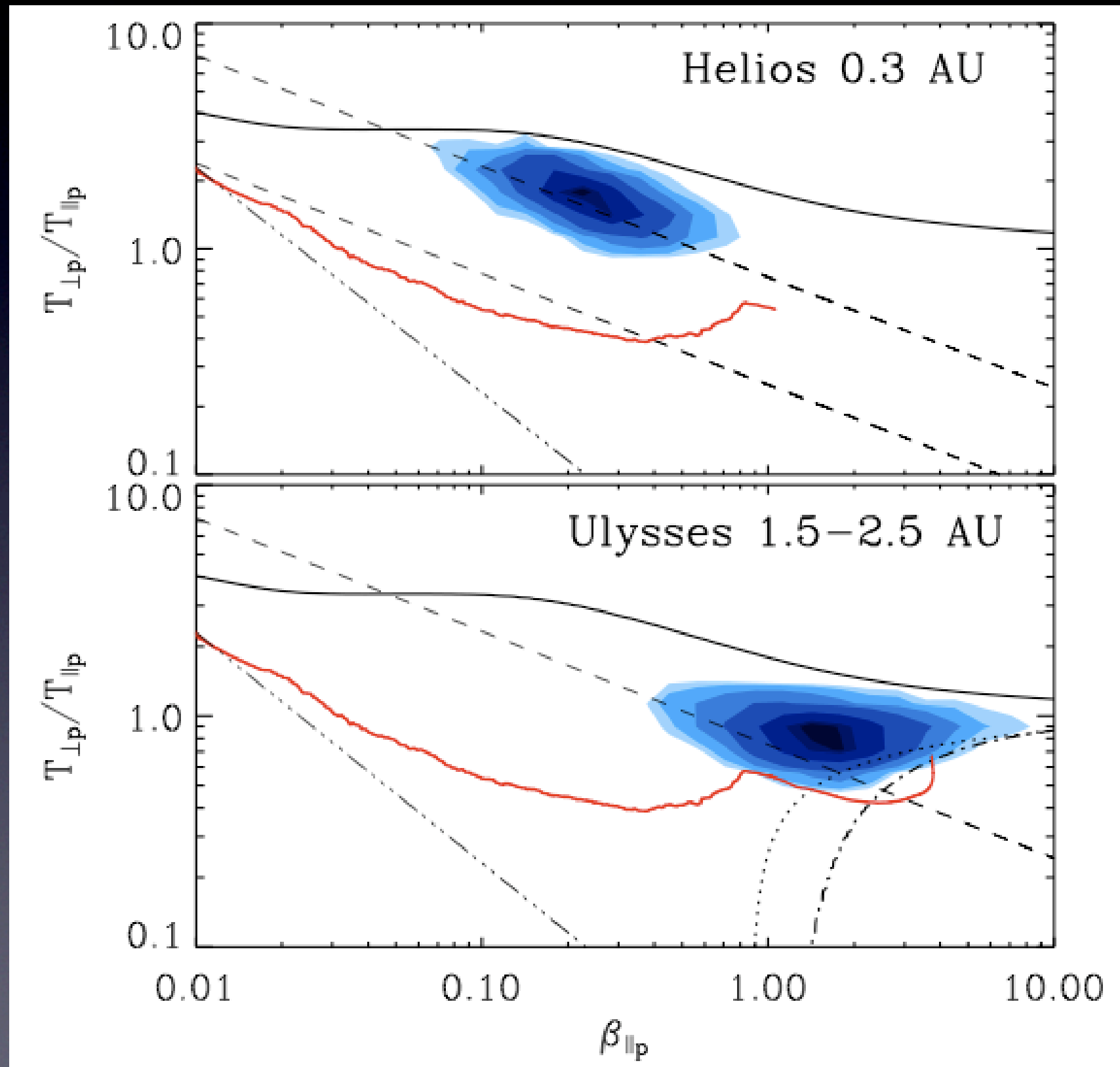


The kinetic energy of the beam drift is converted in anisotropic proton heating through ion-beam instability (*Schwartz et al. 1981, Daughton and Gary, 1998*)



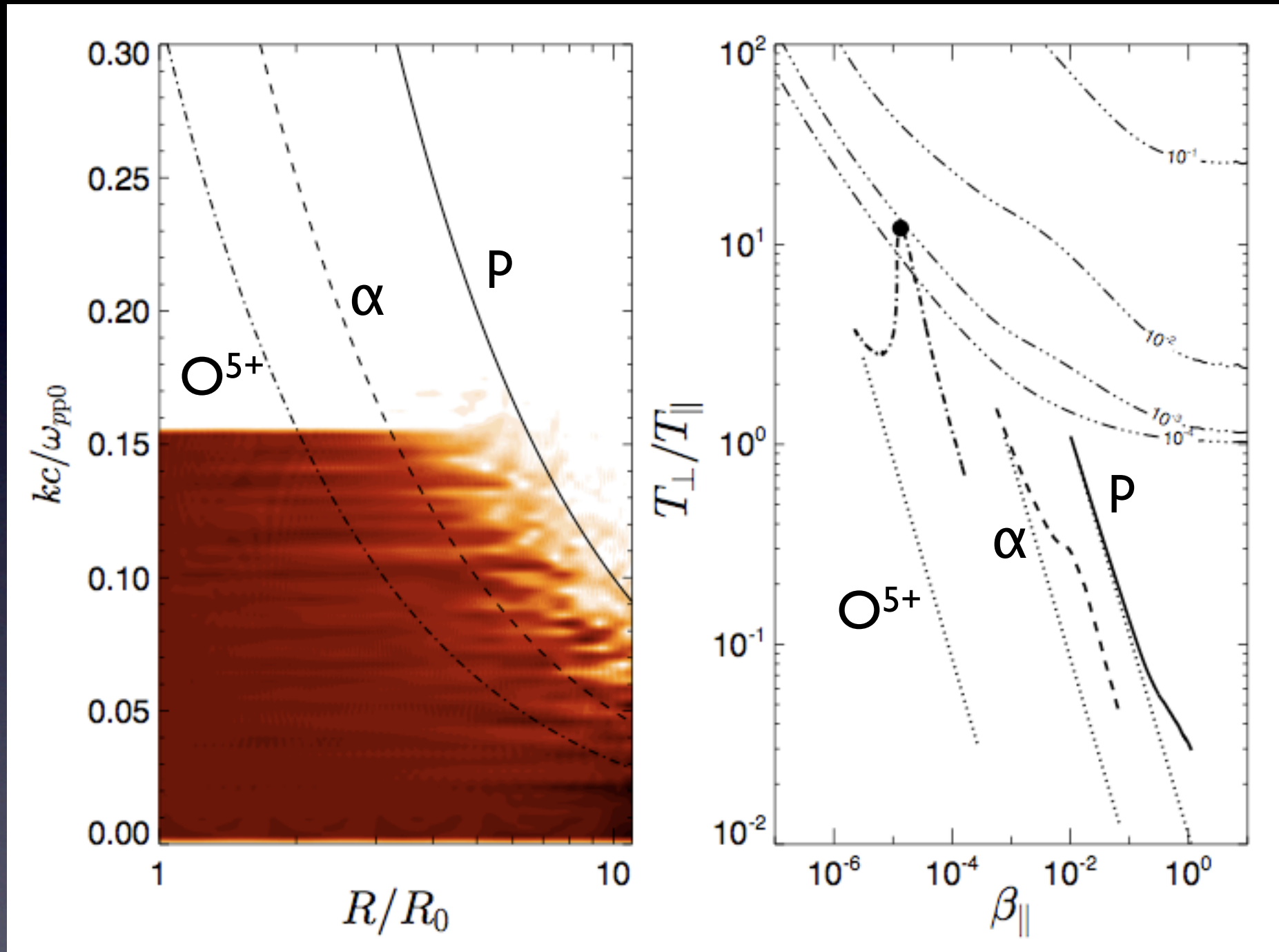
# Evolution in the parameter space

The presence of a cyclotron perpendicular heating changes the trajectory of the system in the parameter space with respect the adiabatic case.



# Cyclotron heating in the presence of minor ions

(Hellinger et al. 2005, Matteini et al. 2011)

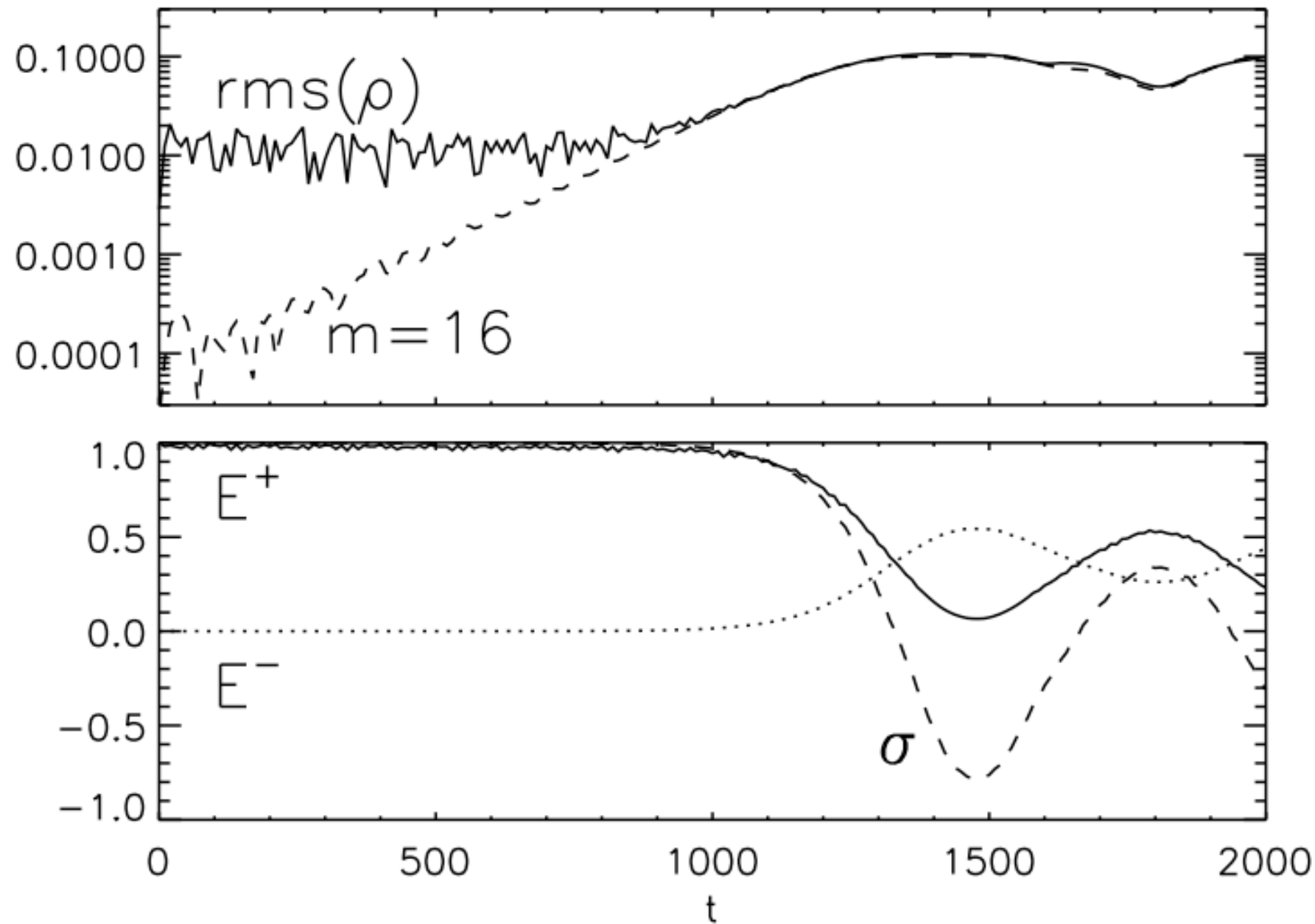


Power absorbed by different species through frequency sweeping

Perpendicular preferential heating of minor ions



# Oblique propagation: Parametric Decay 1-D



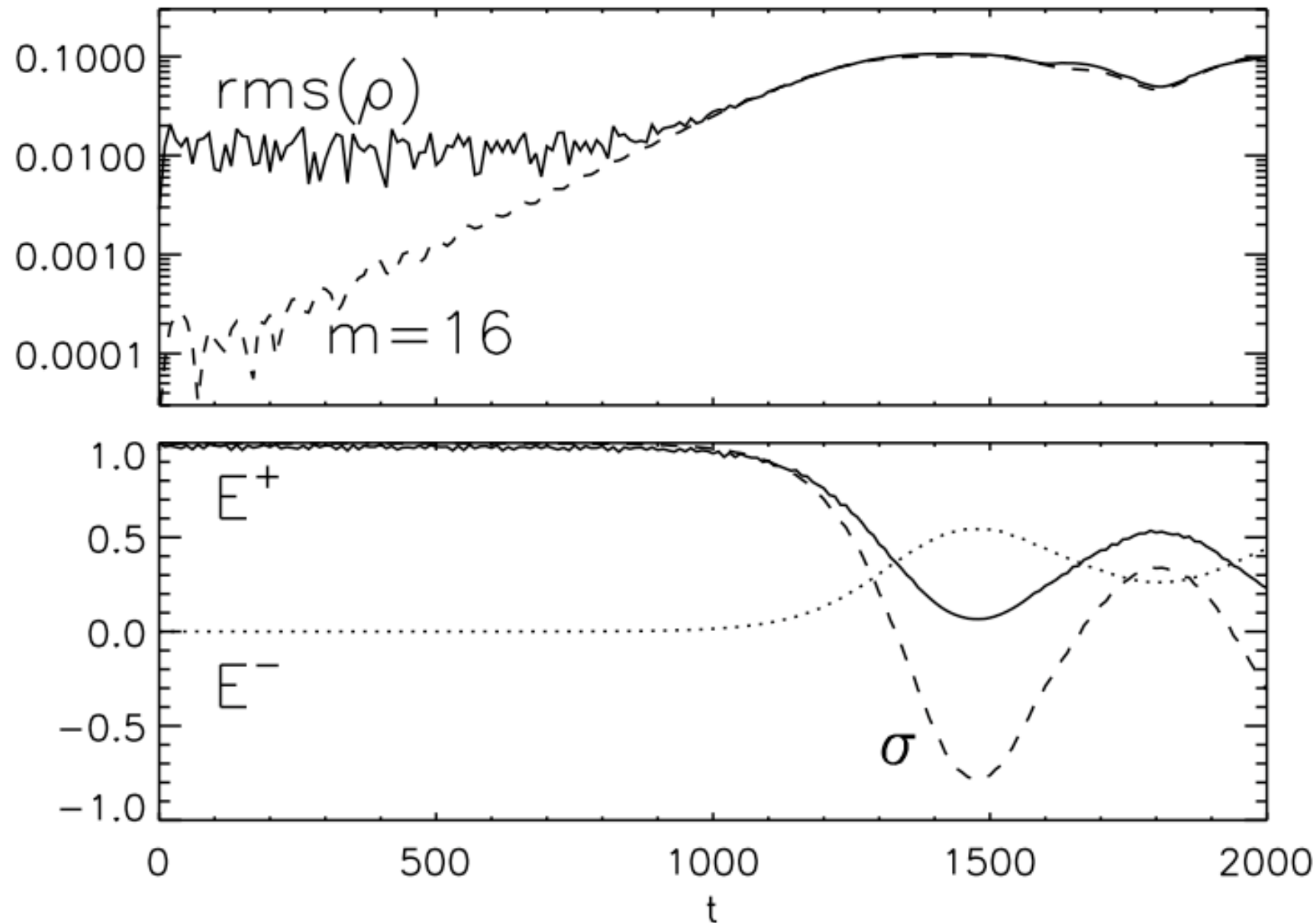
Enhancement of  
density fluctuations

Growth of an ion-  
acoustic mode

Damping of the  
mother wave

Generation of a  
backward  
propagating daughter  
Alfvén wave

# Oblique propagation: Parametric Decay 1-D



Enhancement of density fluctuations

Growth of an ion-acoustic mode

Damping of the mother wave

Generation of a backward propagating daughter Alfvén wave

## Growth rate at different angles

The instability growth rate decreases with increasing  $\theta_{kB}$

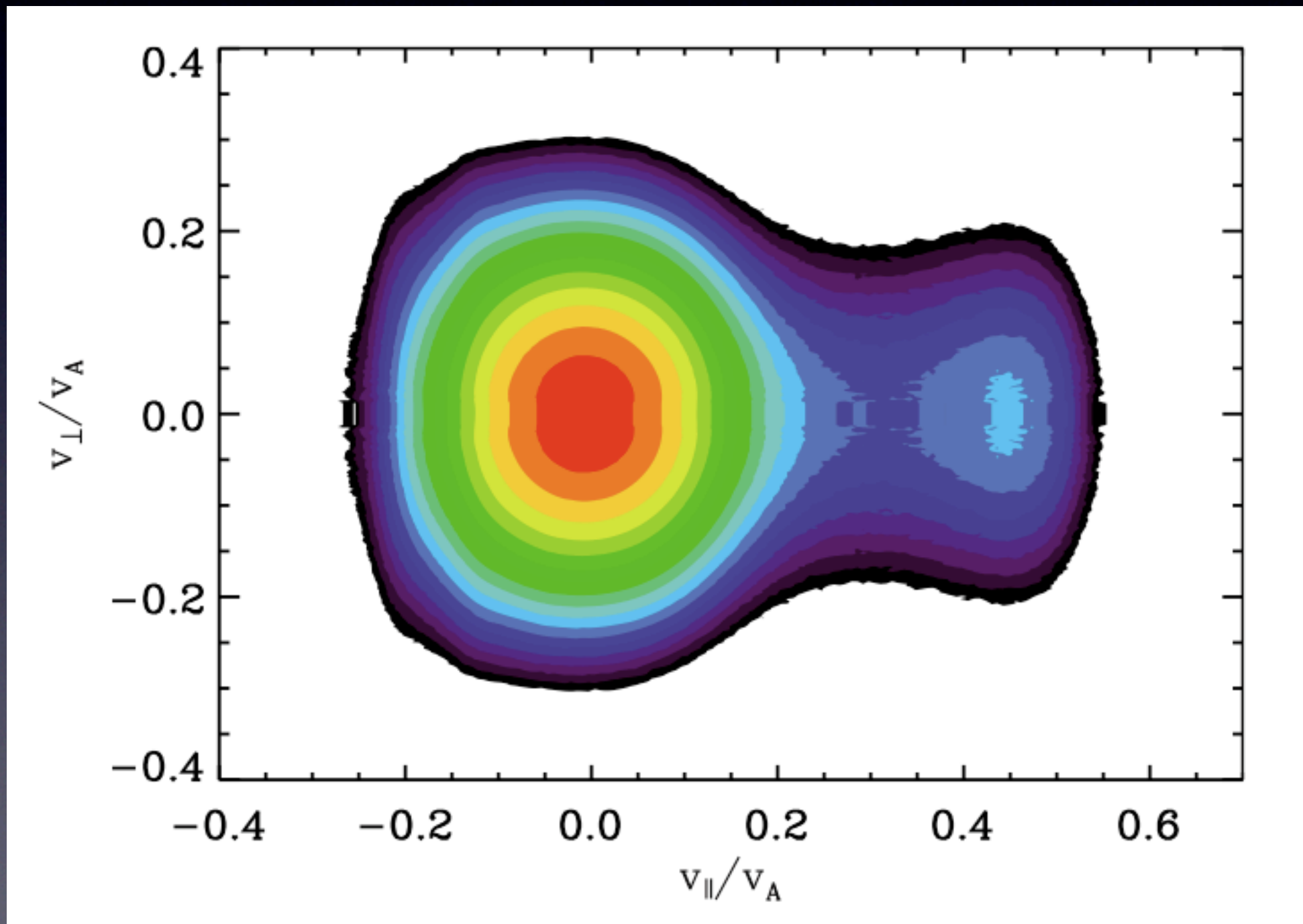
**Table 1.** Growth rate of parametric decay at various angles. For each angle we report the measured growth rate  $\gamma$  and the corresponding  $\gamma_{\parallel} = \gamma/\cos(\theta)$

| Run | $\theta_{kB}$ | $k_0$ | $k_s$ | $k_-$ | $\gamma$ | $\gamma_{\parallel}$ |
|-----|---------------|-------|-------|-------|----------|----------------------|
| A   | 30            | 0.21  | 0.33  | 0.12  | 0.15     | 0.17                 |
| B   | 45            | 0.21  | 0.33  | 0.12  | 0.12     | 0.17                 |
| C   | 60            | 0.21  | 0.33  | 0.12  | 0.08     | 0.16                 |

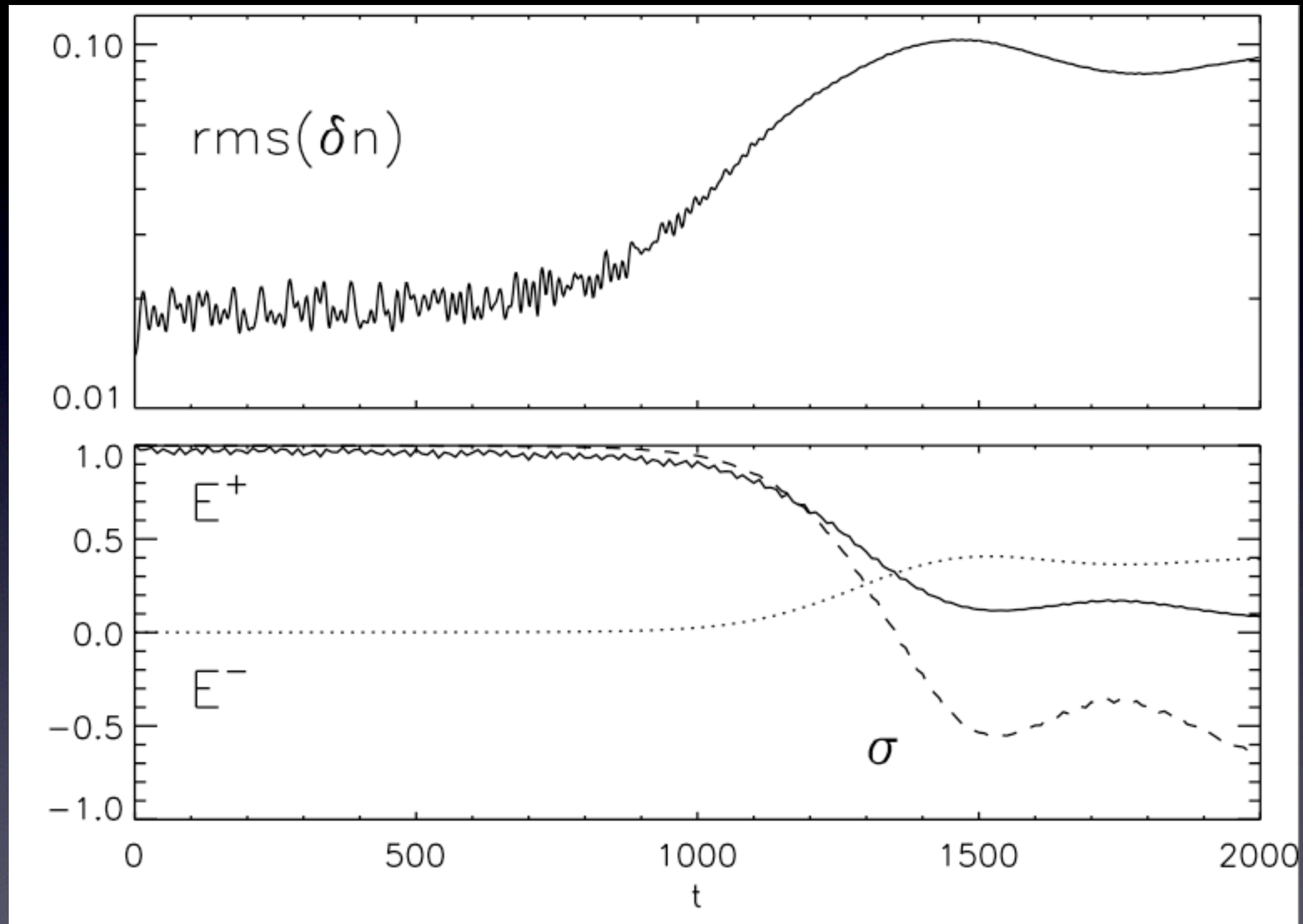


# Evolution of proton distribution

Non-linear trapping by ion-acoustic waves generates velocity beams, like in the case of parallel mother waves (*Matteini et al., JGR 2010*)



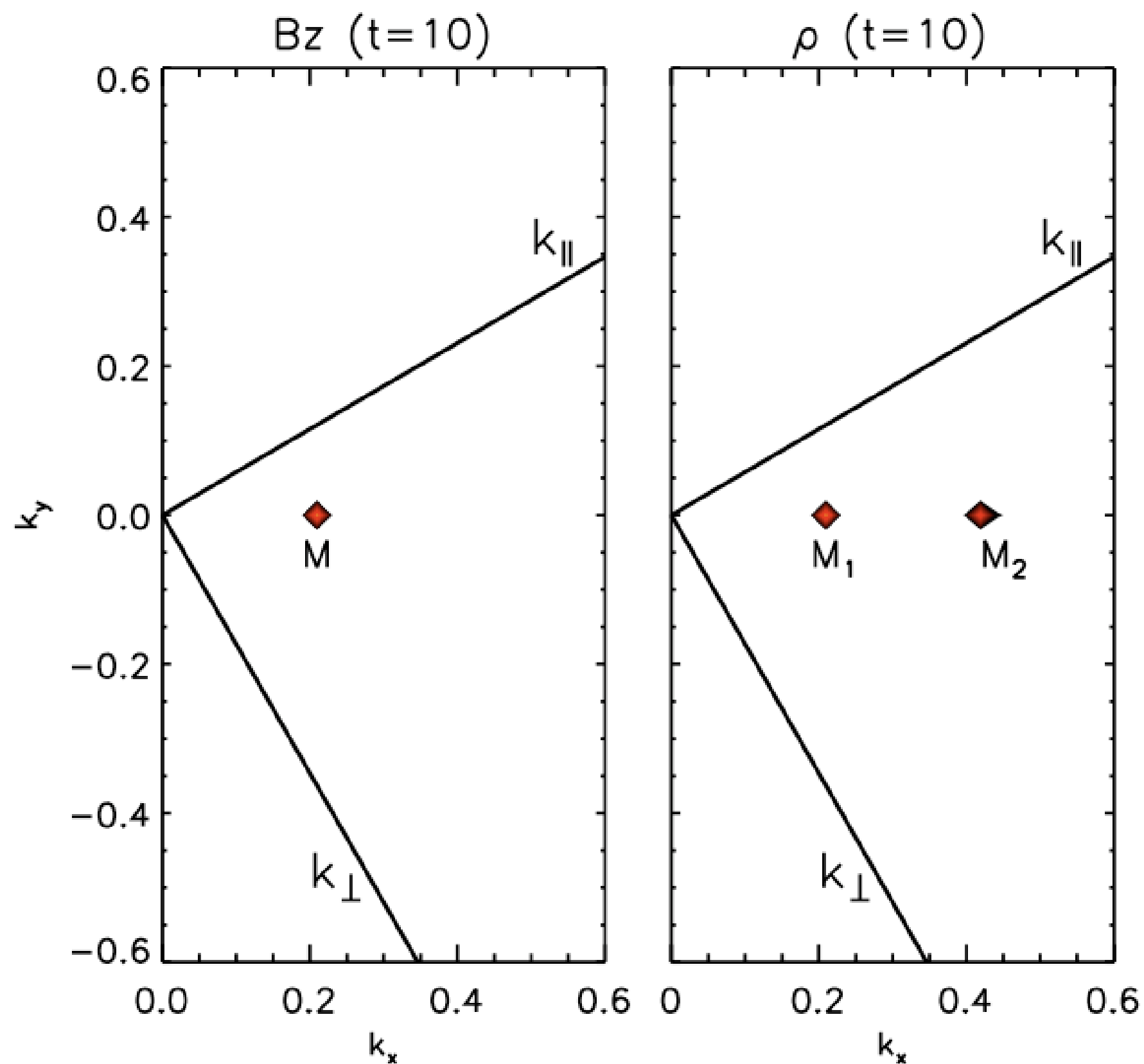
# Oblique Decay 2-D



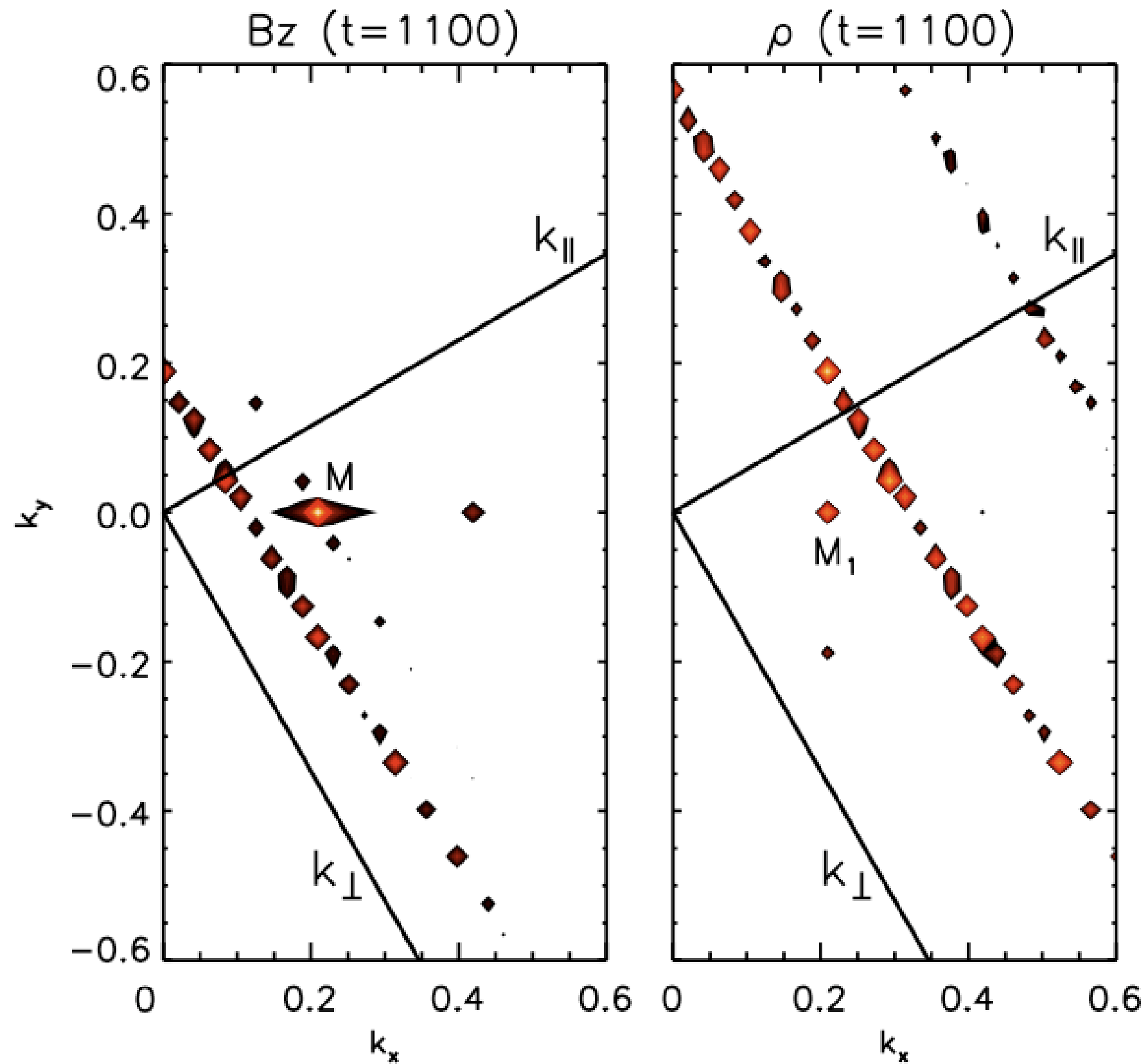
Any role of transverse couplings?



# Perpendicular couplings and transverse modulation of B

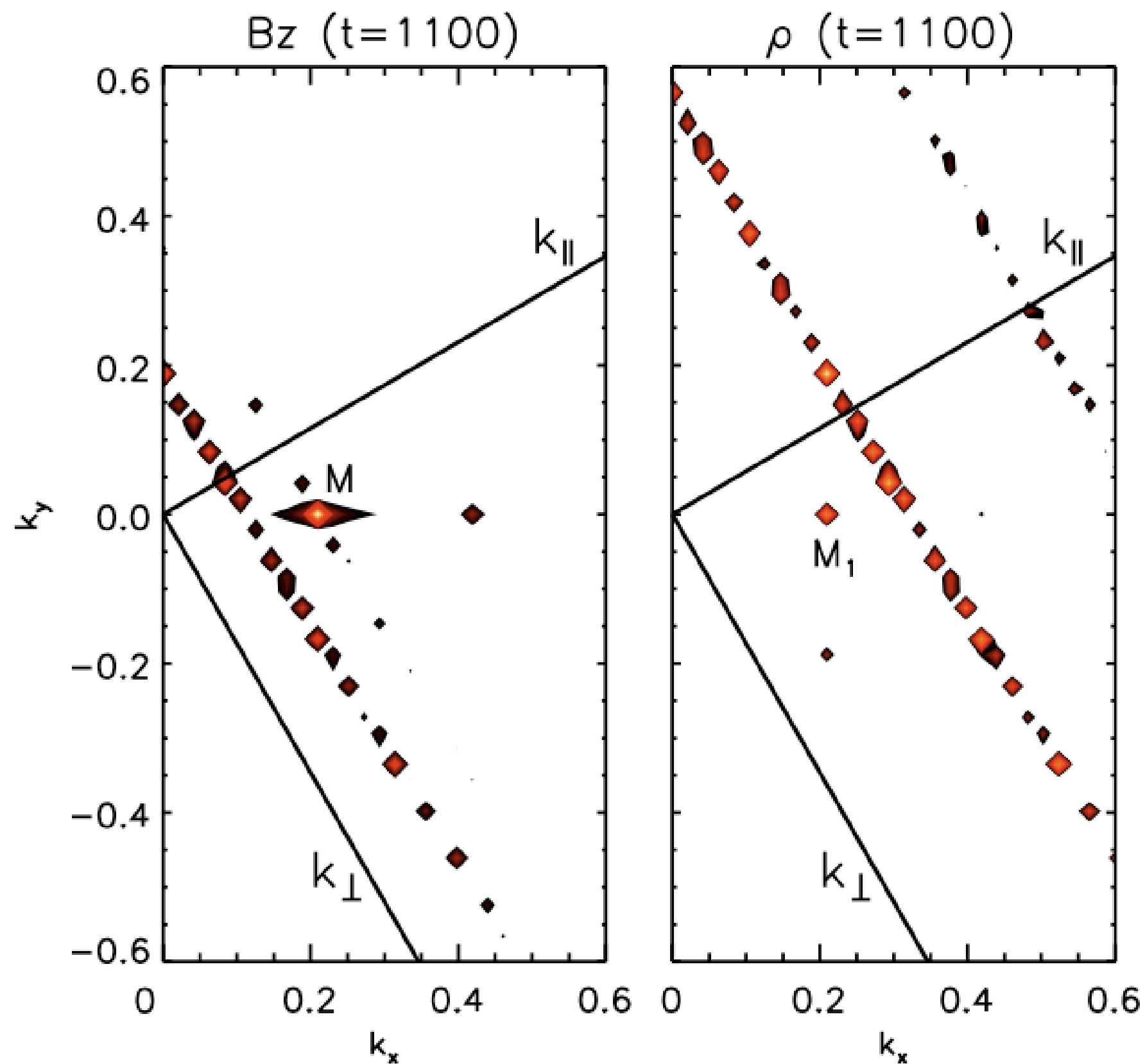


# Perpendicular couplings and transverse modulation of B





# Perpendicular couplings and transverse modulation of B



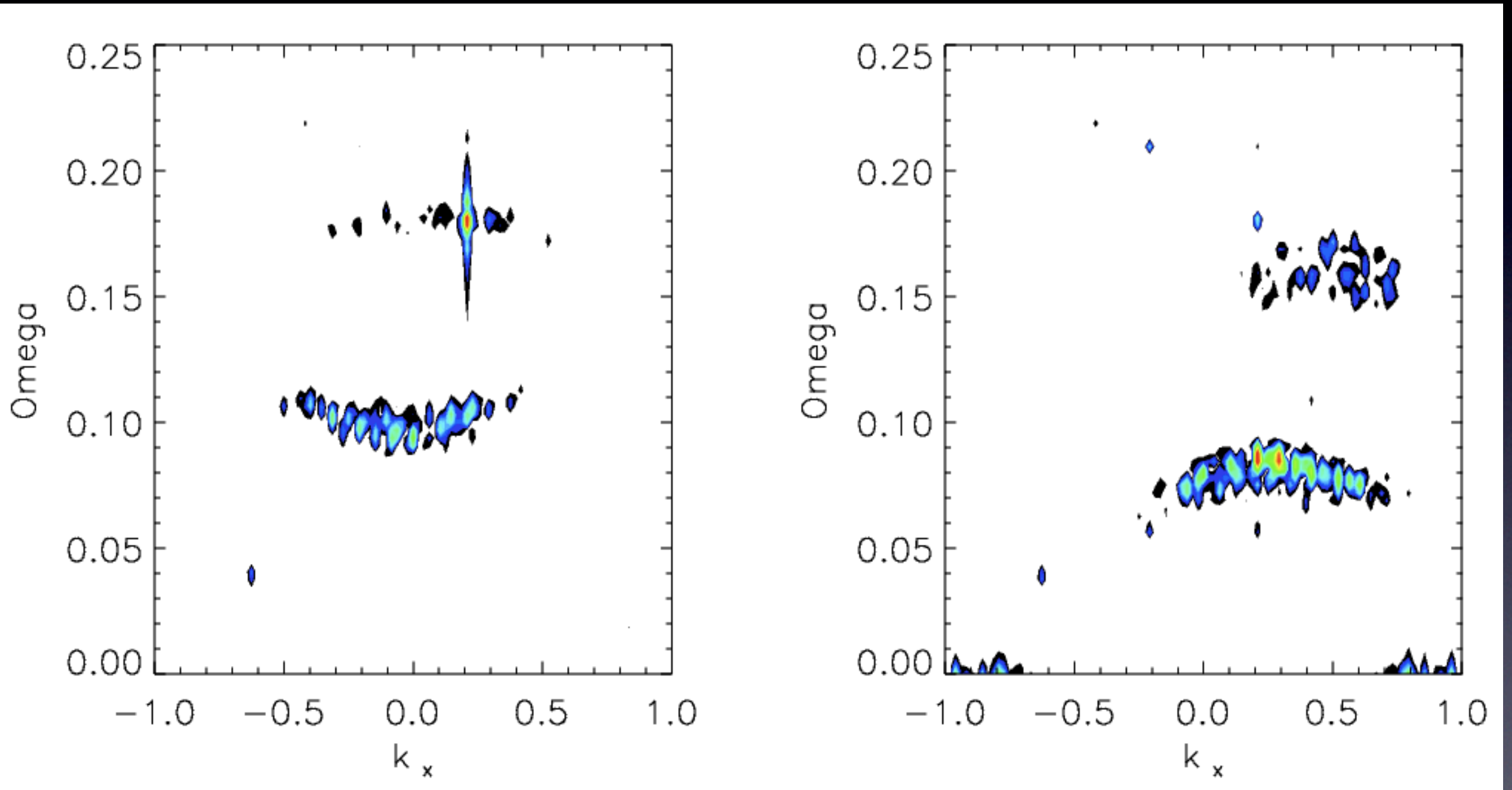
3-wave resonance  
along B

$$k_{\parallel}^{-} = k_{0\parallel} - k_{s\parallel},$$

$$k_{\perp}^{-} = k_{0\perp} - k_{s\perp}.$$

no constraint  
across B

Resonant condition satisfied also for frequencies  
(phase velocity depends only on  $k_{\parallel}$ )



$B_z$

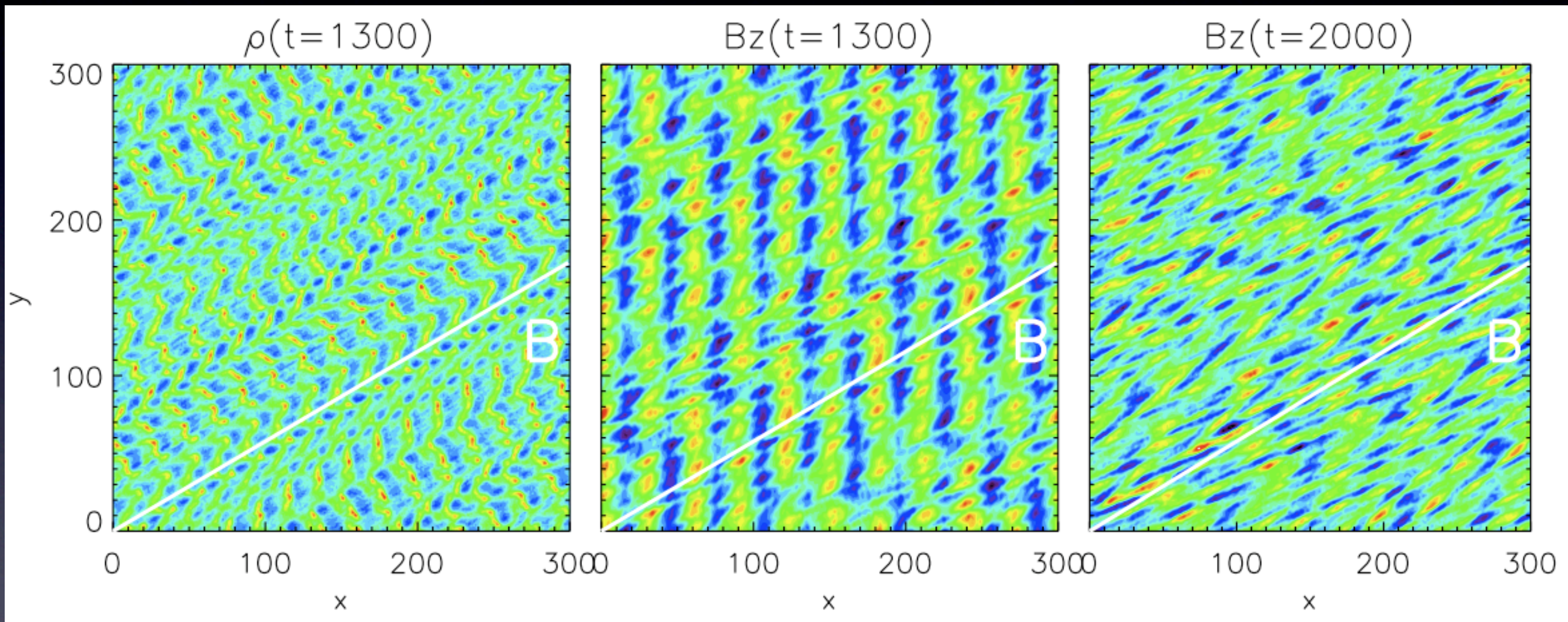
density



# Evolution of fields

linear phase

post-saturation



Main modulation occurs across the magnetic field  $B_0$



# Conclusions

- ◆ Adiabatic evolution (i.e., absence of interactions and dissipation) does NOT mean to keep Maxwellian distributions and can also be quite complicated.
- ◆ Anisotropy of distribution functions is an important aspect that has to be taken into account. Plasma instabilities driven by temperature anisotropies or secondary beams play a role in the solar wind thermodynamics and possibly influence turbulence, reconnection, and cosmic rays acceleration.
- ◆ Data suggest the presence of a proton perpendicular heating in the solar wind, while a parallel cooling (or beam deceleration) is observed along the magnetic field. Constraints on heating models!
- ◆ Wave-wave interactions driven by parametric instabilities also contribute to the proton evolution with the generation of a velocity beam.  
The presence of oblique mother waves leads to broadband couplings for the daughter waves and large oblique spectra, with strong modulation across the mean magnetic field.



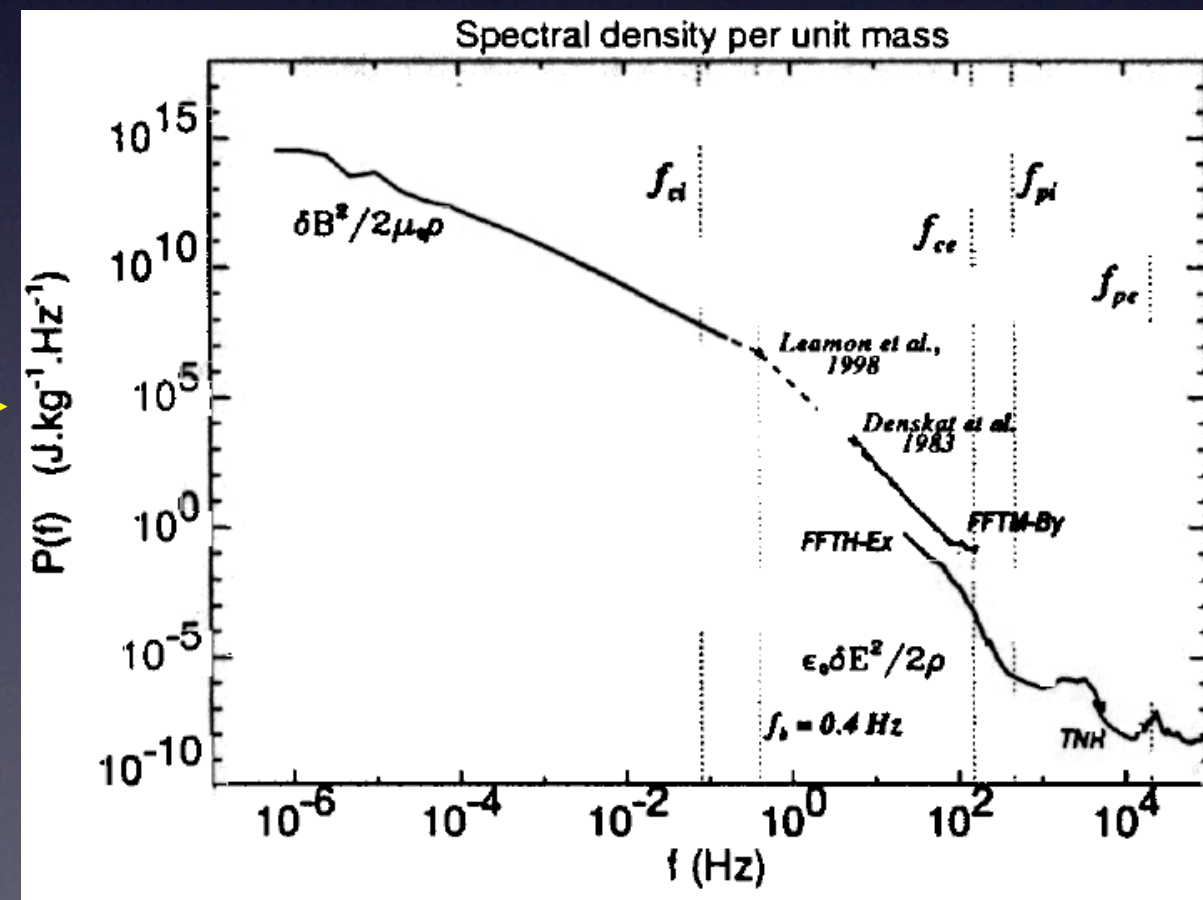
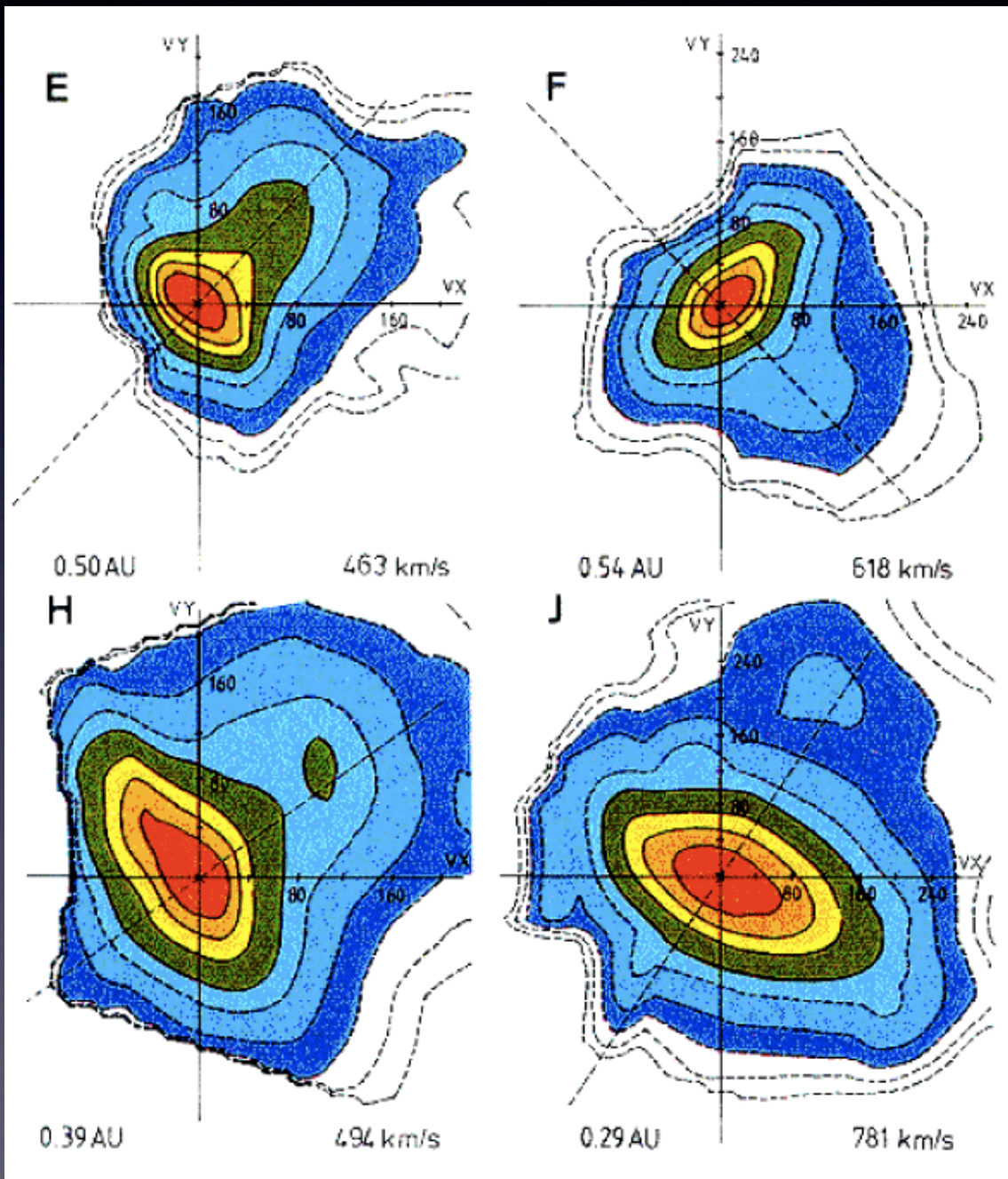
# Solar wind proton distribution functions

Helios observations in the solar wind

- Temperature anisotropy between parallel and perpendicular directions with respect to the ambient magnetic field

$$T_{\perp} \neq T_{\parallel}$$

- Velocity beam in the parallel direction



(Marsch et al. 1982)

(Salem 2001)



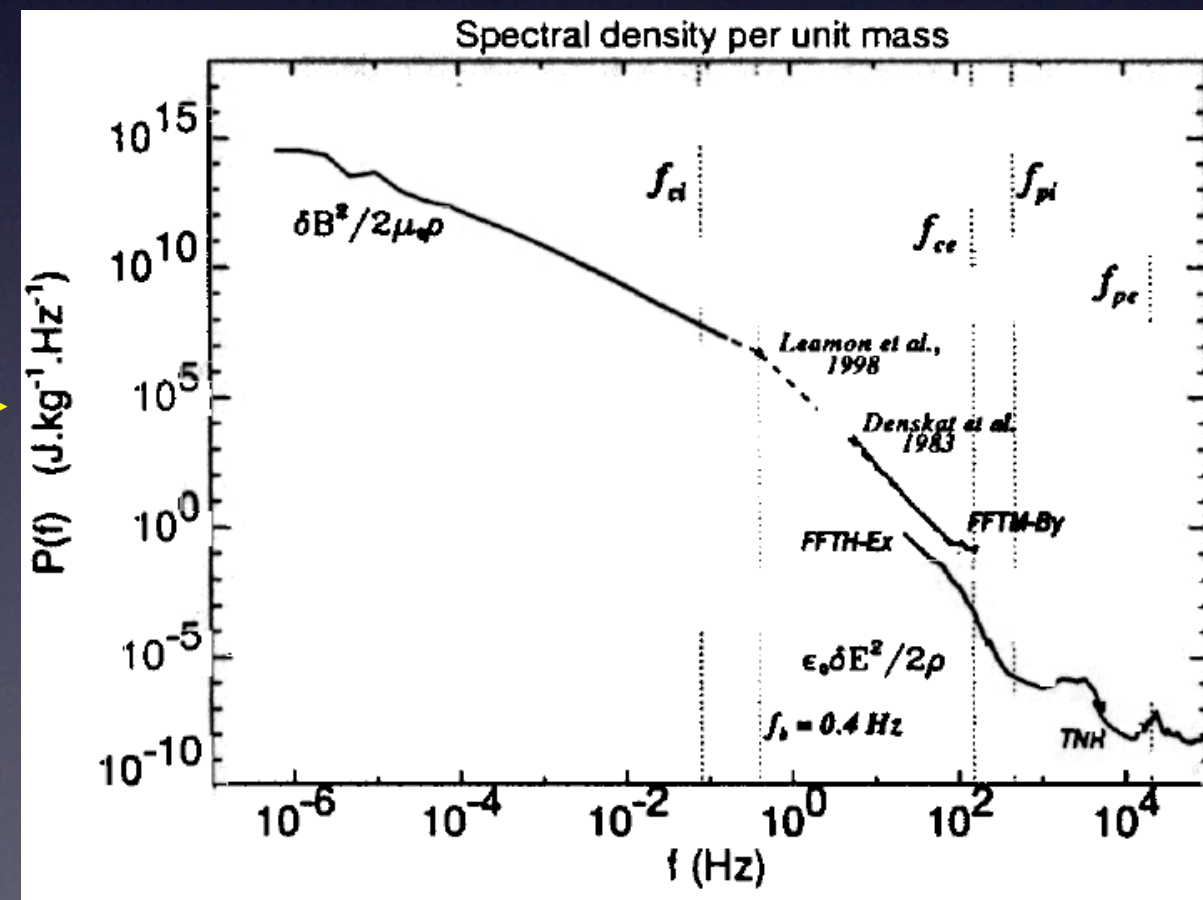
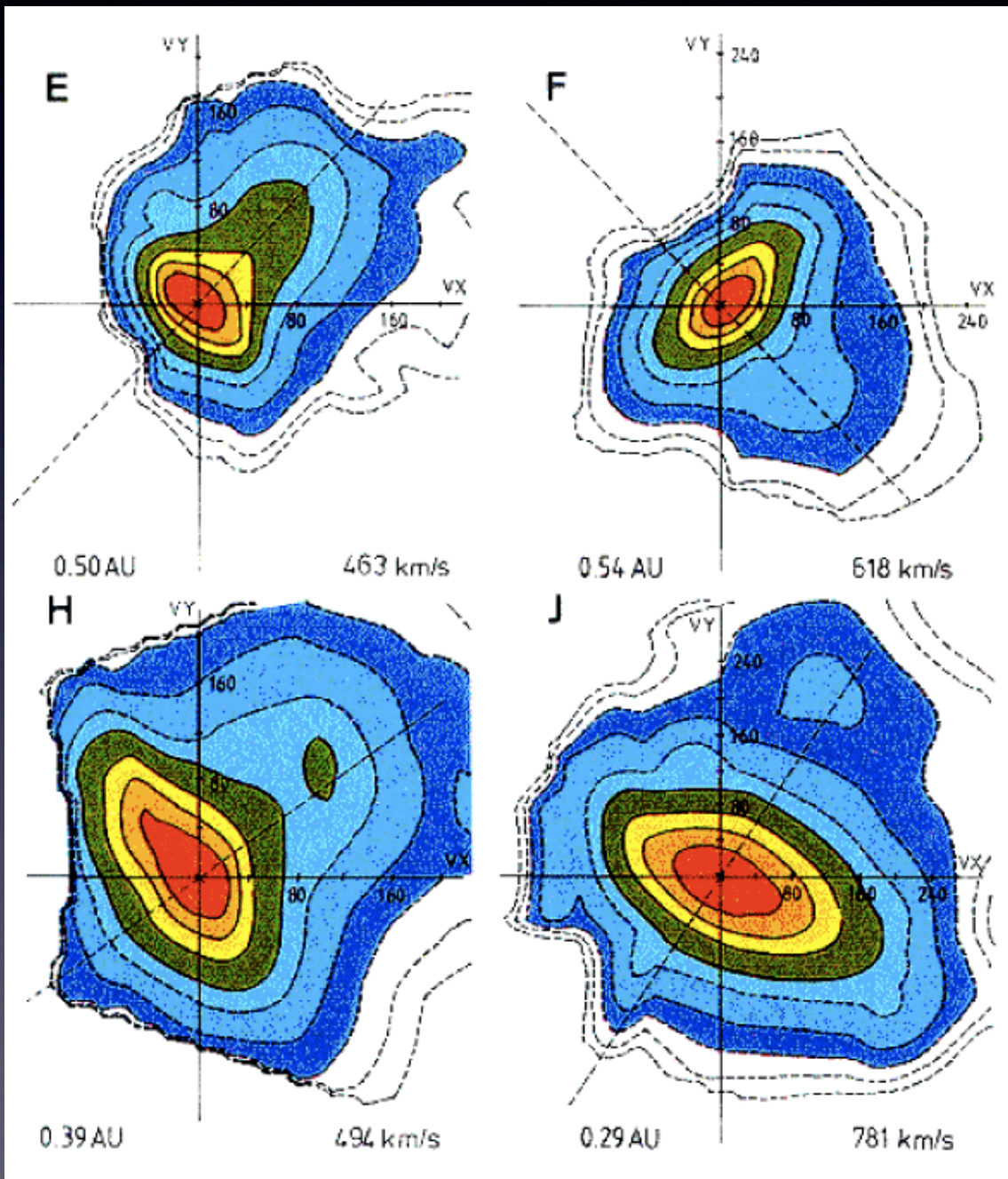
# Solar wind proton distribution functions

Helios observations in the solar wind

- Temperature anisotropy between parallel and perpendicular directions with respect to the ambient magnetic field

$$T_{\perp} \neq T_{\parallel}$$

- Velocity beam in the parallel direction



(Marsch et al. 1982)

(Salem 2001)



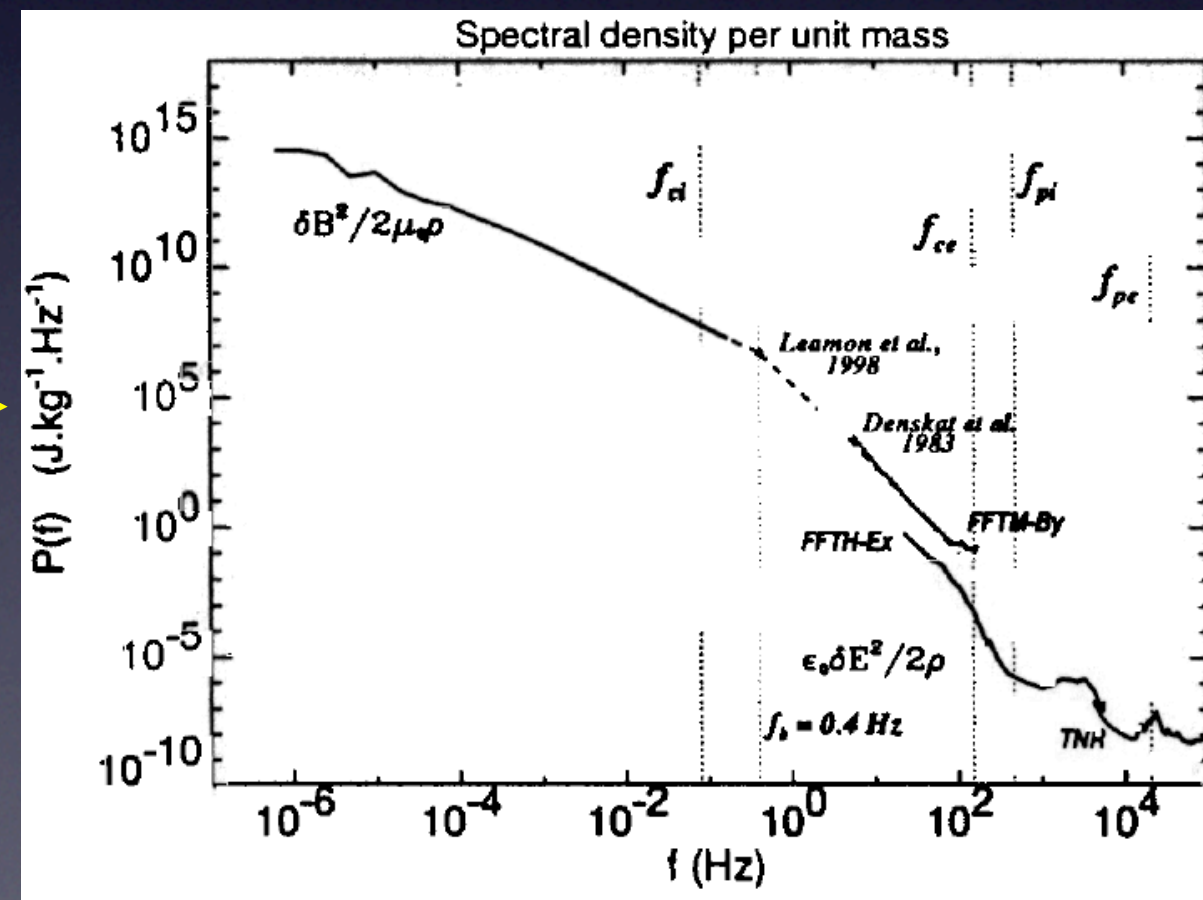
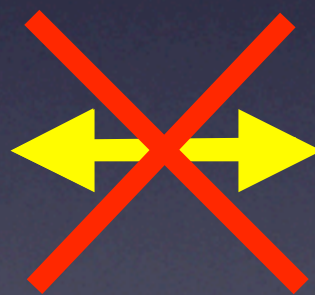
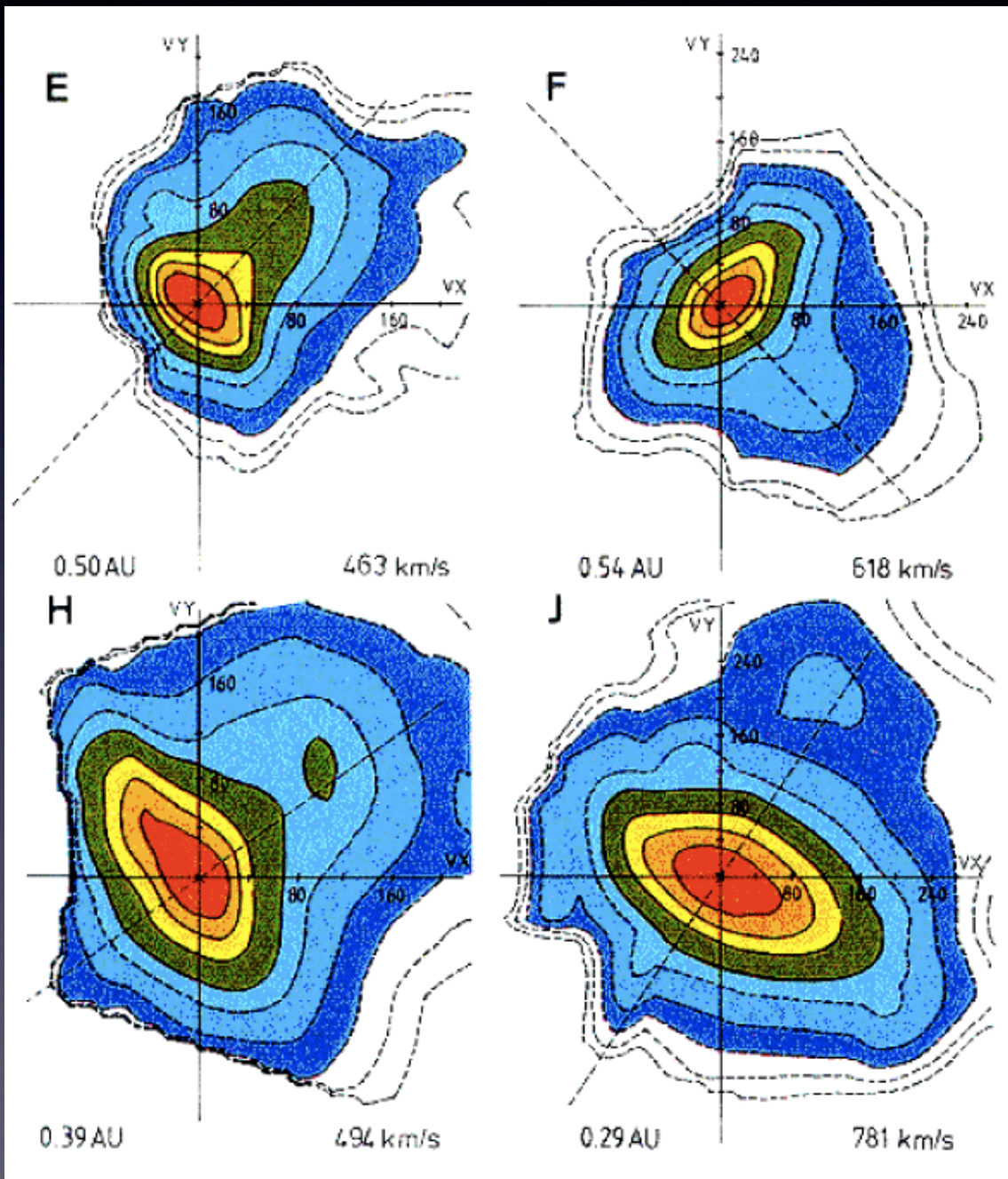
# Solar wind proton distribution functions

Helios observations in the solar wind

- Temperature anisotropy between parallel and perpendicular directions with respect to the ambient magnetic field

$$T_{\perp} \neq T_{\parallel}$$

- Velocity beam in the parallel direction



(Marsch et al. 1982)

(Salem 2001)