Typos in the paper "Stable limits for probability preserving maps with indifferent fixed points" by R. Zweimüller, Stochastics and Dynamics 3 (2003), 83-99.

There is a (rather obvious) typo that appears twice in the printed version of this paper: On p.89, at the beginning of section 3, we are interested in bounded regularity of the *derivatives* v' of the inverse branches v, not of the v themselves. The correct version reads:

... Recall that the *regularity* of a positive differentiable function v on an interval J is given by $R_J(v) := \sup_J \mid v' \mid /v$, cf. [23]. It is straightforward that a piecewise $\mathcal{C}^2$-map T on the interval satisfies the classical *Adler folklore condition* $\sup_X \mid T'' \mid /(T')^2 < \infty$ iff the derivatives v' of its inverse branches v have uniformly bounded regularity.

Lemma 1 ***(Inducing Adler's condition)*** *Let* $v \in \mathcal{C}^1([0, \varepsilon_0]) \cap \mathcal{C}^2((0, \varepsilon_0])$ *be a concave function satisfying* $0 < v(x) < x$ *for* $x \in (0, \varepsilon_0]$, $v'(0) = 1$, *and* $v' > 0$. *Assume that there is some decreasing function* H *on* $(0, \varepsilon_0]$ *with* $\int H \, d\lambda < \infty$ *such that* $|v''| \leq H$. *Then the sequence* $((v^n)')_{n \geq 1}$ *has uniformly bounded regularity on compact subsets of* $(0, \varepsilon_0]$, *i.e.* $\sup_{n \geq 1} R_{[\varepsilon, \varepsilon_0]}((v^n)') < \infty$ *for any* $\varepsilon \in (0, \varepsilon_0)$.

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